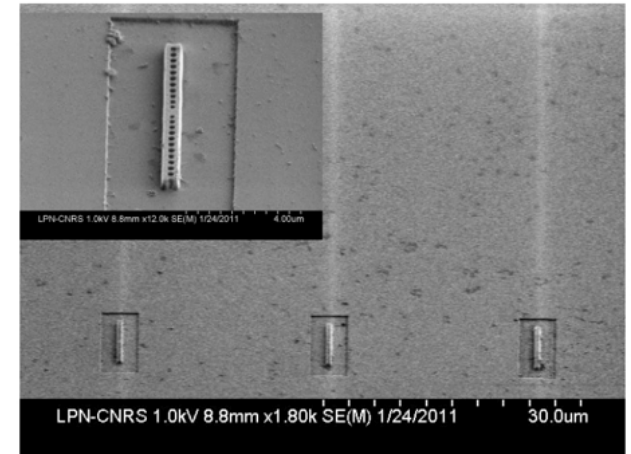
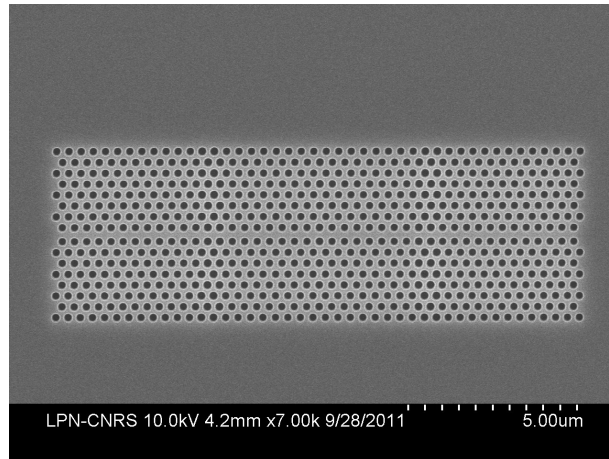
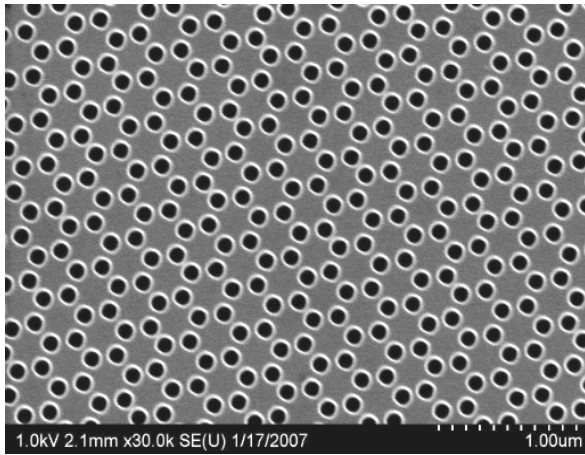


# Nonlinear Photonic Crystals



**Fabrice Raineri**

**Laboratoire de Photonique et Nanostructures – CNRS (Marcoussis)  
Université Paris Diderot – Paris VII**



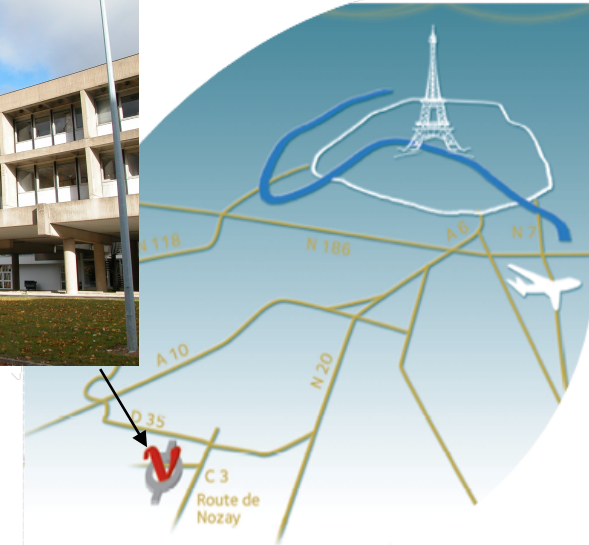
# Laboratoire de Photonique et de Nanostructures

## Staff:

42 researchers and academic staff

40 technical staff

40 PhD students and post-doctoral fellows



Research in the fields of nanosciences, nanofabrication, photonics & devices  
from materials and technologies to basic science and applications

Mainly III-V semiconductors

From Nanoscience...

...To Telecom/Photonics  
oriented basic research



dépasser les frontières



LABORATOIRE  
DE PHOTONIQUE  
ET DE NANOSTRUCTURES

# Motivations

---

Domain of physics called Nonlinear optics started right after the Laser invention as it enabled the availability of light sources sufficiently intense to observe these effects:

- in 1961, experimental work by Franken et al on Second Harmonic generation
- in 1962 theoretical work by Bloembergen et al on wave mixing

Note that Nonlinear optics phenomena were observed before (optical pumping, Pockels effect, Raman Scattering).

From that time onwards research on nonlinear optics lead to great discoveries: parametric sources (OPO, OPA), twin photon generation, soliton propagation in optical fibers, modulators....

→ Integrated optics is today the frontier for nonlinear optics → efficient effects with mW incident power

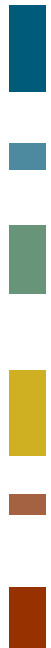
→ **Photonic crystals as ideal materials for giant nonlinear processes**

**I- BASICS ON NONLINEAR OPTICS**

**II- BASICS ON PHOTONIC CRYSTALS**

**III- NONLINEAR PHOTONIC CRYSTALS**

**IV- NANOLASERS**



# BASICS ON NONLINEAR OPTICS

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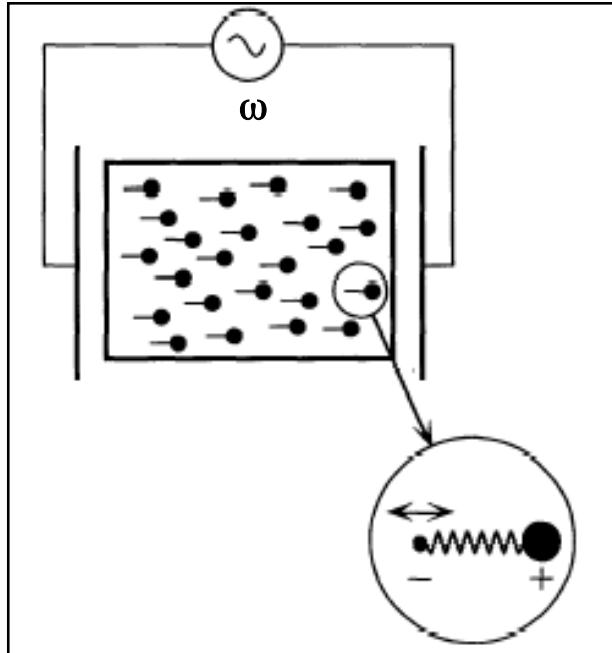
**1- General concept**

**2- Second order nonlinear process**

**3- Third order nonlinear process**



# BASICS ON NONLINEAR OPTICS: General Concept



## Full Classical Approach: Lorentz Model

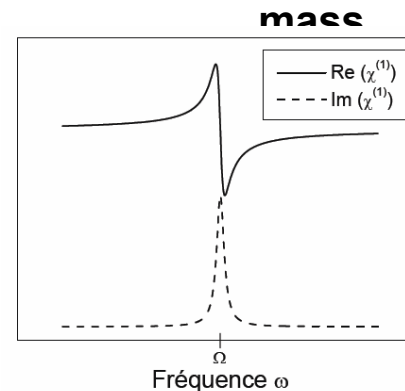
A dielectric material considered as an assembly of charged particle bound together.

In presence of an electric field, e- start to oscillate at  $\omega$  frequency

$$\rightarrow \text{Polarisation } \vec{P} = \epsilon_0 \chi^{(1)} \vec{E}$$

$\chi^{(1)}$  linear susceptibility

$\omega_0$  electron resonant frequency,  $\gamma$  damping factor,  $N$  electric dipoles density,  $m$  electron



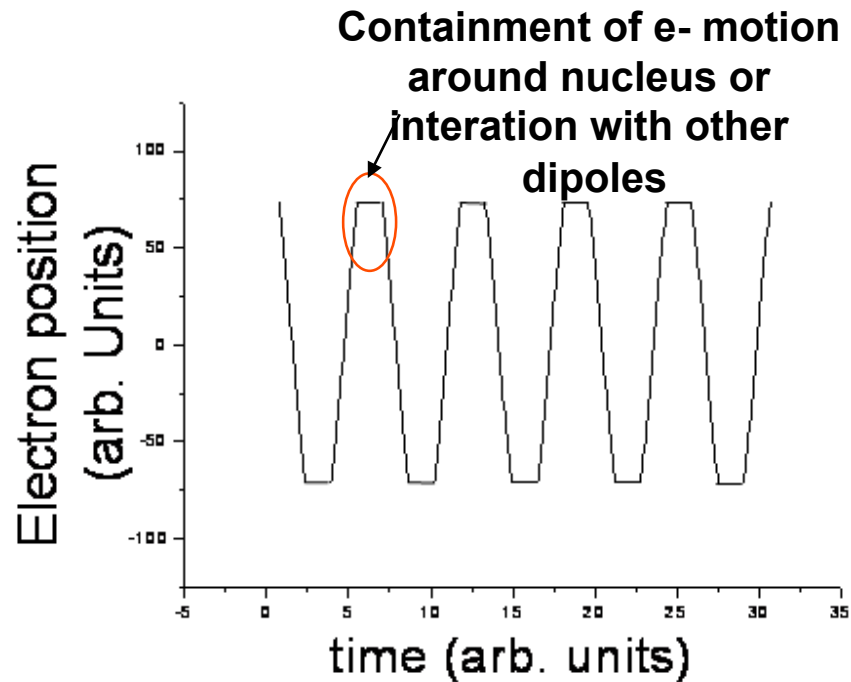
$$\epsilon_r = \epsilon' + i\epsilon''$$

$$\epsilon' = \text{Re}(1 + \chi^{(1)})$$

$$\epsilon'' = \text{Im}(1 + \chi^{(1)})$$

# BASICS ON NONLINEAR OPTICS: General Concept

Now As the Electrical Field Field amplitude increases



- Displacement of e- is nonlinear with field amplitude!
- Polarisation which varies nonlinearly with the Electric Field!

# BASICS ON NONLINEAR OPTICS: General Concept

→ Polarisation

$$\vec{P} = \varepsilon_0 \chi^{(1)} \vec{E} + \varepsilon_0 \chi^{(2)} \vec{E} : \vec{E} + \varepsilon_0 \chi^{(3)} \vec{E} : \vec{E} : \vec{E} + \dots + \varepsilon_0 \chi^{(n)} \vec{E} : \vec{E} : \dots : \vec{E} + \dots$$

Linear polarisation

Nonlinear polarisation

Where  $\chi^{(n)}$  (Tensor of order  $n+1$ ) is the nonlinear susceptibility of order  $n$   
 $\chi^{(n+1)} \ll \chi^{(n)}$  (Taylor development: perturbation theory)  
 $\chi^{(n)}$  related to the microscopic structure of the medium → quantum theory



# BASICS ON NONLINEAR OPTICS: General Concept

---

**Nonlinear polarisation = source term in wave propagation equation**

$$\vec{\nabla} \times \vec{\nabla} \times \vec{E}(\vec{r}, \omega) - \frac{\omega^2}{c^2} \epsilon(\vec{r}, \omega) \vec{E}(\vec{r}, \omega) = \omega^2 \mu_0 \vec{P}_{NL}(\vec{r}, \omega)$$



**In general no analytical solution to the equation**

**→ Study of 2<sup>nd</sup> and 3<sup>rd</sup> order nonlinear effects**

# BASICS ON NONLINEAR OPTICS

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**1- General concept**

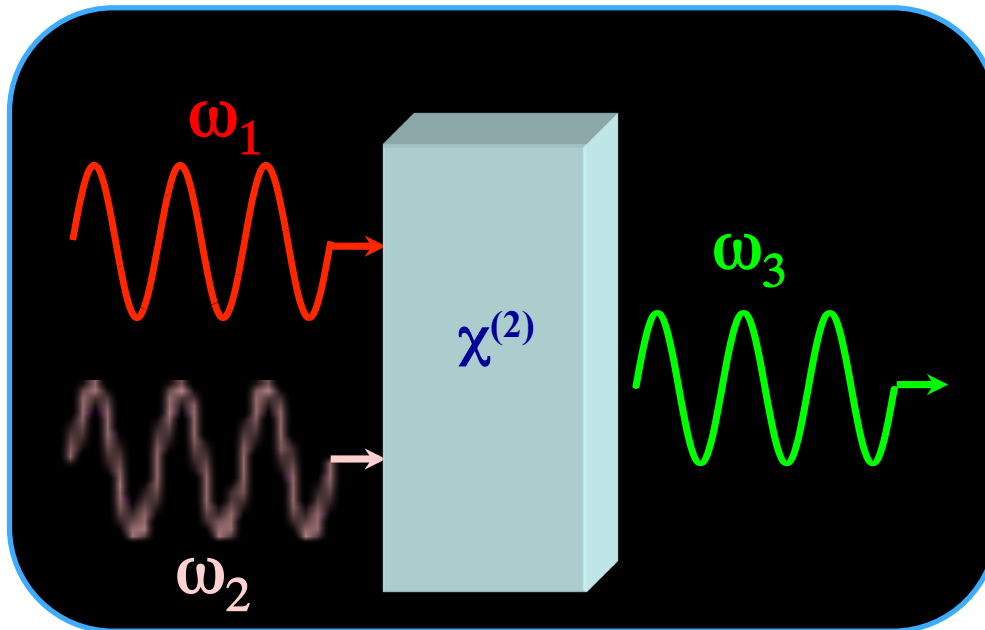
**2- Second order nonlinear process**

**3- Third order nonlinear process**

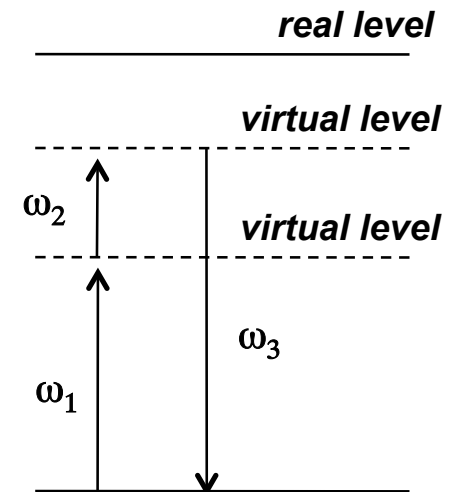


# Second order nonlinear process

## 3-wave mixing



## Quantum diagram



$\omega_1 + \omega_2 = \omega_3$  Sum frequency Generation  
or  $\omega_1 - \omega_2 = \omega_3$  Difference frequency Generation

Only possible in non centro symmetric materials

# Second order nonlinear process

## Set of coupled equations

$$\vec{\nabla}_x \vec{\nabla}_x \vec{E}(\vec{r}, \omega_3) - \frac{\omega_3^2}{c^2} \epsilon(\vec{r}, \omega_3) \vec{E}(\vec{r}, \omega_3) = \omega_3^2 \mu_0 \epsilon_0 \chi^{(2)}(-\omega_3; \omega_1, \omega_2) : \vec{E}(\vec{r}, \omega_1) : \vec{E}(\vec{r}, \omega_2)$$

$$\vec{\nabla}_x \vec{\nabla}_x \vec{E}(\vec{r}, \omega_2) - \frac{\omega_2^2}{c^2} \epsilon(\vec{r}, \omega_2) \vec{E}(\vec{r}, \omega_2) = \omega_2^2 \mu_0 \epsilon_0 \chi^{(2)}(-\omega_2; -\omega_1, \omega_3) : \vec{E}^*(\vec{r}, \omega_1) : \vec{E}(\vec{r}, \omega_3)$$

$$\vec{\nabla}_x \vec{\nabla}_x \vec{E}(\vec{r}, \omega_1) - \frac{\omega_1^2}{c^2} \epsilon(\vec{r}, \omega_1) \vec{E}(\vec{r}, \omega_1) = \omega_1^2 \mu_0 \epsilon_0 \chi^{(2)}(-\omega_1; -\omega_2, \omega_3) : \vec{E}^*(\vec{r}, \omega_2) : \vec{E}(\vec{r}, \omega_3)$$

To look at a simple case, let's consider the material homogeneous, the interacting waves plane, their propagation colinear and parallel to z direction,

we can write: 
$$\vec{E}(\vec{r}, \omega_i) = \left( \frac{1}{2} A_i(z) e^{jk_i z} + \text{c.c.} \right) \vec{u}_z$$

with  $k_i = \omega_i \frac{n(\omega_i)}{c}$   $\rightarrow$  scalar problem

# Second order nonlinear process

coupled equations become

$$\frac{d^2 A_3(z)}{dz^2} + 2jk_3 \frac{dA_3(z)}{dz} = -\omega_3^2 \mu_0 \chi^{(2)}(-\omega_3; \omega_1, \omega_2) A_1(z) A_2(z) e^{-j\Delta k z}$$

$$\frac{d^2 A_2(z)}{dz^2} + 2jk_2 \frac{dA_2(z)}{dz} = -\omega_2^2 \mu_0 \chi^{(2)}(-\omega_2; -\omega_1, \omega_3) A_1^*(z) A_3(z) e^{j\Delta k z}$$

$$\frac{d^2 A_1(z)}{dz^2} + 2jk_1 \frac{dA_1(z)}{dz} = -\omega_1^2 \mu_0 \chi^{(2)}(-\omega_1; -\omega_2, \omega_3) A_2^*(z) A_3(z) e^{j\Delta k z}$$

with  $\Delta k = k_3 - k_2 - k_1$   
 phase mismatch between the wave  
 propagating in the medium @  $\omega_3$   
 and the generated wave @  $\omega_3$

Slowly varying envelop approx:  $\left| \frac{d^2 A_i(z)}{dz^2} \right| \ll \left| 2jk_i \frac{dA_i(z)}{dz} \right|$

$$\frac{dA_3(z)}{dz} = \frac{j\omega_3}{2cn(\omega_3)} \chi^{(2)}(-\omega_3; \omega_1, \omega_2) A_1(z) A_2(z) e^{j\Delta k z}$$

$$\frac{dA_2(z)}{dz} = \frac{j\omega_2}{2cn(\omega_2)} \chi^{(2)}(-\omega_2; -\omega_1, \omega_3) A_1^*(z) A_3(z) e^{-j\Delta k z}$$

$$\frac{dA_1(z)}{dz} = \frac{j\omega_1}{2cn(\omega_1)} \chi^{(2)}(-\omega_1; -\omega_2, \omega_3) A_2^*(z) A_3(z) e^{j\Delta k z}$$

# Second order nonlinear process

**Second harmonic generation**  $\omega_1 = \omega_2 = \omega$   
 $\omega_3 = 2\omega$

$$\frac{dA_{2\omega}(z)}{dz} = \frac{j\omega}{cn_{2\omega}} \chi^{(2)}(-2\omega; \omega, \omega) A_{\omega}^2(z) e^{-j\Delta kz}$$

$$\frac{dA_{\omega}(z)}{dz} = \frac{j\omega}{2cn_{\omega}} \chi^{(2)}(-\omega; -\omega, 2\omega) A_{\omega}^*(z) A_{2\omega}(z) e^{j\Delta kz}$$

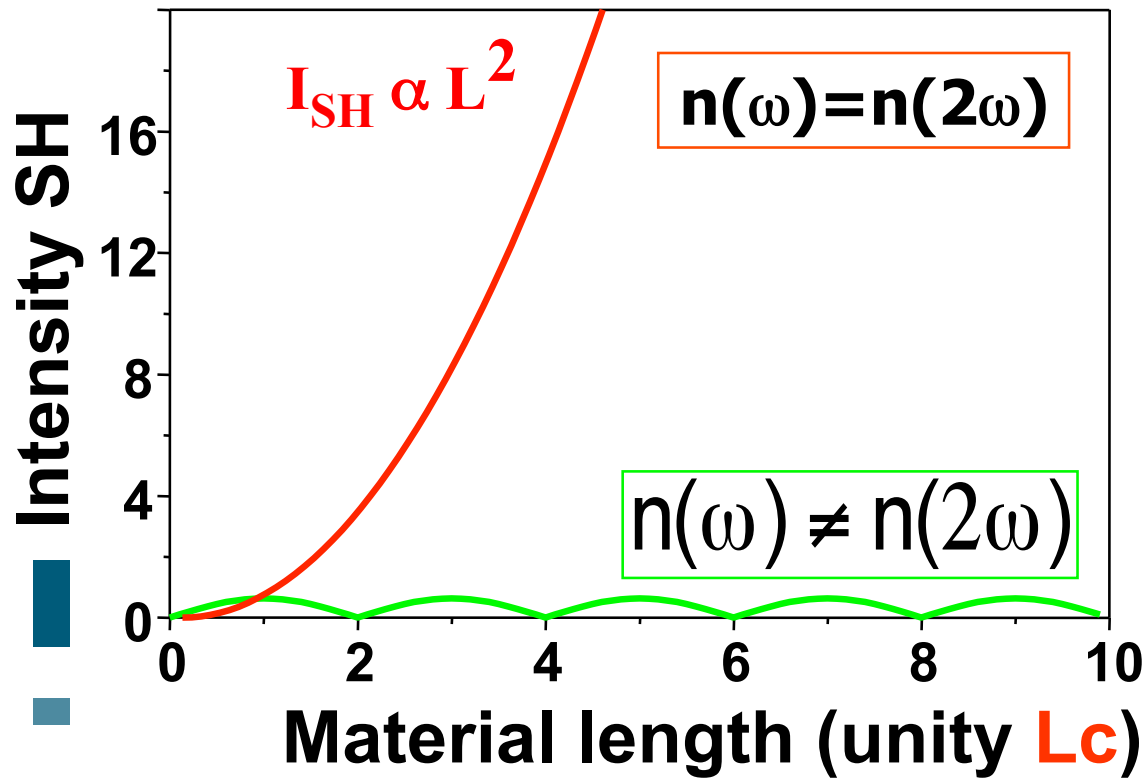
weak conversion efficiency  $\rightarrow$  non depletion of the fundamental field  $\rightarrow A_{\omega} = \text{cte}$

CONVERSION EFFICIENCY:

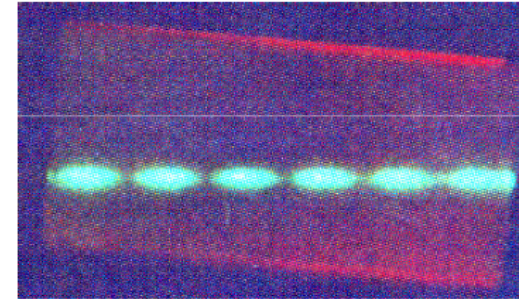
$$\eta(z) = \frac{I_{2\omega}(z)}{I_{\omega}} = \frac{2\pi^2}{\epsilon_0 c \lambda^2} \frac{\chi^{(2)^2}{I_{\omega}(0)} \left[ \frac{\sin\left(\frac{\Delta k z}{2}\right)}{\frac{\Delta k}{2}} \right]^2$$

varies linearly with  
intensity of the  
fundamental frequency

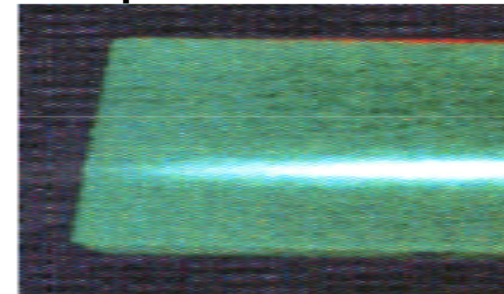
# Second order nonlinear process



Non phase matched



phase matched



coherence length

$$L_c = \frac{\lambda}{4|n_{2\omega} - n_{\omega}|}$$

→ Phasematching is primordial for high conversion efficiencies!

→ Photonic crystals for dispersion engineering!

# Second order nonlinear process

---

## OTHER TYPES OF SECOND ORDER PHENOMENA:

**Parametric generation/amplification:  $\omega_3 \rightarrow \omega_1 + \omega_2$  widely tunable sources (OPO, OPAs), optical gating techniques**

**Twin photon generation :  $2\omega \rightarrow \omega + \omega$  generation of indistinguishable photons for quantum optics**

**Pockels effect: 0 (DC voltage)  $\rightarrow \omega - \omega$  - Control of polarisation direction (Pockels cells), control of phase shift for optical modulation (nonlinear Mach-Zender)**



# BASICS ON NONLINEAR OPTICS

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**1- General concept**

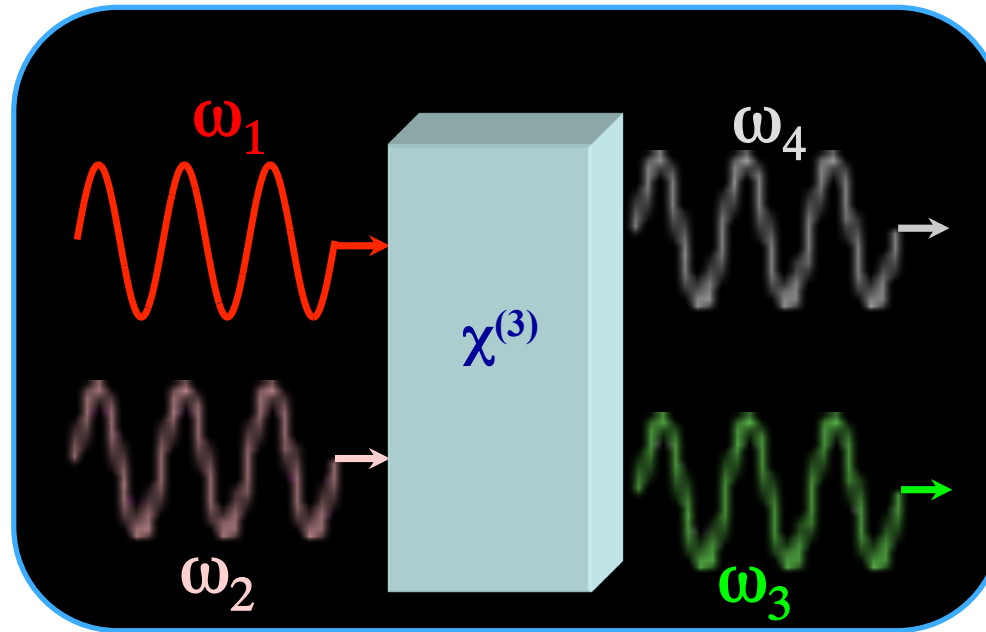
**2- Second order nonlinear process**

**3- Third order nonlinear process**



# Third order nonlinear process

$\chi^{(3)}$  Processes:



- $3^4$  possible processes!
- Most common: Kerr effect, FWM, stimulated scattering, THG

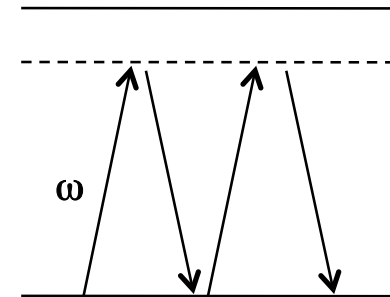
# Third order nonlinear process

Kerr effect:

$$\omega - \omega + \omega \rightarrow \omega$$



Quantum diagram



Nonlinear Polarisation: 
$$P^{(3)}(z, \omega) = \frac{3\epsilon_0}{8} \chi^{(3)}(-\omega; \omega, -\omega, \omega) A_\omega(z) A_\omega^*(z) A_\omega(z) e^{ik_\omega z} + \text{c.c.}$$

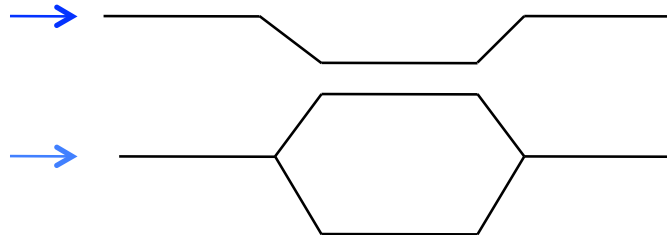
which gives for the wave equation: 
$$\frac{d^2 E(z, \omega)}{dz^2} + \frac{\omega^2}{c^2} \left( n_\omega + \frac{3\chi^{(3)}(-\omega; \omega, -\omega, \omega)}{4n_\omega^2 c \epsilon_0} I_\omega(z, \omega) \right) E(z, \omega) = 0$$

→ control on refractive index via optical intensity!  
 → opens the way to control light by light!

# Third order nonlinear process

## Application of Kerr effect:

- Solitons: self phase modulation which compensates chromatic dispersion or self focusing which compensates diffraction
- Optical modulation in nonlinear interferometer or resonator



- Optical bistability in nonlinear resonator

# Third order nonlinear process

## Origin of nonlinearity

*A lot of physical effect lead to the dependence of the refractive index with the field intensity. One can distinguish:*

### - Intrinsic nonlinearity

Light interacts with the electron cloud: no “real” energy exchange between light and matter

→ transparent materials

→ instantaneous

→ nonlinear refractive index  $n_2 = 2.7 \cdot 10^{-16} \text{ cm}^2/\text{W}$  (for silica – x100 for Si)

### - Dynamic nonlinearity

Light exchange energy with the matter. For example, thermal effects, absorption and refractive index change linked to change in carrier density

→ energy dissipation

→ not instantaneous, depend on the dynamics of relaxation of the considered effect:

Thermal effects: heat dissipation occurs in microsecond

Electronic effect: linked to carrier life (ns)

→ nonlinear refractive index  $n_2 = 10^{-6} \text{ cm}^2/\text{W}$  (thermal effects)

$n_2 = 10^{-6} \text{ cm}^2/\text{W}$  (carrier density change)

# BASICS ON NONLINEAR OPTICS: SUMMARY

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How to get large effects:

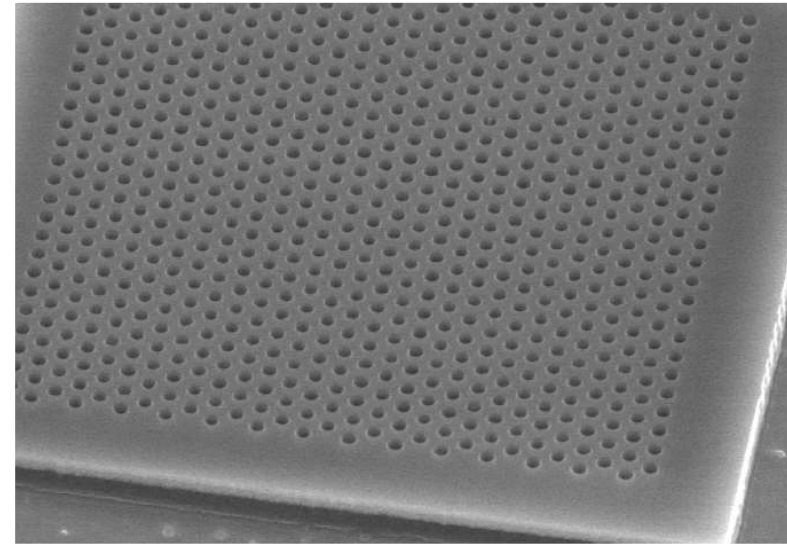
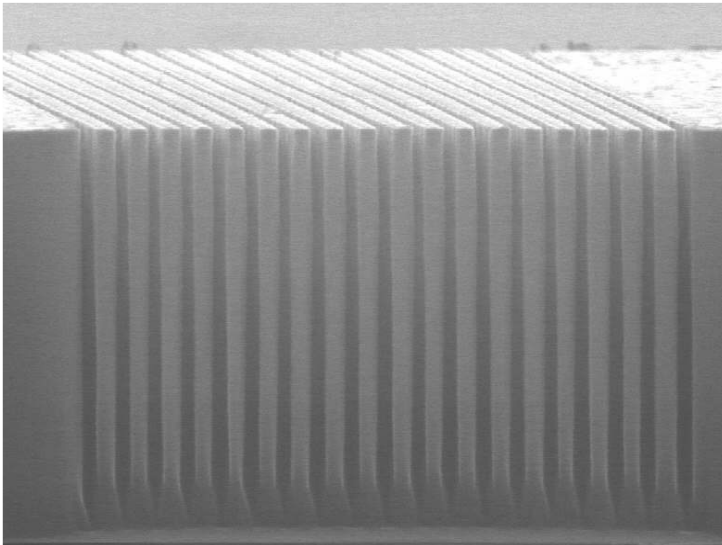
$$\vec{P} = \epsilon_0 \chi^{(2)} \vec{E} : \vec{E} + \epsilon_0 \chi^{(3)} \vec{E} : \vec{E} : \vec{E} + \dots + \epsilon_0 \chi^{(n)} \vec{E} : \vec{E} : \dots : \vec{E} + \dots$$

- $\chi^{(i)}$  large (material property)
- E high (confinement, cavity)
- phase-matching and adaptation of group velocity (wave mixing)

Now the question is what system is most appropriate?

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The answer lies .....  
.....in being à la mode



**photonic crystals**

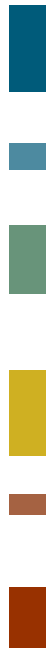
# BASICS ON PHOTONIC CRYSTALS

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**1- Photonic Crystals: “What’s in a name?”**

**2- Fabrication**

**3- Summary on their usefulness**





# BASICS ON PHOTONIC CRYSTALS

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## 1- Photonic Crystals: “What’s in a name?”

*Eli Yablonovitch, Optics and Photonics News March 2007*

## 2- Fabrication

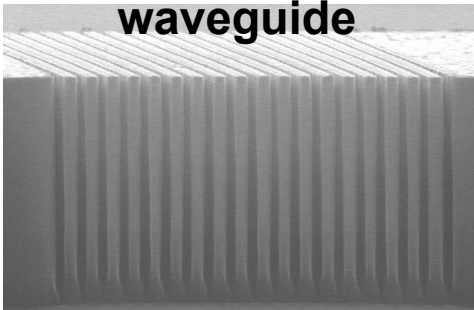
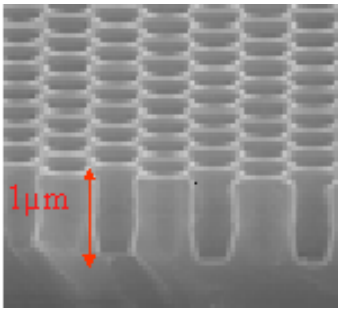
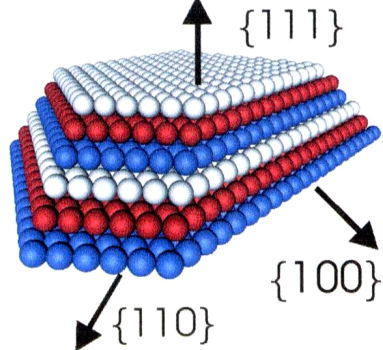
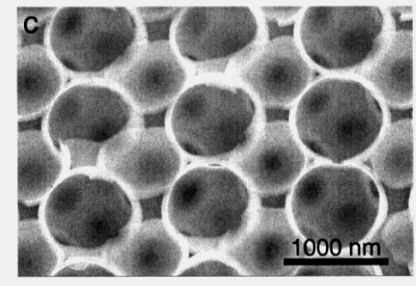
## 3- Summary on their usefulness



# BASICS ON PHOTONIC CRYSTALS: General Concept

Materials with wavelength scale periodic modulation of refractive index

(E. Yablonovitch, *Phys. Rev. Lett.* 58 (1987) and S. John, *Phys. Rev. Lett.* 58 (1987))

<b>1D</b>	<b>2D</b>	<b>3D</b>
<p data-bbox="392 534 705 574">multilayer film</p> <p data-bbox="436 1013 683 1117">AlGaAs/air waveguide</p> 	<p data-bbox="929 534 1344 638">square lattice of dielectric columns surrounded by air</p> <p data-bbox="1019 1013 1265 1053">AlGaAs/air</p> 	<p data-bbox="1579 550 1971 622">spheres in a FCC configuration</p>  <p data-bbox="1601 1013 1915 1053">inverted opals</p> 



# BASICS ON PHOTONIC CRYSTALS: General Concept

## How do PhCs control the flow of light?

Semiconductor crystal  $\rightarrow$  Periodic potential  $\rightarrow$  Energy Gaps

Photonic crystal  $\rightarrow$  Periodic dielectric function (refractive index)  $\rightarrow$  Photonic Band Gaps

Maxwell's equations  
+ dielectric constant periodicity  $\rightarrow$  Dispersion relation:  $K = K(\omega, \theta)$

K real  $\leftrightarrow$  propagating modes

K complex  $\leftrightarrow$  evanescent modes: Photonic Band Gaps

See Sakoda, Joannopoulos books...



# BASICS ON PHOTONIC CRYSTALS: General Concept

Propagation equations:

$$\frac{1}{\epsilon(\vec{r})} \vec{\nabla}_x \left\{ \vec{\nabla}_x \vec{E}(\vec{r}) \right\} = \frac{\omega^2}{c^2} \vec{E}(\vec{r})$$
$$\vec{\nabla}_x \left\{ \frac{1}{\epsilon(\vec{r})} \vec{\nabla}_x \vec{H}(\vec{r}) \right\} = \frac{\omega^2}{c^2} \vec{H}(\vec{r})$$

In general, the solutions are not analytical

→ Numerical tools have been developed for solving the equations and obtaining the dispersion relation. One can cite:

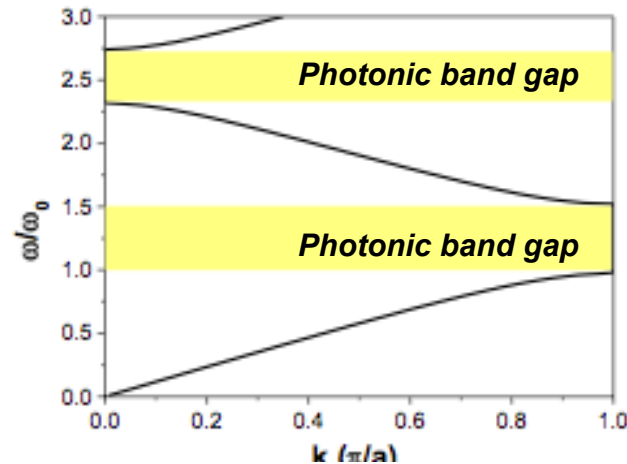
- Plane wave expansion (MIT MPB) or Guided mode expansion (Pavia)
- Finite difference time domain method
- Scattering Matrix Method

# BASICS ON PHOTONIC CRYSTALS: General Concept

In 1D the problem is ANALYTICAL and the main properties can be derived

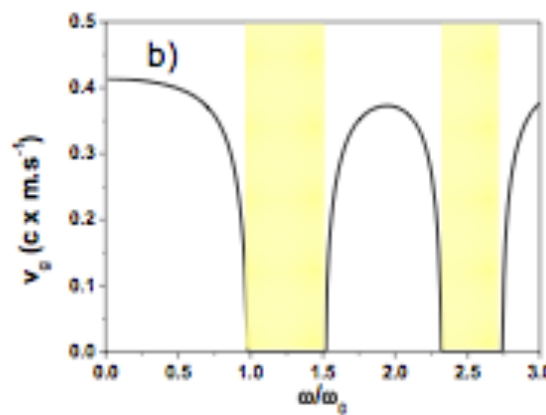
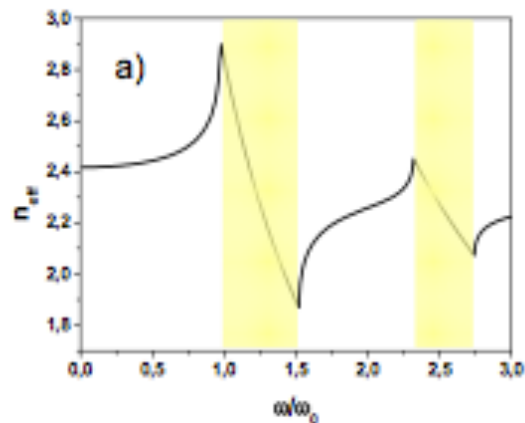


Bragg Mirror



→ Band Gap wavelength depends on the optical thicknesses of the layers (Max when  $\lambda/4n : \lambda/4n$ )

→ Width of the band gap increases with index contrast

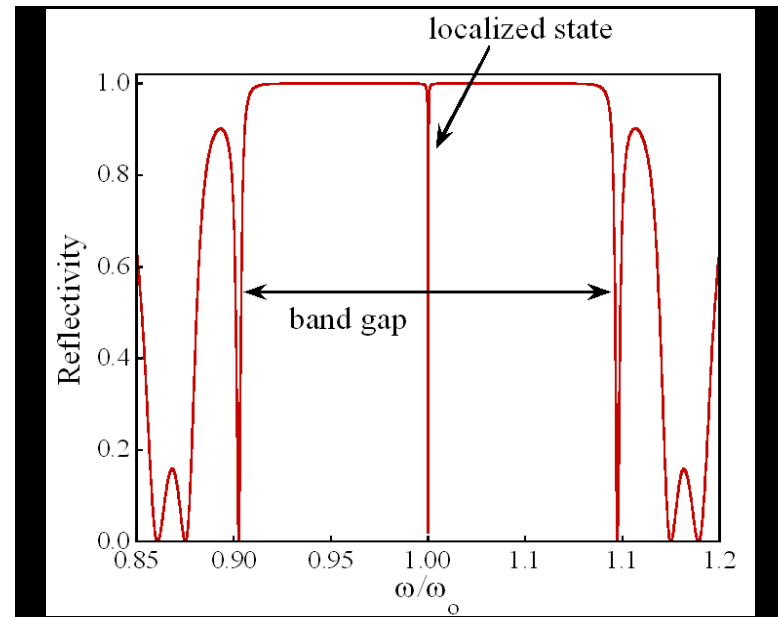
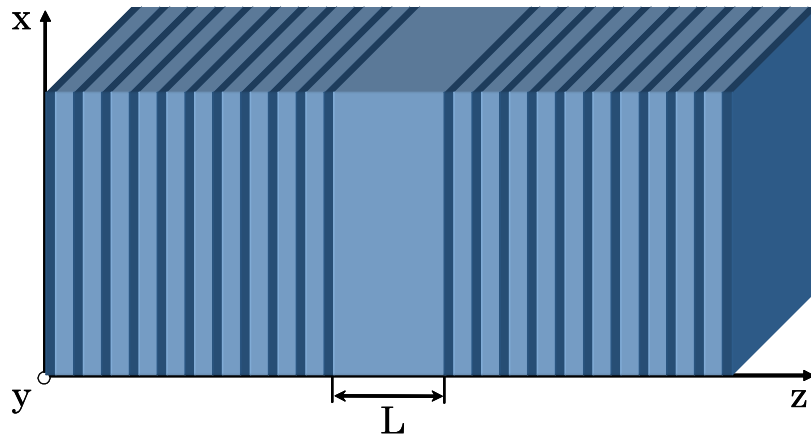


→ anomalous dispersion in the band gap  
→  $v_g$  goes to 0 at the band edges

# BASICS ON PHOTONIC CRYSTALS: General Concept

## 1D microcavity

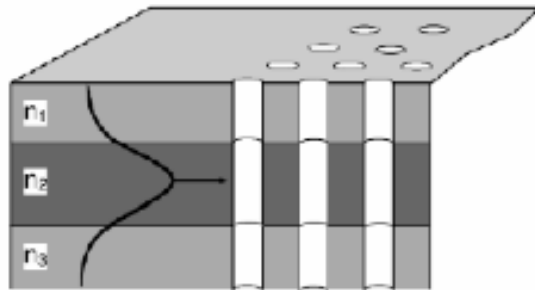
Defect in the periodicity → State in the band gap



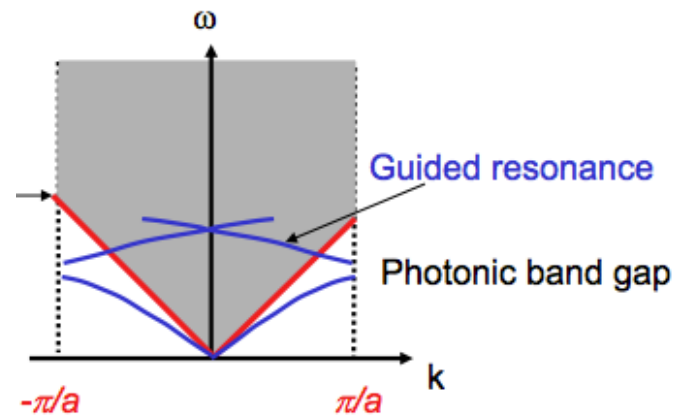
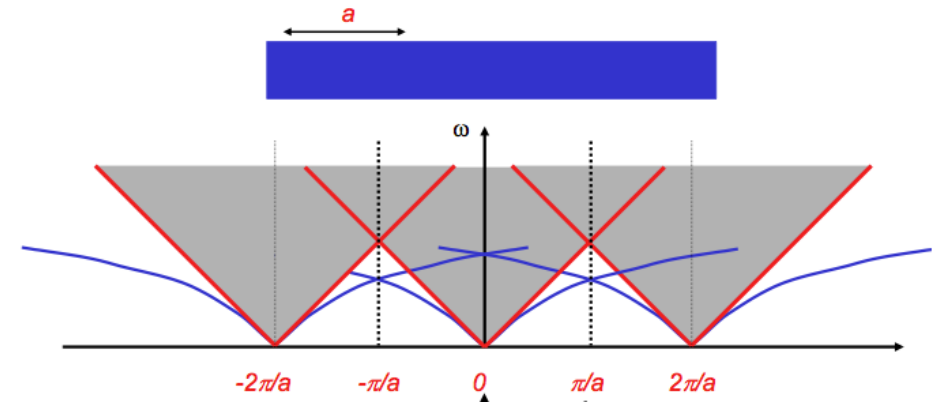
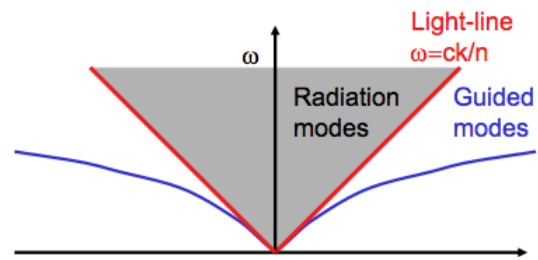
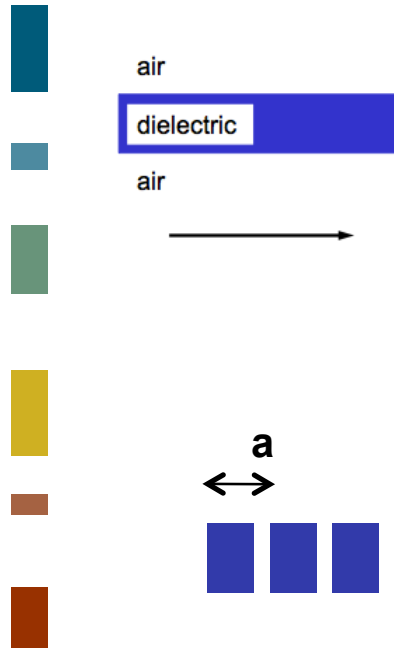
$Q = \omega_0 \tau_p / 2 \approx \lambda / \Delta \lambda$   
Quality factor = number of cavity roundtrips

# BASICS ON PHOTONIC CRYSTALS: General Concept

## 2D photonic crystals slabs



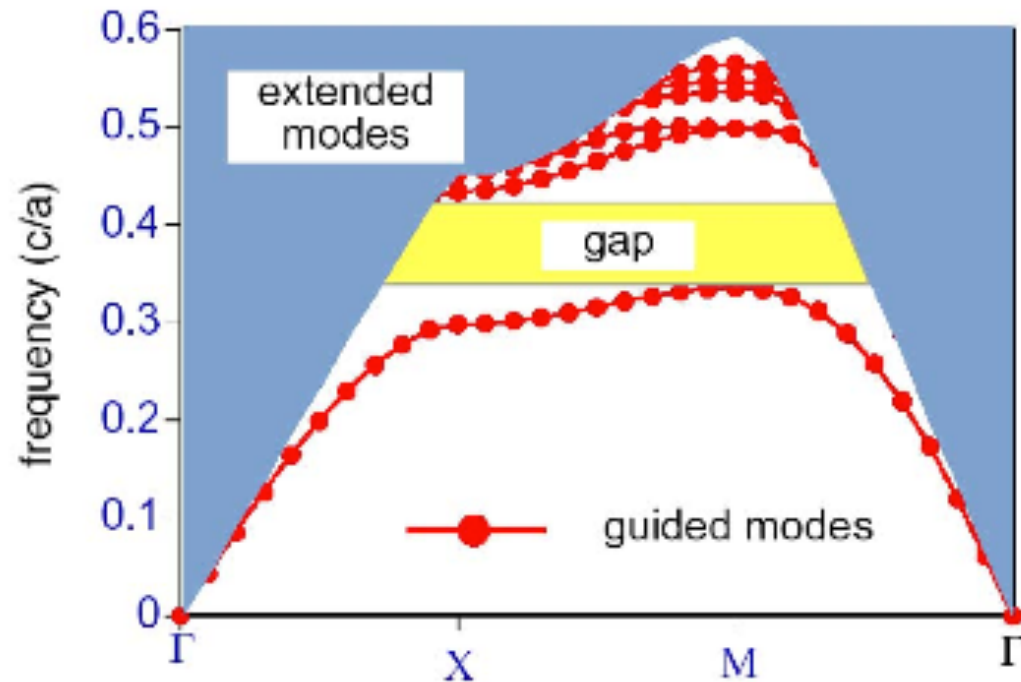
- In plane light propagation is determined by the 2D structuration
- In the third direction light is confined by total internal reflection



→ some modes are leaky!

# BASICS ON PHOTONIC CRYSTALS: General Concept

Band structure for triangular lattice of holes in a slab  
TE polarisation



Almost the same properties than in 1D but:

- Increase control of light propagation (2D)
- coupling of guided modes to the radiative modes → air bridge membrane to limit the losses

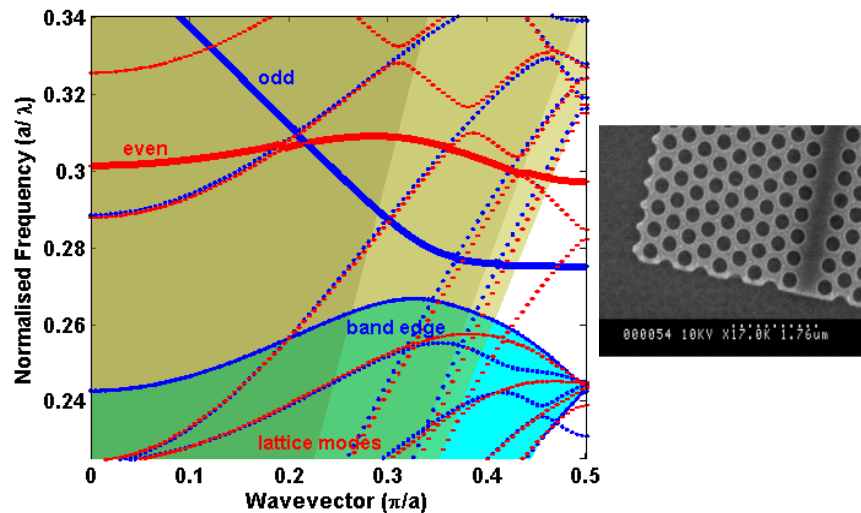




# BASICS ON PHOTONIC CRYSTALS: General Concept

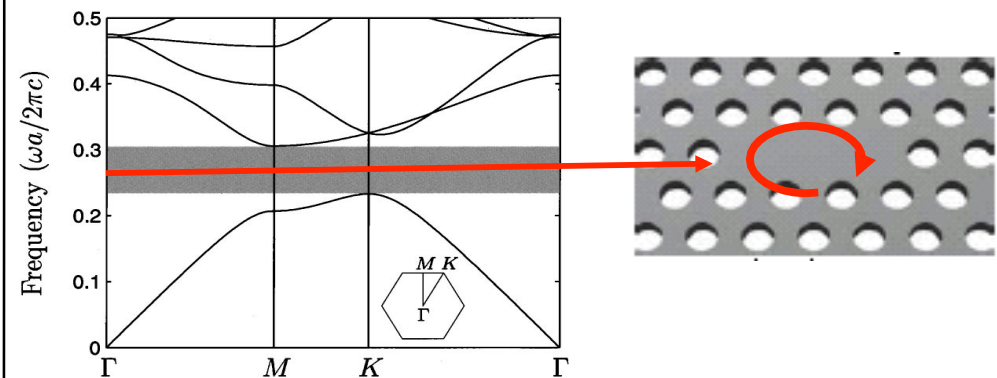
## Defects in 2D photonic crystals

### Line defect waveguides



- Regular step index waveguide for some frequencies
- Light guided thanks to the band gap → Slow light!

### Localised defect → nanocavities



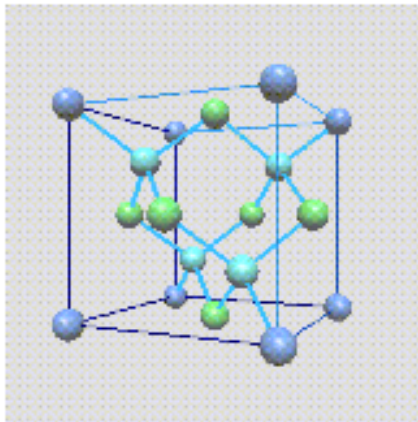
- Various Design for obtaining high Q ( $10^9$ )  
→ smart confinement by Fourier space analysis
- Diffraction limited volume  $(\lambda/2n)^3$

**Ultimate cavities?**

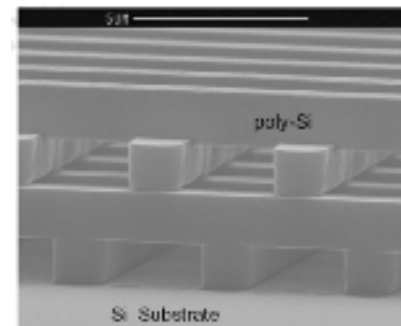
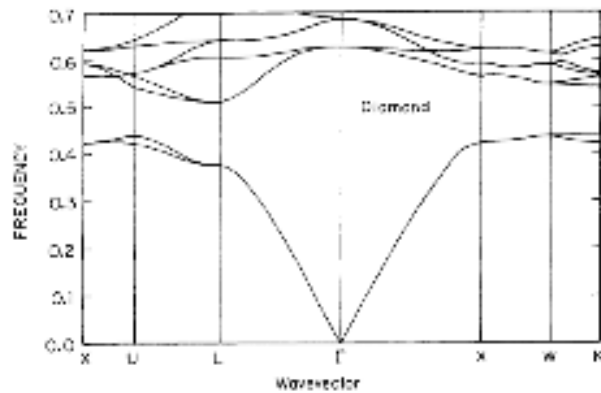
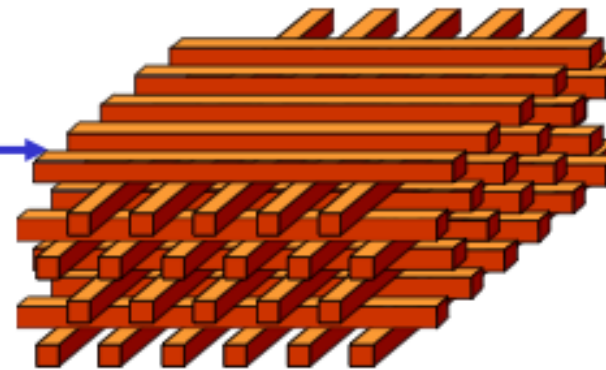
# BASICS ON PHOTONIC CRYSTALS: General Concept

## 3D photonic crystals

Diamond structure



Practical PhC



Full photonic band gap

# BASICS ON PHOTONIC CRYSTALS

---

**1- Photonic Crystals: “What’s in a name?”**

**2- Fabrication**

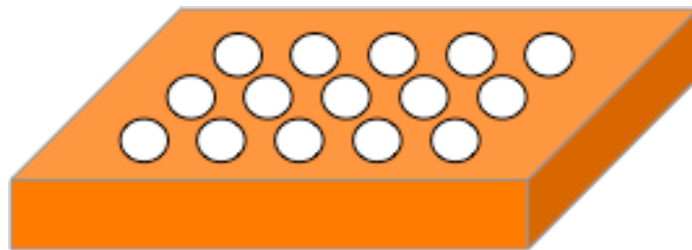
**3- Summary on their usefulness**



# BASICS ON PHOTONIC CRYSTALS: Fabrication

## Semiconductor 2D photonic crystals using planar technology

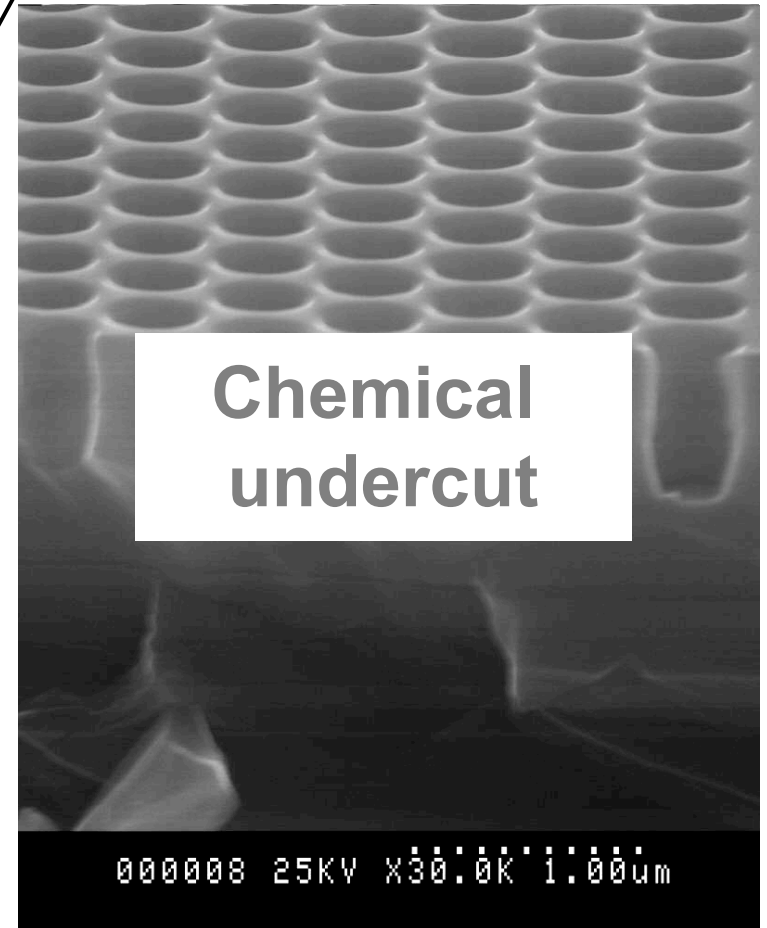
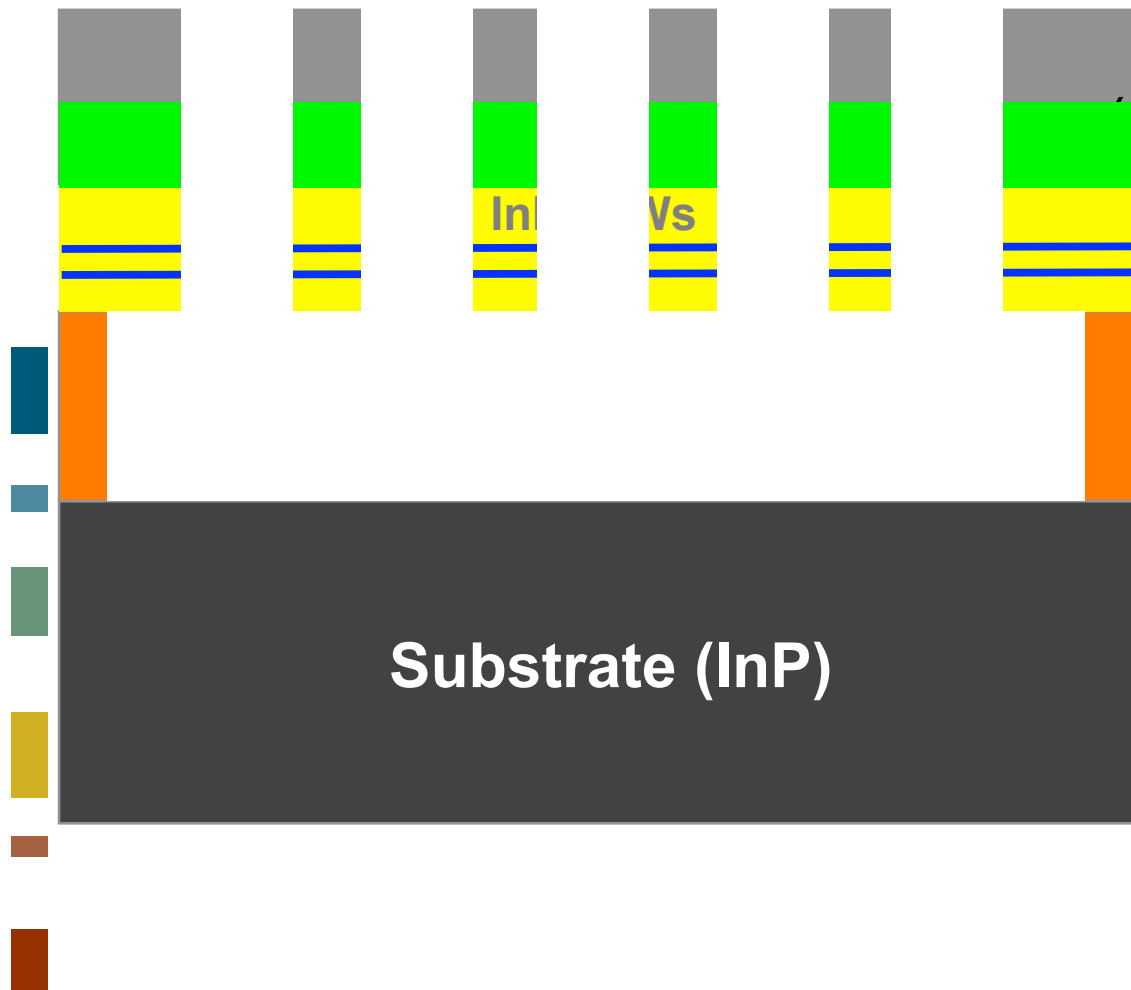
Goal: Obtaining a 2D PhC operating at telecom wavelength (1.55 microns). Lattice of holes drilled in a membrane suspended in air



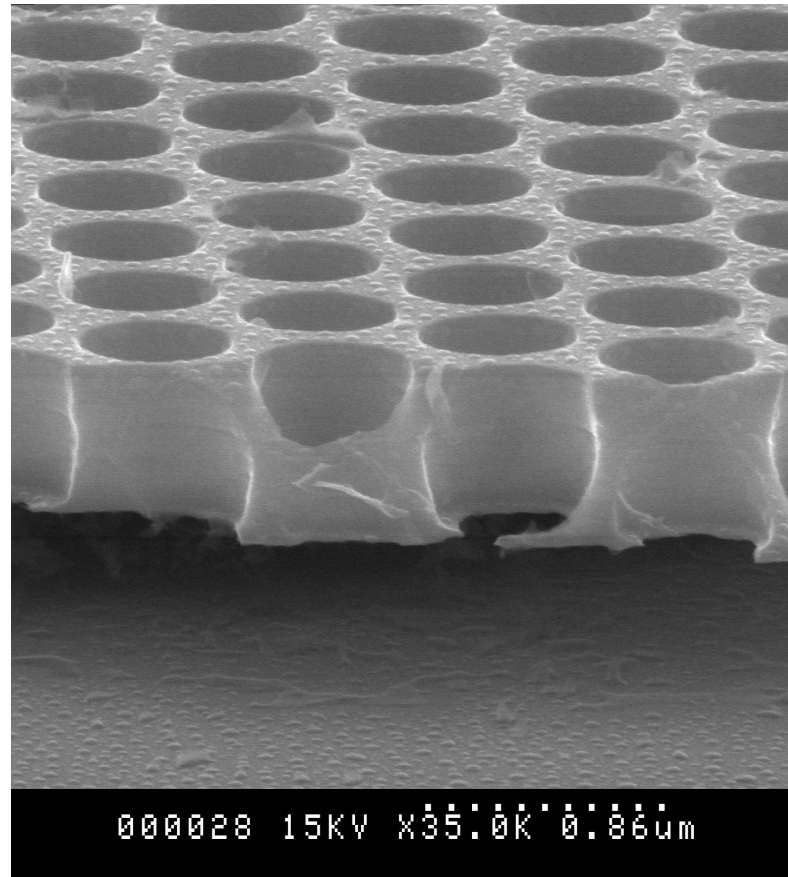
lattice constant= 400nm  
holes diameter=200nm  
membrane thickness=250nm

# ebeam Lithography

electro-sensitive resist (PMMA)



# Suspended membrane



# BASICS ON PHOTONIC CRYSTALS

---

**1- Photonic Crystals: “What’s in a name?”**

**2- Fabrication**

**3- Summary on their usefulness**

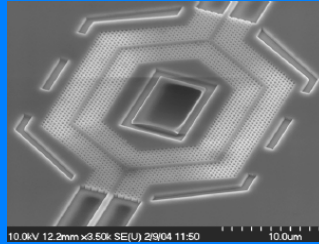


# Summary on their usefulness: Some exciting studies on PhC

## On propagation

### → Compact waveguides

*R. De la Rue et al, New J. Phys. 8 (2006)*



### → Negative refraction

*A. Berrier et al, Phys. Rev. Lett. 93, 073902 (2004) (KTH,LPN)*

### → Non-diffractive propagation...

*D.W. Prather, Opt. Letters 29, 50 (2004)*

## On light/matter interaction

### → Control of spontaneous emission (QED experiment)

*Vuckovic @stanford*

### → nanolasers (LPN, KAIST,...)

### → beam steering (Noda)

### → Nonlinear Optics (Harmonic generation, all optical data processing...)

THALES, NTT, IBM, KAIST, MIT, St Andrews, Roma, Toronto, ...



dépasser les frontières



LABORATOIRE  
DE PHOTONIQUE  
ET DE NANOSTRUCTURES



# BASICS ON NONLINEAR OPTICS: SUMMARY

---

How to get large effects:

$$\vec{P} = \varepsilon_0 \chi^{(2)} \vec{E} : \vec{E} + \varepsilon_0 \chi^{(3)} \vec{E} : \vec{E} : \vec{E} + \dots + \varepsilon_0 \chi^{(n)} \vec{E} : \vec{E} : \dots : \vec{E} + \dots$$

- $\chi^{(i)}$  large (material property)

- E high (confinement, cavity)

- phase-matching and adaptation of group velocity (wave mixing)

# Why nonlinear optics and Photonic crystals?

---

- Photonic crystals for nonlinear optics

PhC enables a quasi perfect control on light propagation:

- high Q cavities, Slow light waveguides → High intensities in materials
- Dispersion engineering for phase matching

- Nonlinear optics for photonic crystals

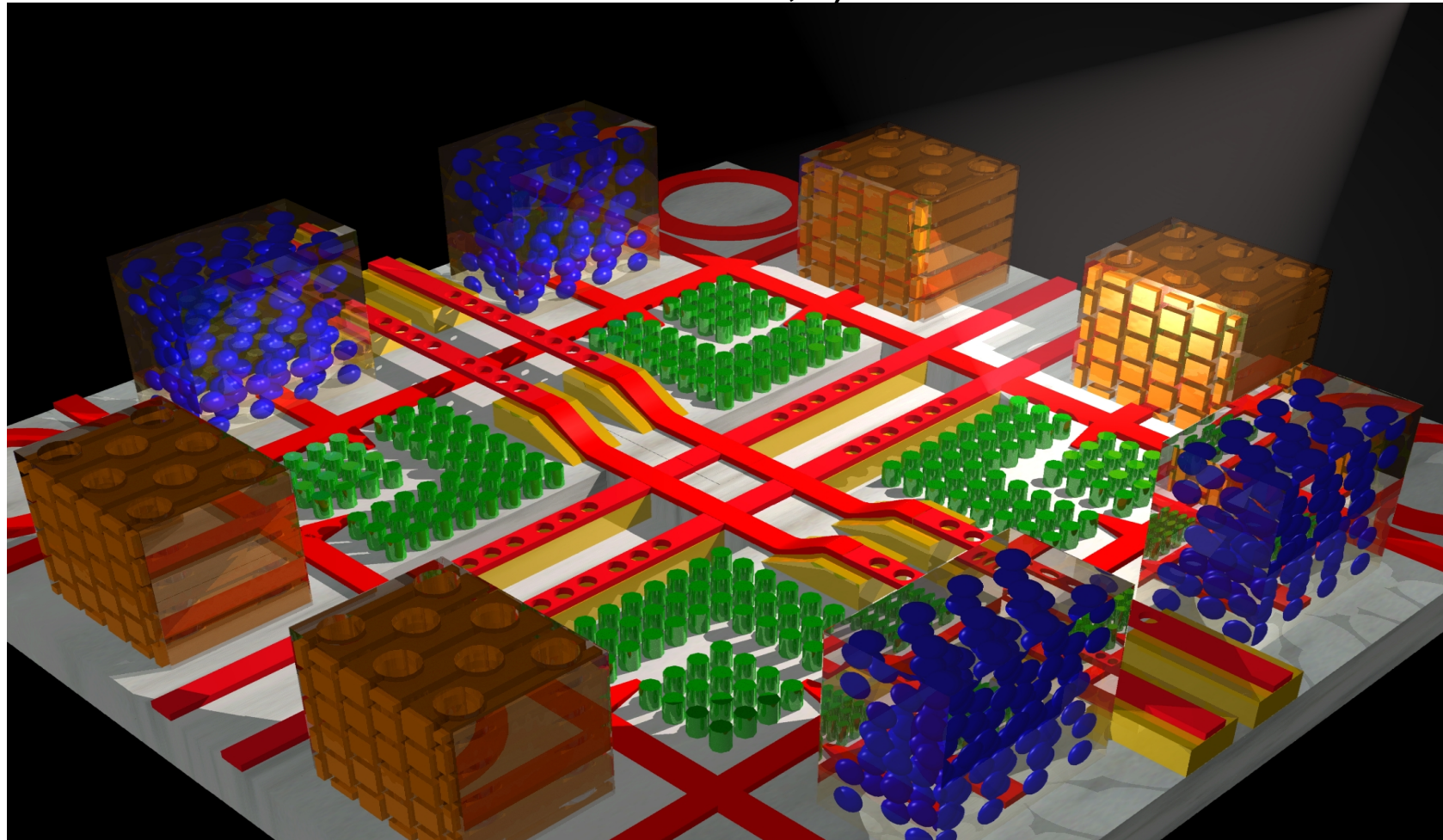
nonlinear optics opens the functionality portfolio of PhC:

- Sources
- manipulation of light by light



# Photonic Metropolis by MIT

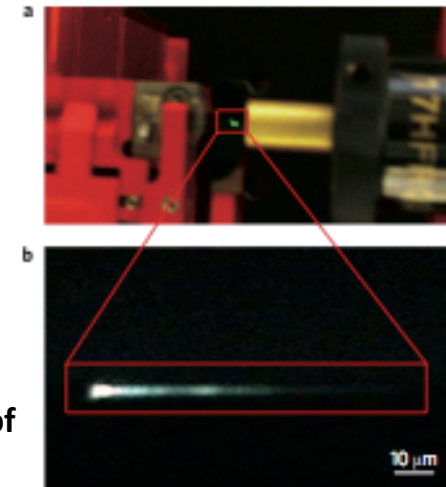
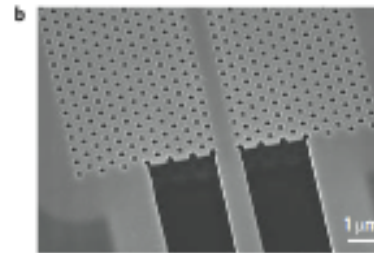
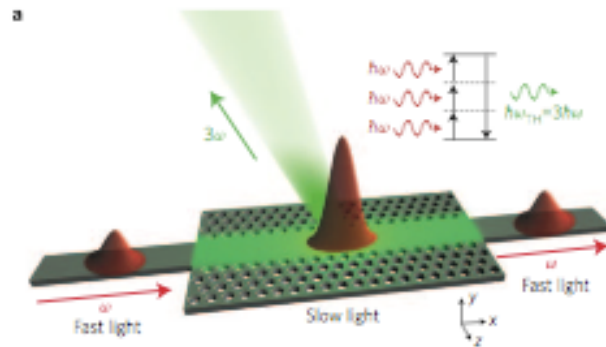
Passive functionalities (filtering, waveguiding....) + Active functionalities (sources, switches, memories,...)



<http://ab-initio.mit.edu/photons/micropolis.html>

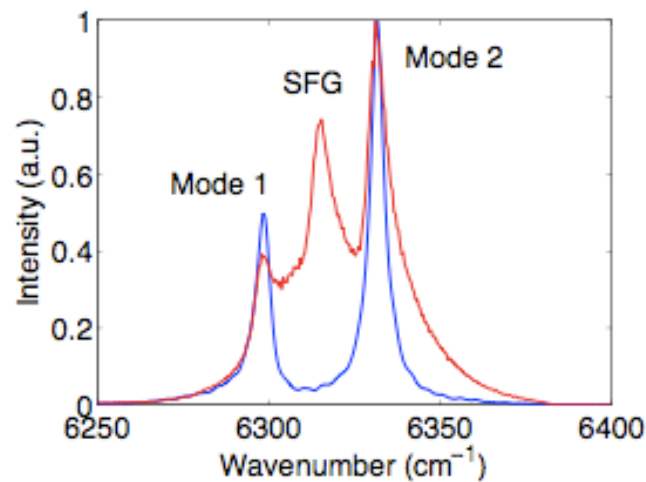
# Some work all over the world

## Green light emission in silicon through slow-light enhanced third-harmonic generation in photonic-crystal waveguides

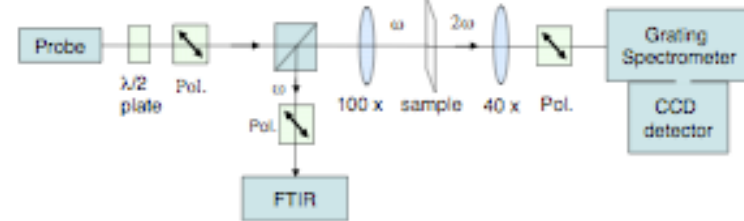
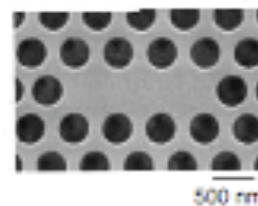


CUDOS, Institute for Photonic Optical Sciences (IPOS), Australia and University of St Andrews, UK. (2009)

## Second-order nonlinear mixing in planar photonic crystal microcavities



Harvard university, USA and University of British Columbia, Canada (2006)

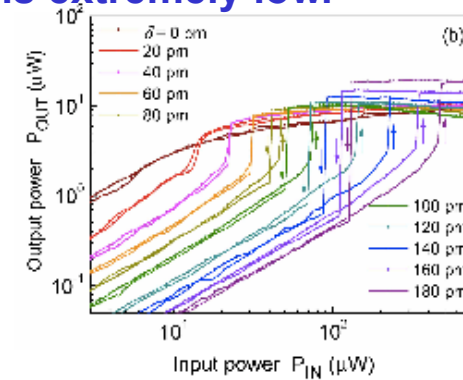
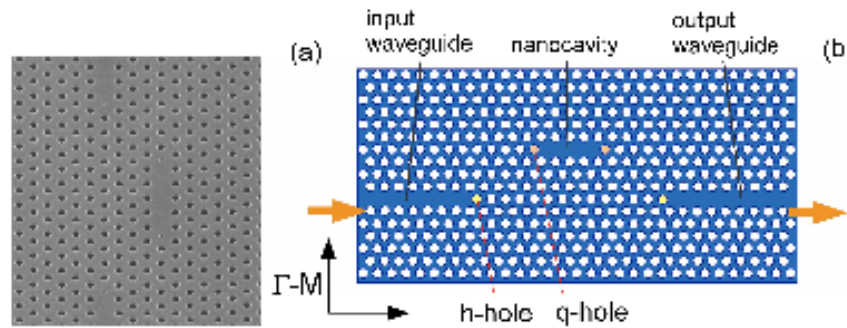


Efficiency =  $10^{-13}$



# Some work all over the world

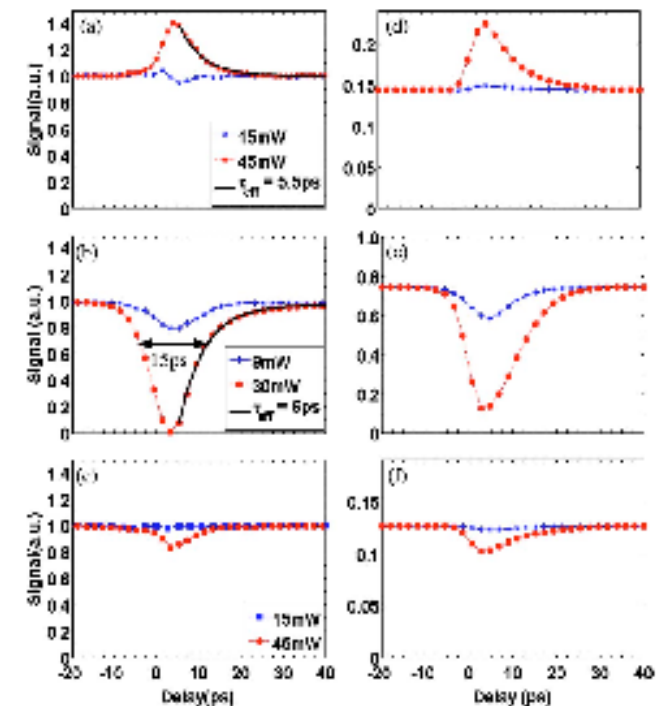
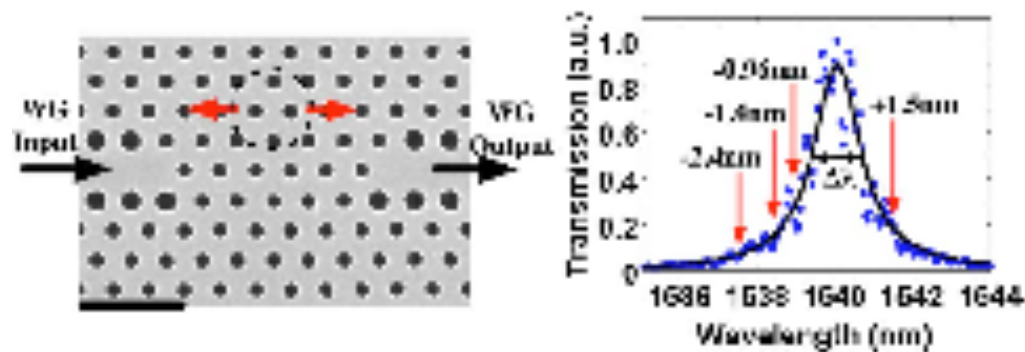
All-optical bistable switching in ultra-small high-Q Si photonic-crystal nanocavities. Due to high Q/V ratio, the switching energy is extremely low.



*NTT basic research laboratory, Japan (2005)*

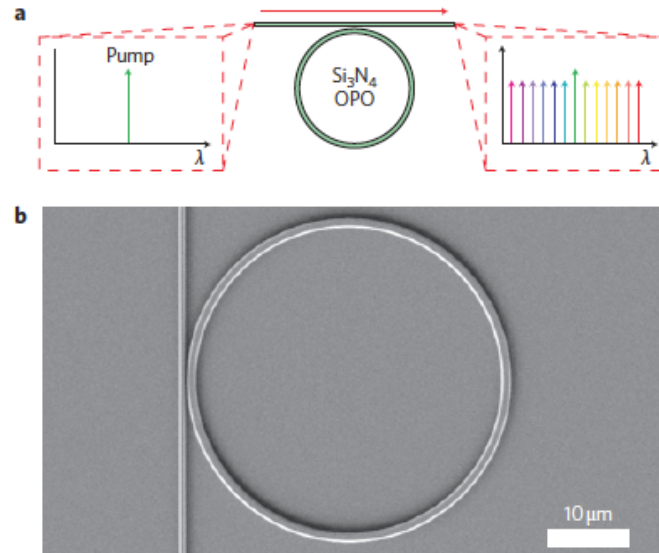
Ultrafast all-optical modulation in GaAs photonic crystal cavities

*Thales, LPN, Columbia Univ. (2010)*

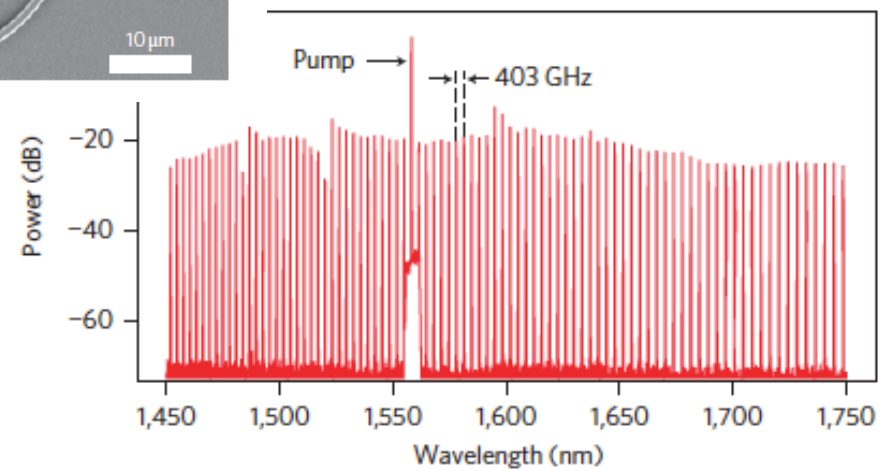
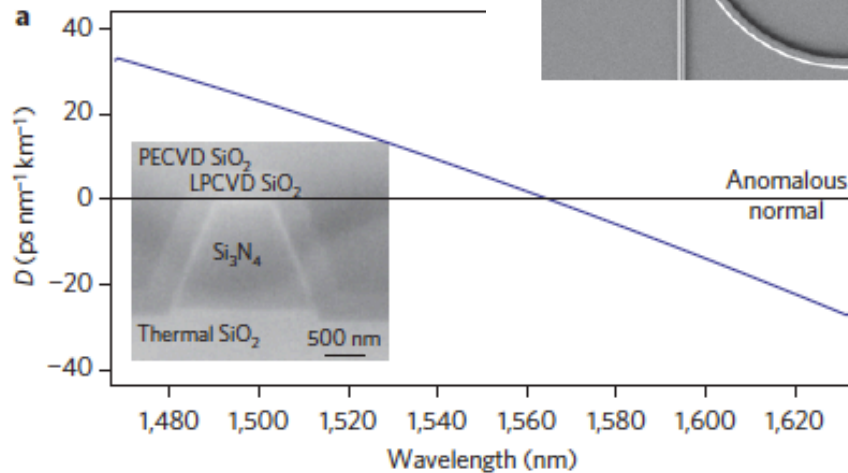


# Some work all over the world

## Frequency comb generation based on FWM in SiN-based ring resonator



Not only PhC...



Cornell Univ, USA (2010)

# NONLINEAR SEMICONDUCTOR PHOTONIC CRYSTALS

---

1- Ultracompact wavelength converter ( $\chi^{(2)}$ )

2- All-optical ultrafast switching

3- Solitons propagation



# NONLINEAR PHOTONIC CRYSTALS

---

## 1- Ultracompact wavelength converter ( $\chi^{(2)}$ )

→ *Second harmonic generation in 1D PhC*

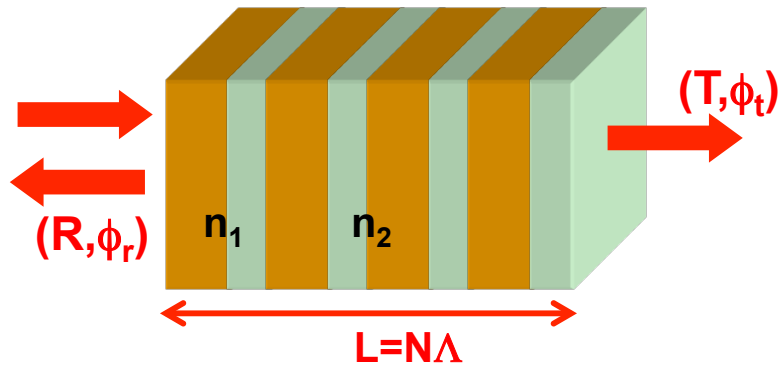
→ *Second harmonic generation in 2D PhC*

## 2- All-optical ultrafast switching

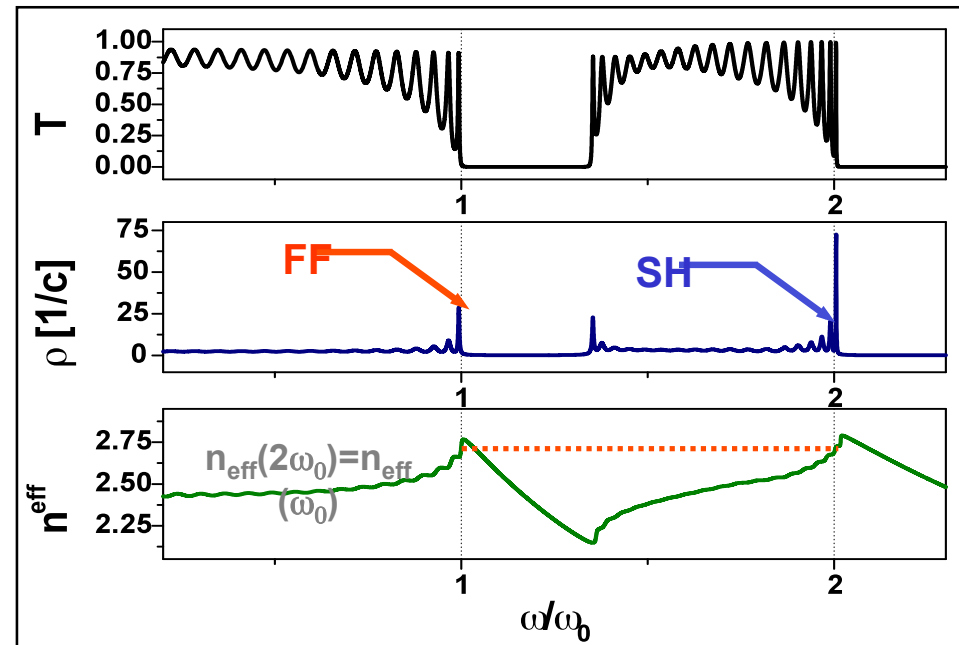
## 3- Solitons propagation



# Second harmonic generation in AlGaAs/AlOx Bragg mirrors



M. Centini *et al.*, Phys. Rev. E **60**, 4891 (1999). (Theory)  
 G. D'Aguanno *et al.*, Phys. Rev. E **64**, 016609 (2001). (Theory)



→ Use anomalous dispersion at the band-edges to obtain phase matching to compensate chromatic dispersion

@1.55  $\mu\text{m}$   $\Delta n = 0.24 \rightarrow L_c = 1.6 \mu\text{m}$ ! in  $\text{Al}_{0.3}\text{Ga}_{0.7}\text{As}$

**Ultracompact device!**

→ Use increased mode density ( $1/v_g$ ) to go from

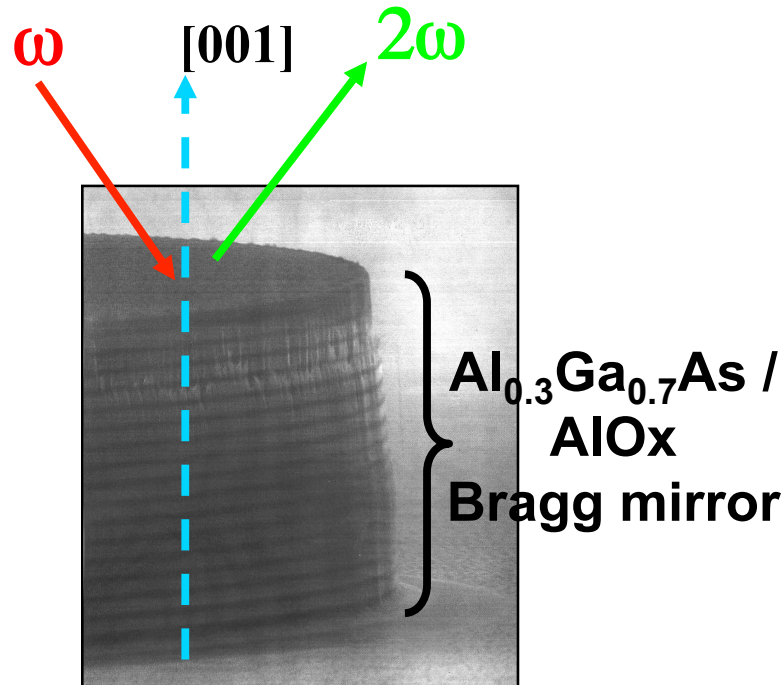
~~$\eta \propto L^2$~~   $\longrightarrow$   $\eta \propto L^6$



# Second harmonic generation in Bragg mirrors

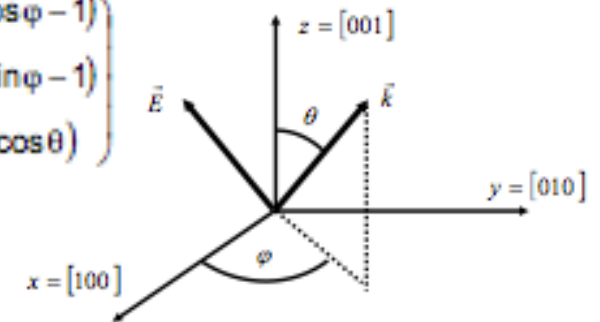
$\text{Al}_{0.3}\text{Ga}_{0.7}\text{As}$ : High nonlinearity (110pm/V – 10x  $\text{LiNbO}_3$ ) and no two-photon absorption @1.5 $\mu\text{m}$   
 $\text{AlOx}/\text{AlGaAs}$  high index contrast  $\rightarrow$  phase-matching

GaAs  $\chi^{(2)}$  Tensor  $\bar{4}3m$  (Zinc blend)



$$\begin{pmatrix} P_x^{\text{NL}} \\ P_y^{\text{NL}} \\ P_z^{\text{NL}} \end{pmatrix} = \epsilon_0 \begin{pmatrix} 0 & 0 & 0 & d & 0 & 0 \\ 0 & 0 & 0 & 0 & d & 0 \\ 0 & 0 & 0 & 0 & 0 & d \end{pmatrix} \begin{pmatrix} E_x^2 \\ E_y^2 \\ E_z^2 \\ 2E_y E_z \\ 2E_x E_z \\ 2E_x E_y \end{pmatrix}$$

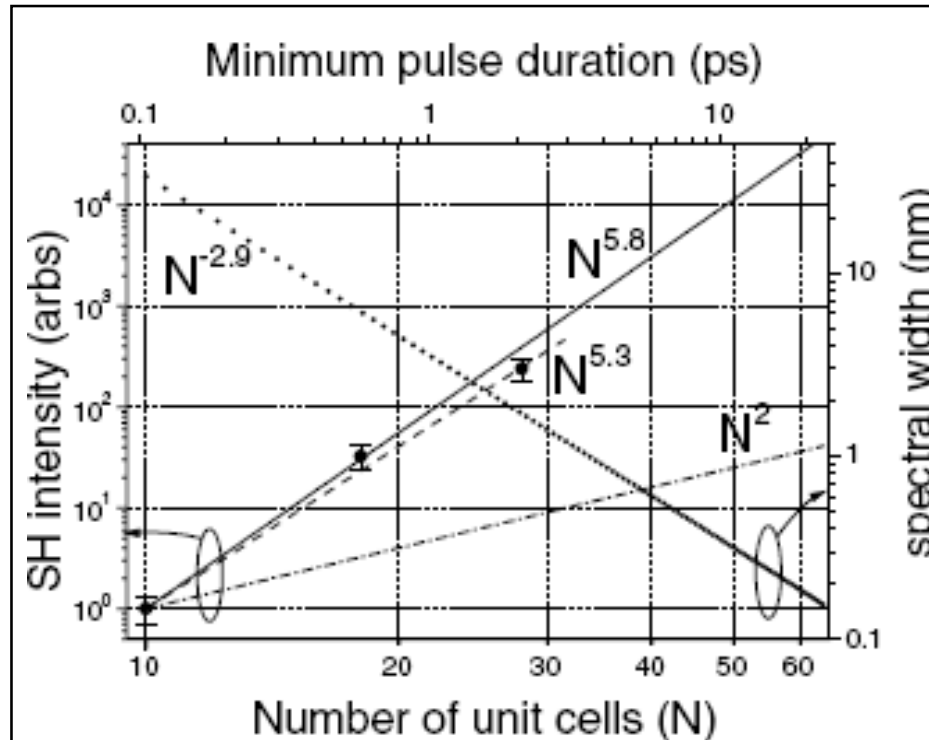
$$\vec{P}_{\text{NL}} = \epsilon_0 d_{14} E_0^2 \begin{pmatrix} \sin 2\theta \sin \varphi (\sin \theta \cos \varphi - 1) \\ \sin 2\theta \cos \varphi (\sin \theta \sin \varphi - 1) \\ \cos^2 \theta \sin 2\varphi (1 - \cos \theta) \end{pmatrix}$$



$\rightarrow$  SHG=0 @ Normal incidence!

# Second harmonic generation in Bragg mirrors

## Experimental results



→ Max efficiency = 0.1%  
→ Efficiency goes like  $N^{5.3}$

Y. Dumeige et al, Phys. Rev. Lett. 89:043901 (2002)

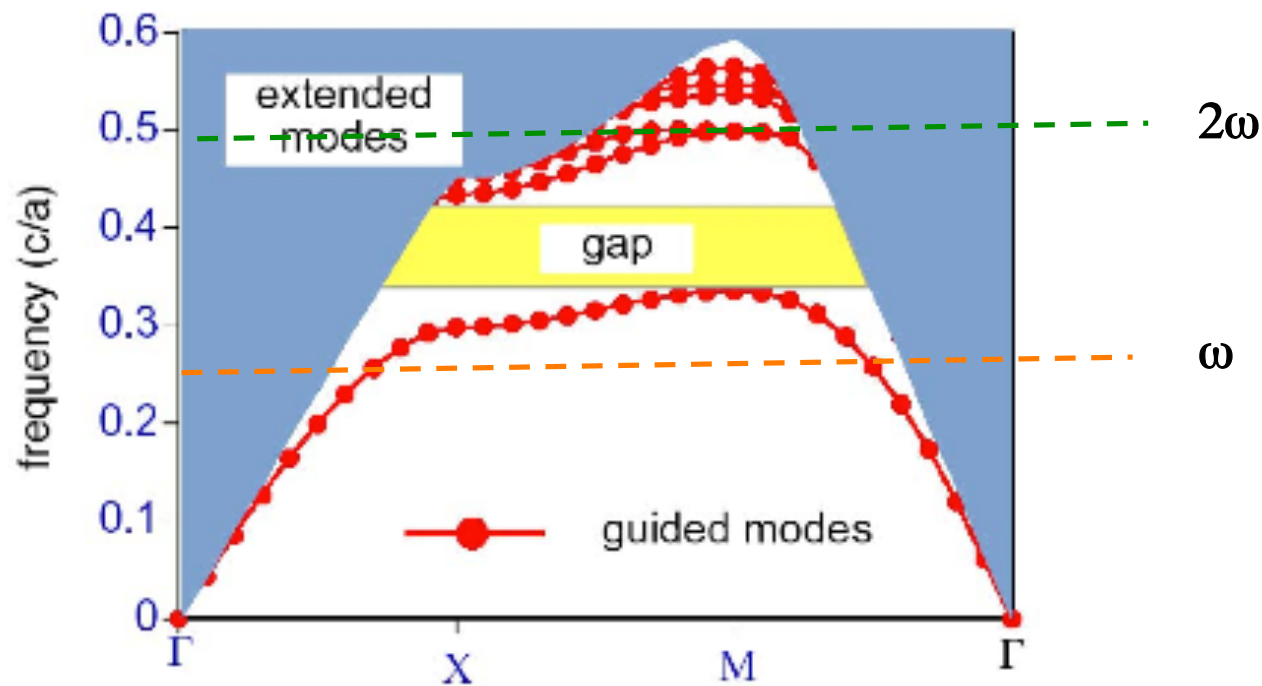
→ To increase efficiency we have to increase the number of layers  
BUT: limitation of the growth and processing (strain, oxidation)

**SOLUTION: Planar structure**

# Second harmonic generation Planar 2D PhC

*Use 2D structuration to obtain phase matching*

Remember that we live in a 3D world → problem of leaky modes @  $2\omega$



→ Find a structure with phasematching and perfect confinement of the light at both frequencies

# Second harmonic generation Planar 2D PhC

---

Defect structures don't work:

- $2\omega$  has to be TM polarised because of the form of the nonlinear tensor → small bandgap
- $2\omega$  is always above the light line

## Perfectly periodic structure

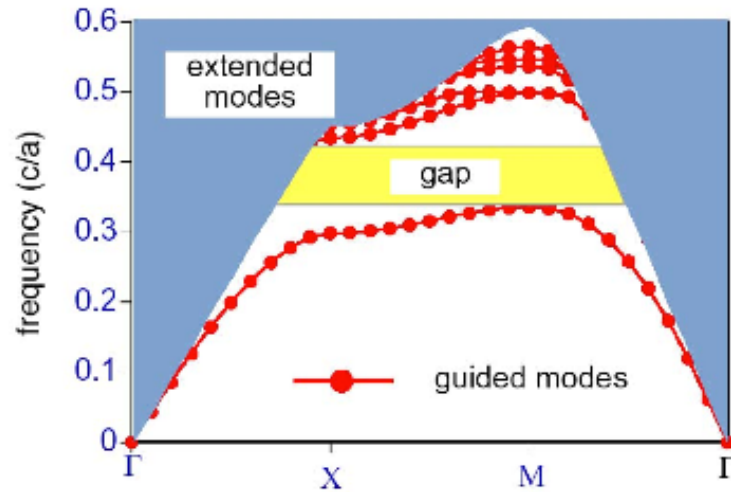
- Phase matching is possible
- Field confinement in the transverse direction? Spatial walk-off?

SOLUTION: Use Non diffractive propagation in 2D PhC

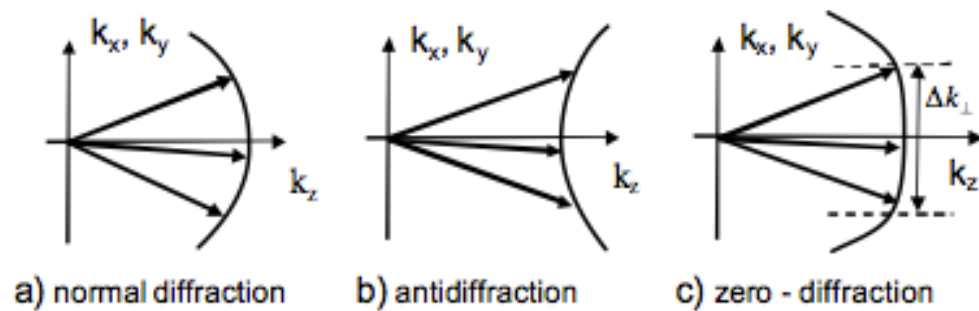
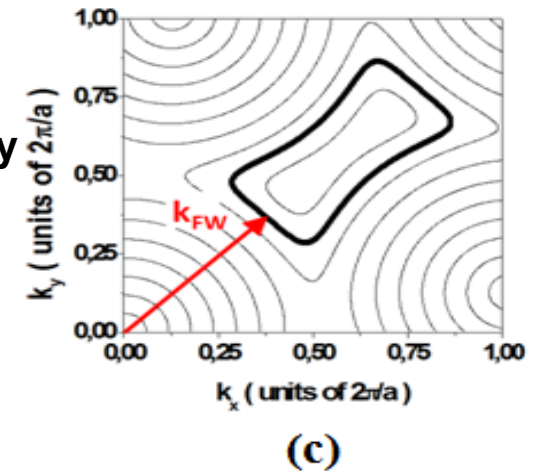
Collaboration with UPC in Barcelona (C. Nistor, C. Cojocaru, J. Trull, K. Staliunas)

# Second harmonic generation Planar 2D PhC

## Non diffractive propagation in 2D PhC



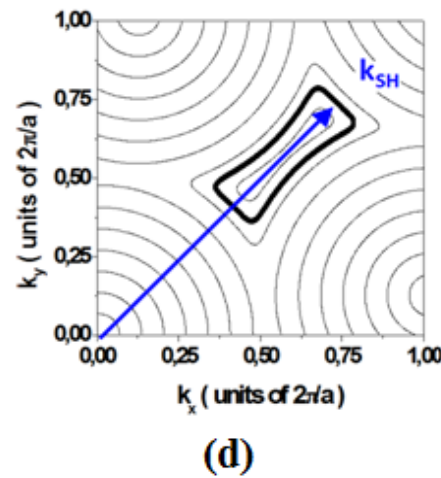
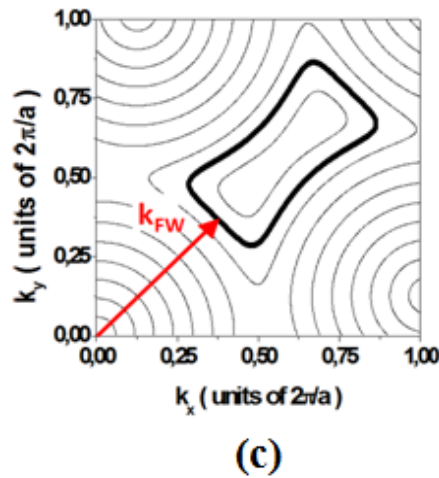
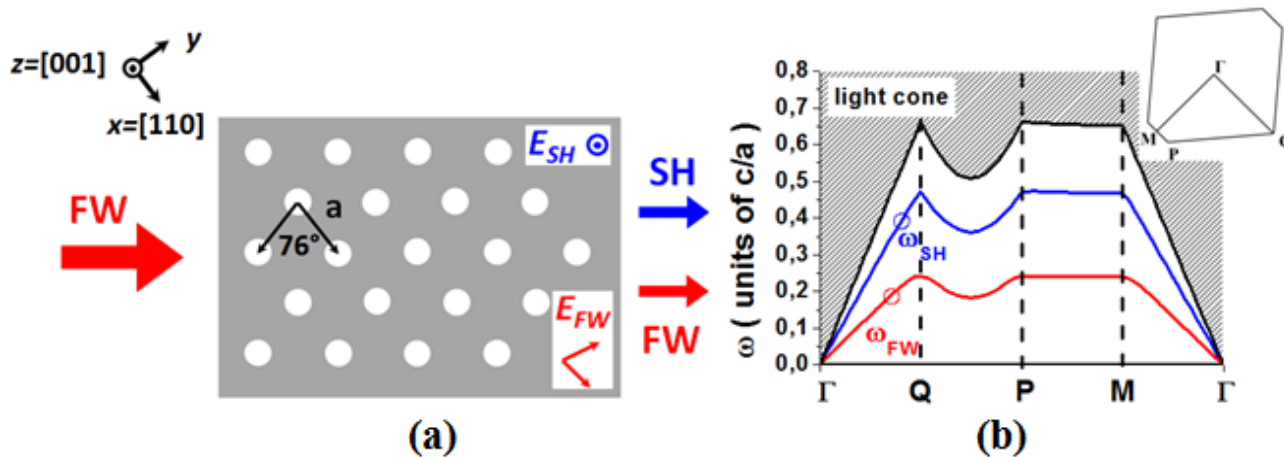
isofrequency  
→



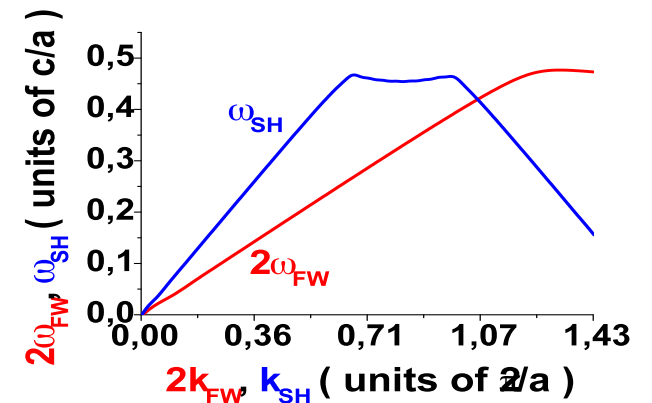
Flat band → non diffractive propagation

# Second harmonic generation Planar 2D PhC

Particular configuration: Orthorhombic lattice of holes



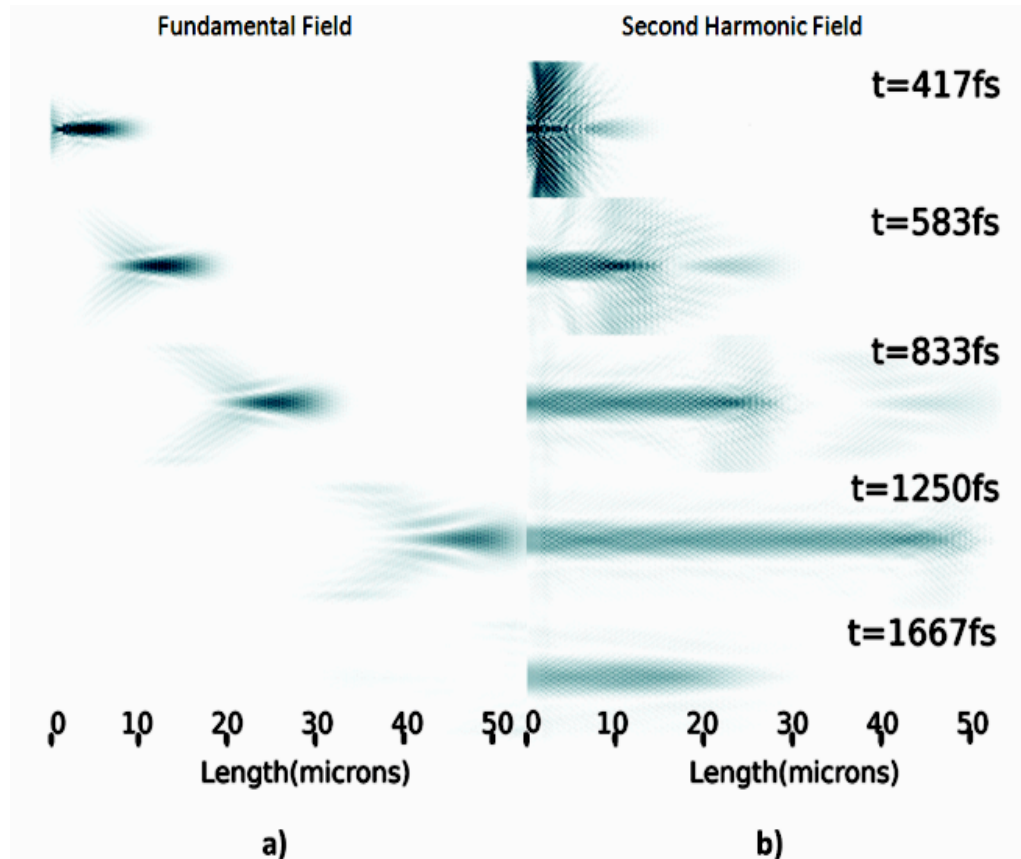
Phase matching Condition



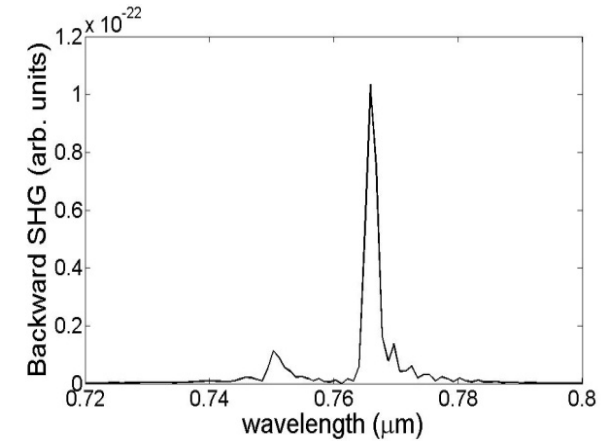
# Second harmonic generation Planar 2D PhC

## Numerical simulations: 2D Nonlinear FDTD

Pulsed Regime



## Generated SH

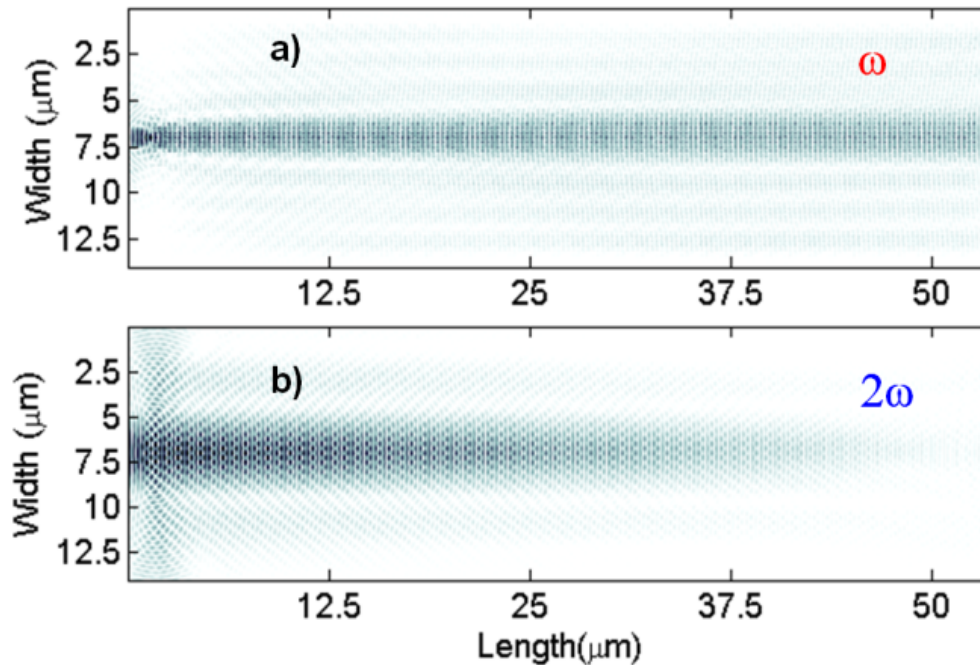




# Second harmonic generation Planar 2D PhC

## Numerical simulations: 2D Nonlinear FDTD

CW Regime



submitted to Phys. Rev. A

- SH Efficiency grows quadratically with the length → Phase matching
- SH is generated backward (like in NIMs)
- Non diffractive propagation both @  $\omega$  and  $2\omega$
- efficiency around 0.01% for  $1\text{GW}/\text{cm}^2$  for a 50 micron long structure

# NONLINEAR PHOTONIC CRYSTALS

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## 1- Ultracompact wavelength converter

## 2- All-optical ultrafast switching

→ nonlinear nanocavity

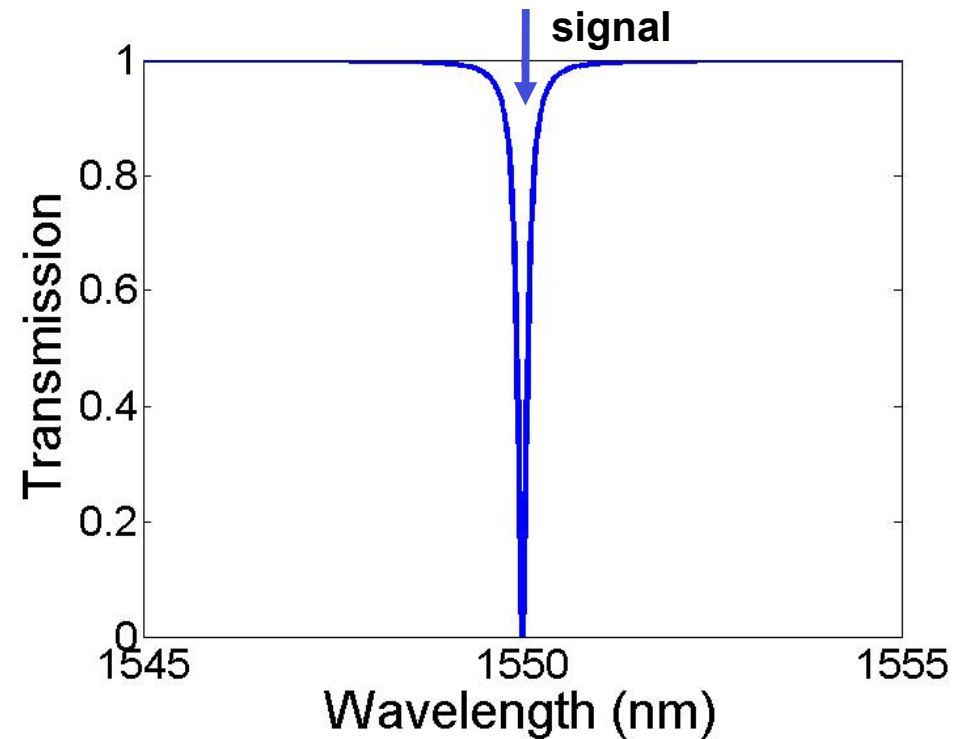
## 3- Solitons propagation



# Ultrafast all-optical switching

## Principle

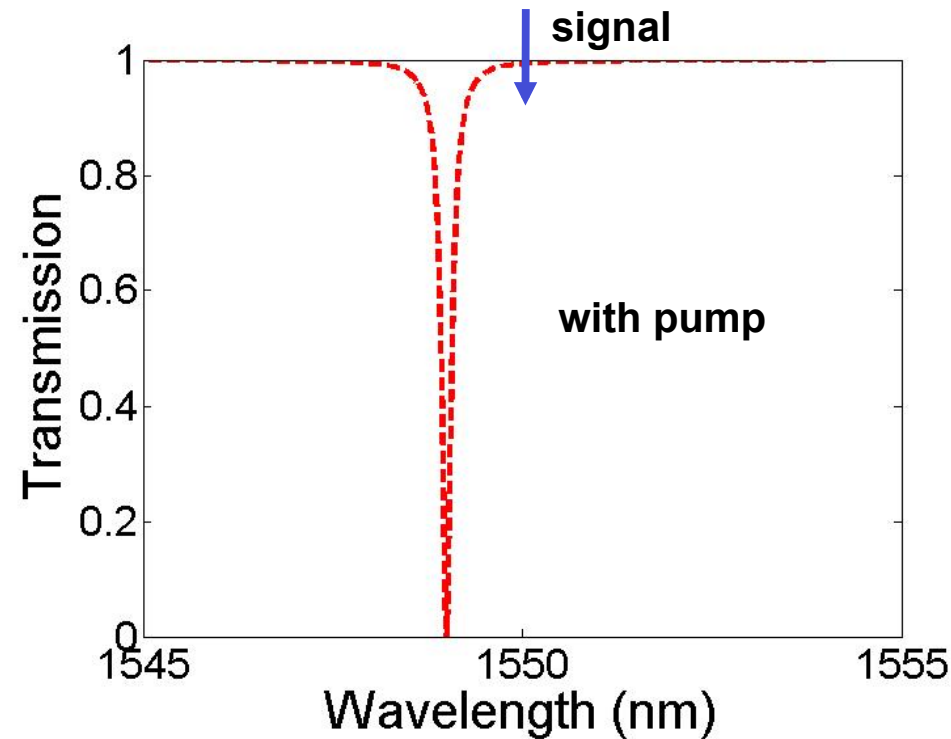
*Change of refractive index through optical nonlinearity  $\chi^{(3)}$*



# Ultrafast all-optical switching

## Principle

Change of refractive index through optical nonlinearity  $\chi^{(3)}$



wavelength shift of the cavity resonance

→ change of the signal transmission

# Third order nonlinear process

## Origin of nonlinearity

*A lot of physical effect lead to the dependence of the refractive index with the field intensity. One can distinguish:*

### - Intrinsic nonlinearity

Light interacts with the electron cloud: no “real” energy exchange between light and matter

→ transparent materials

→ instantaneous

→ nonlinear refractive index  $n_2 = 2.7 \cdot 10^{-16} \text{ cm}^2/\text{W}$  (for silica – x100 for Si)

### - Dynamic nonlinearity

Light exchange energy with the matter. For example, thermal effects, absorption and refractive index change linked to carrier density

→ energy dissipation

→ not instantaneous, depend on the dynamics of relaxation of the considered effect:

Thermal effects: heat dissipation occurs in microsecond

electronic effect: linked to carrier lifetime

→ nonlinear refractive index  $n_2 = 10^{-6} \text{ cm}^2/\text{W}$  (thermal effects)

$n_2 = 10^{-6} \text{ cm}^2/\text{W}$  (carrier density change)

# Third order nonlinear process

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Light exchange energy with the matter. For example, thermal effects, absorption and refractive index change linked to carrier density

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Thermal effects: heat dissipation occurs in microsecond

**electronic effect: linked to carrier lifetime**

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$n_2 = 10^{-6} \text{ cm}^2/\text{W}$  (carrier density change)



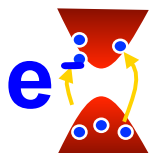
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LABORATOIRE  
DE PHOTONIQUE  
ET DE  
NANOSTRUCTURES

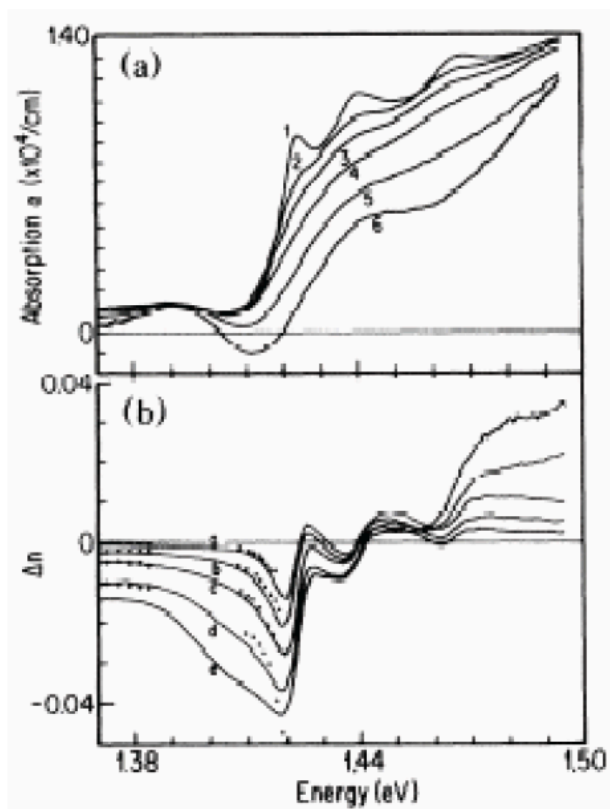
# Operation based on active material

III-V quantum wells are embedded as active medium



Large optical nonlinearities through injection of carriers

$n$  and  $\alpha$  (or  $g$ ) are dependent on intensity



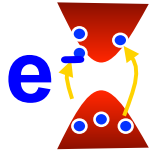
MQW in GaAs

S.W. Koch et al, J. Appl. Phys. 63 R1 (1988).

→ choice of operation wavelength determines the privileged effect

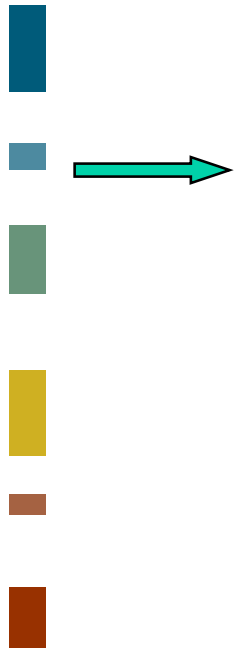
# Operation based on active material

III-V quantum wells are embedded as active medium



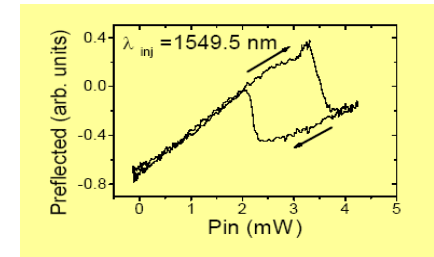
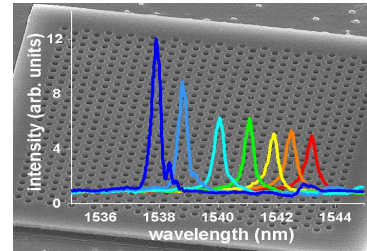
Large optical nonlinearities through injection of carriers

$n$  and  $\alpha$  (or  $g$ ) are dependent on intensity

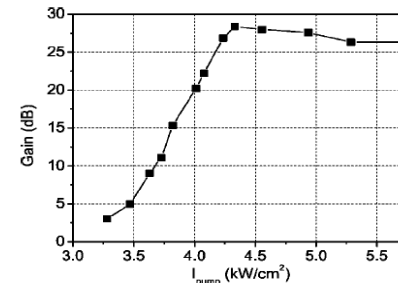


$\lambda$  in the tail of absorption  
**dispersive nonlinearity**  
 optical switching, bistability

$\lambda$  @ max of absorption/gain  
**absorption/gain nonlinearity**  
 amplification, laser emission,  
 bistability



F. Raineri et al, Opt. Lett. 30, 64 (2005)



F. Raineri et al, Appl. Phys. Lett. 86, 091111 (2005)



# What are the issues?

---

- **Having a large nonlinear response:**

- Dynamic nonlinearities

- High Q cavity mode and small volume for:

- large extinction ratio

- higher pump intensity (can be different mode)

- **Having fast response:**

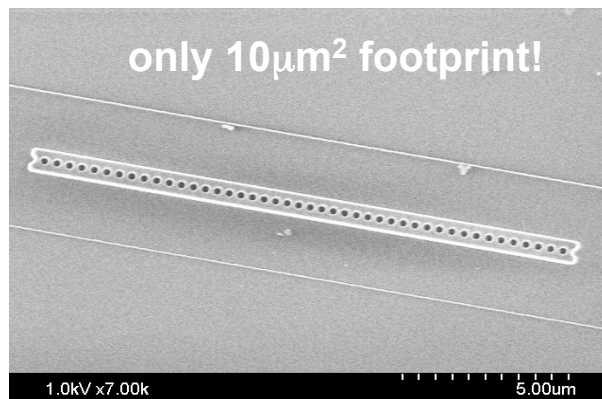
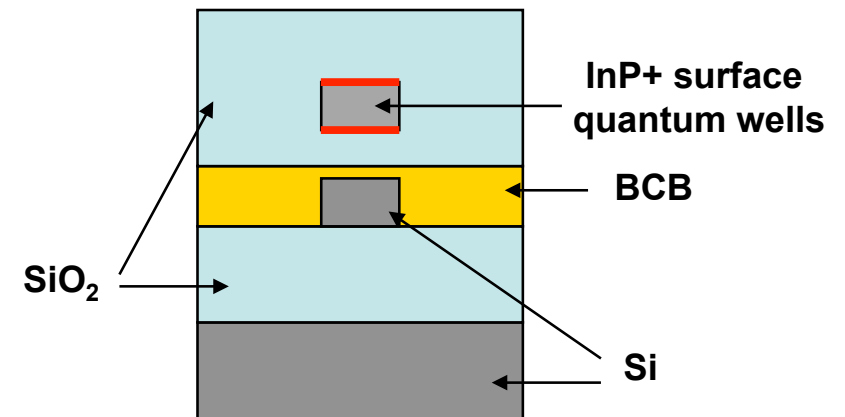
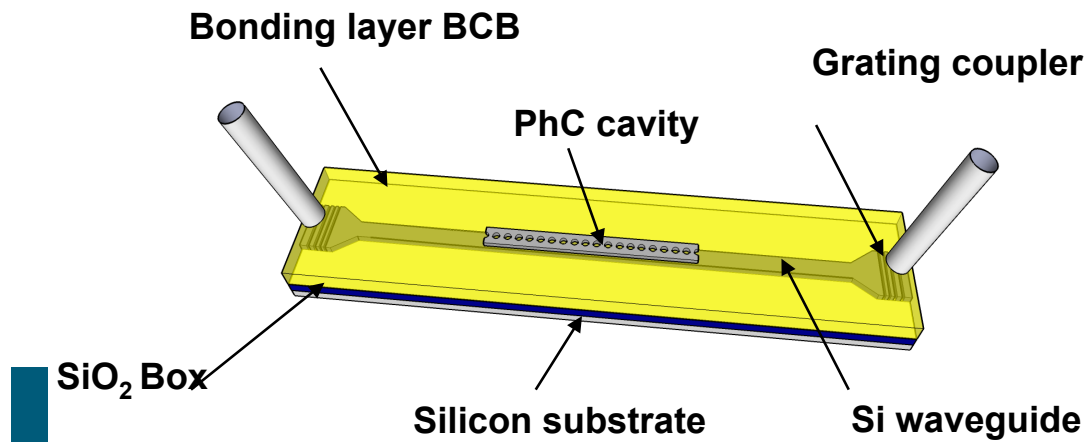
- engineering of carrier lifetime

- **Avoiding thermal effects** which induces slow dynamics and material degradation

- engineering of thermal resistance (no suspended membranes!)

# Ultrafast switching

Reduction of carrier lifetime using surface InGaAs QW and material patterning



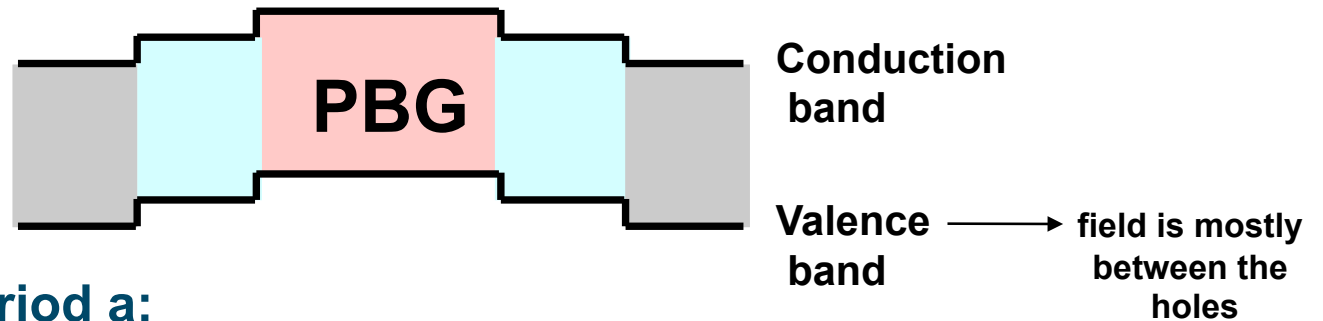
Fully embedded in SiO<sub>2</sub> for robustness and increased heat sinking

(thermal resistance 10x smaller than suspended membrane)

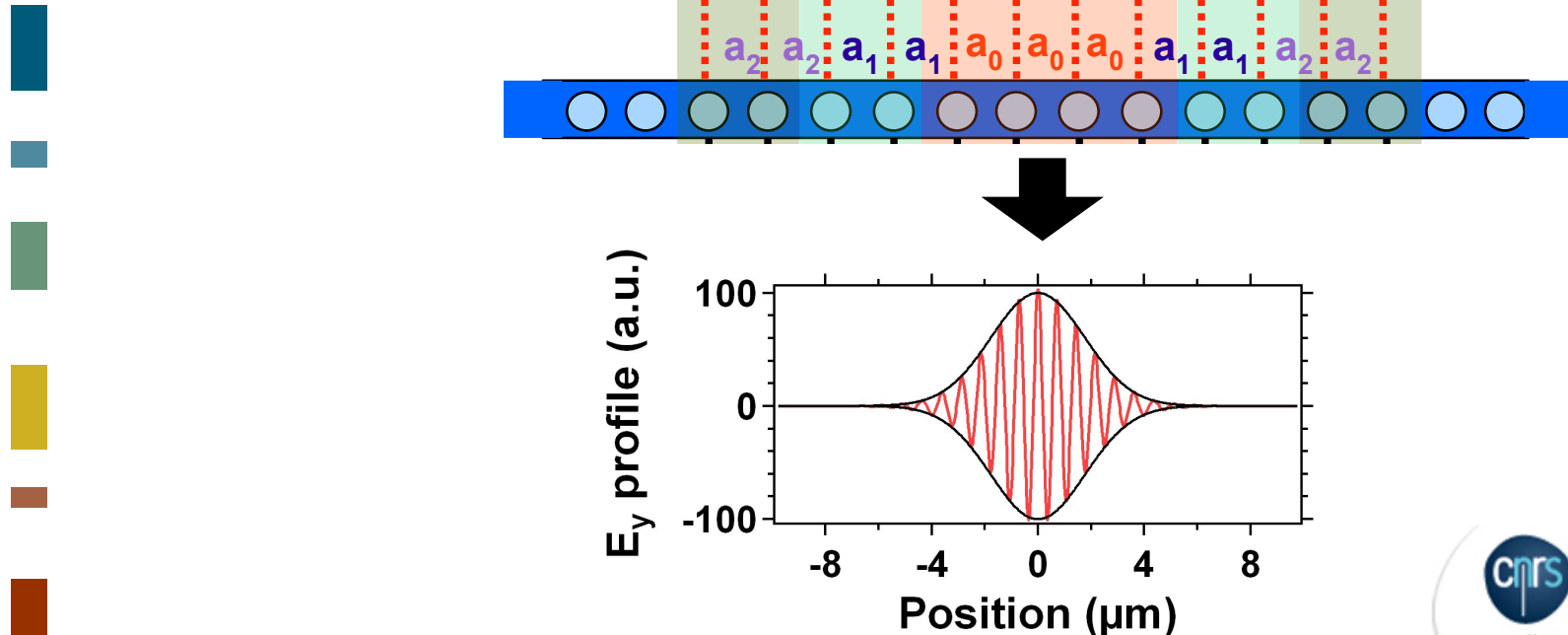
# High-Q design of PhC cavity

- Apodized cavity concept: profile of the field envelop designed to suppress radiation losses.

(See Tanaka *et al*  
Journal of Quantum Electronics, 26, 11 (2008))

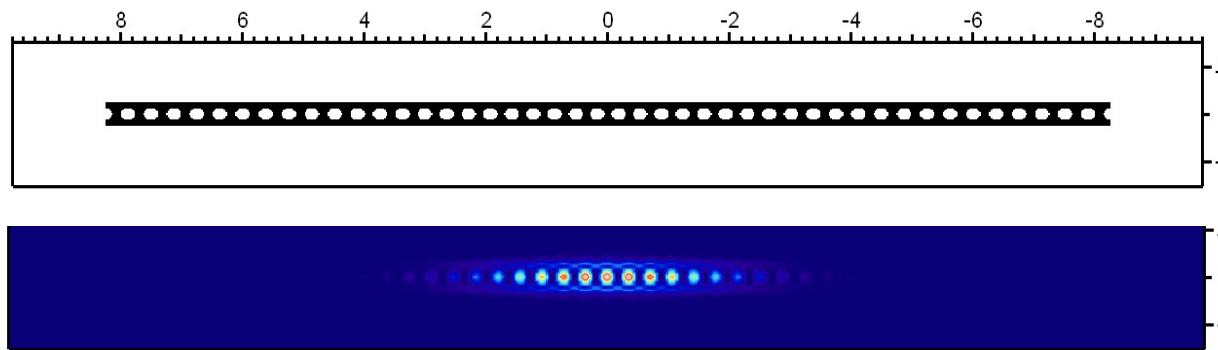
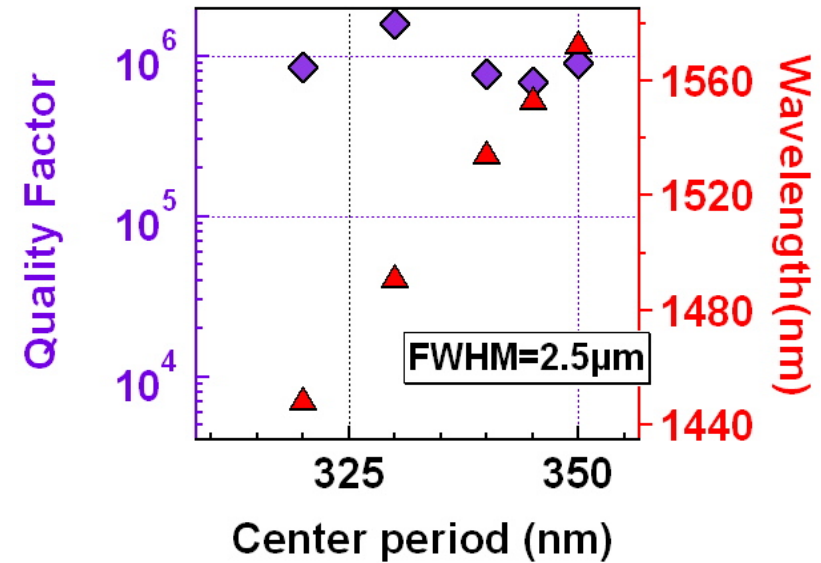
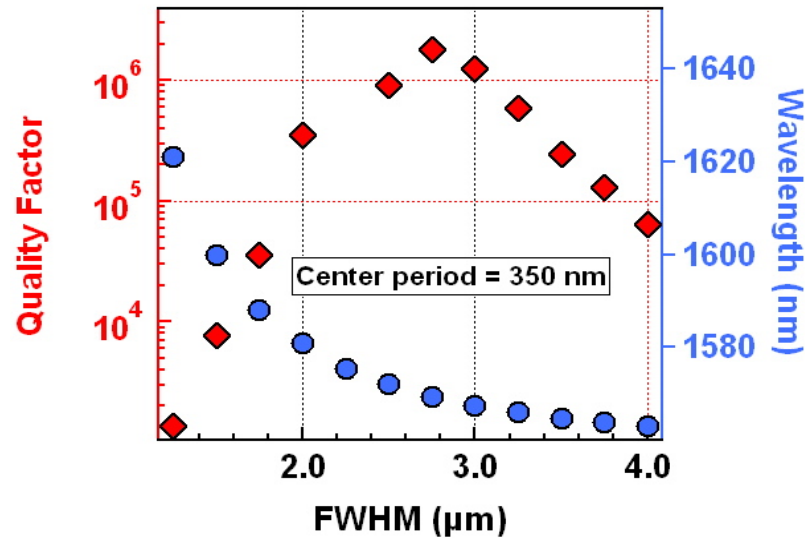


- Progressive shift in period  $a$ :

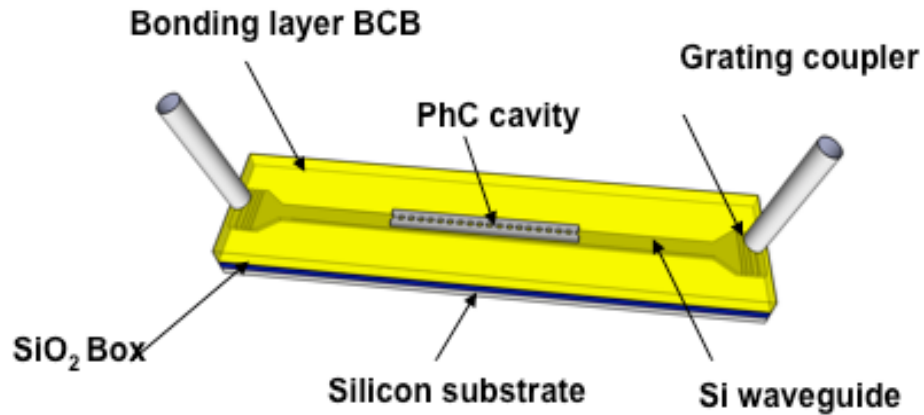


# High-Q of encapsulated Wire Apodized Cavity

3D FDTD calculations

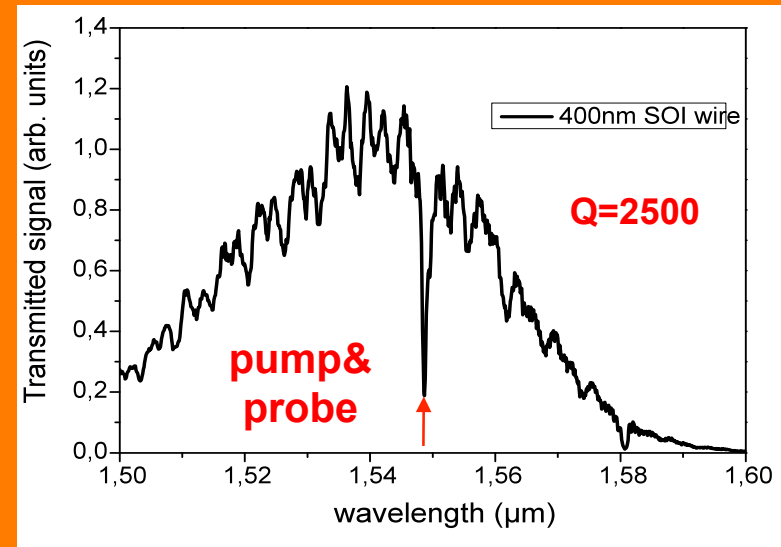


# Ultrafast switching



→ sharp resonance for switching

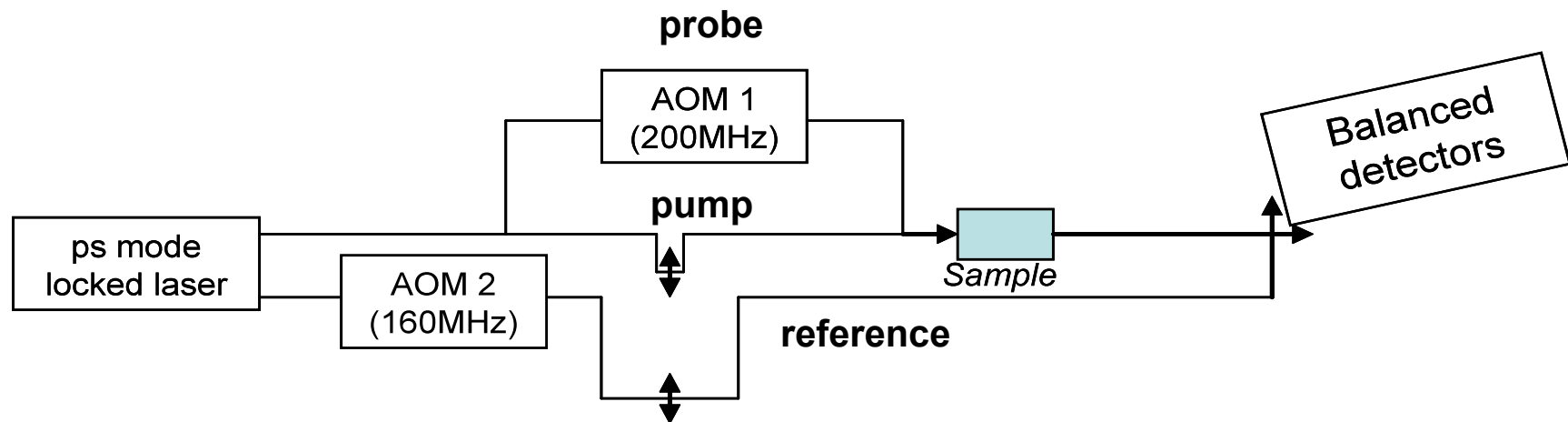
## Transmission characterisation



→ induced blue shift of the resonant by the pump

# Ultrafast switching

## Quasi degenerate pump-probe experiment with balanced heterodyne detection



Detection of signal at the beat frequency of probe and reference as a function of the delays

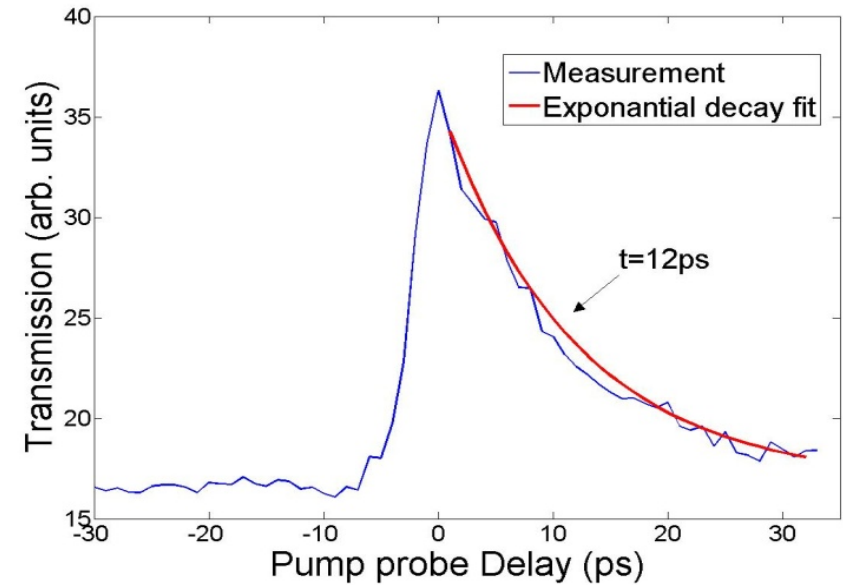
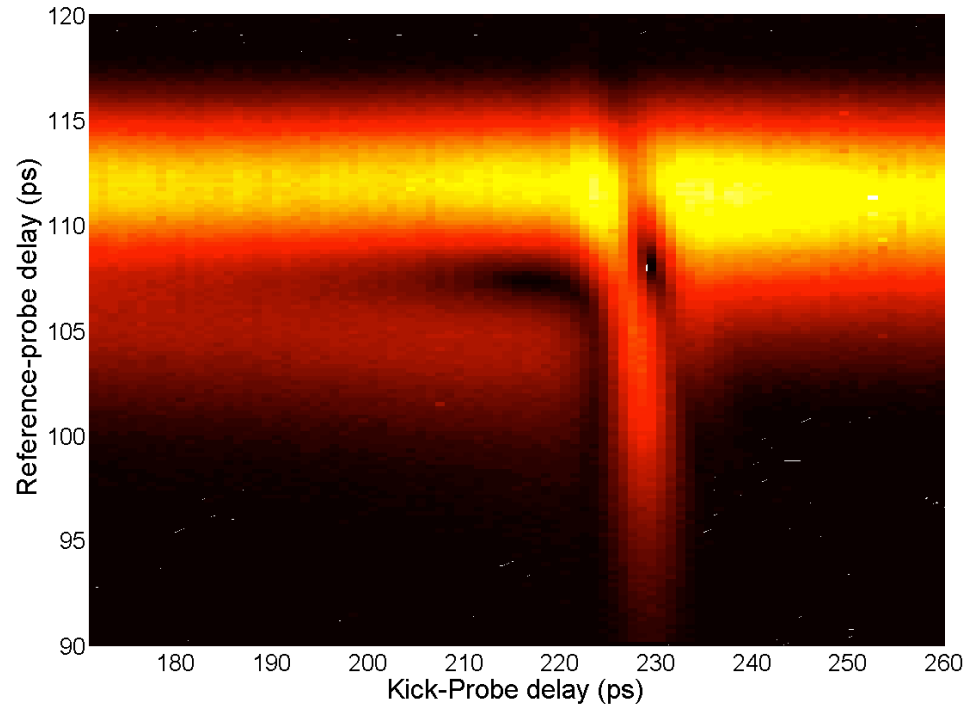
→ we don't detect the pump

→ using a powerful reference we increase the detection sensitivity

→ we can reconstruct the signal pulse in the time domain

# Ultrafast switching

## Measurements

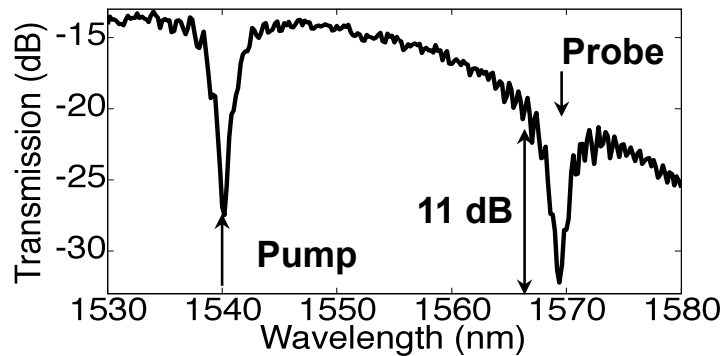


→ 12 ps carrier lifetime!

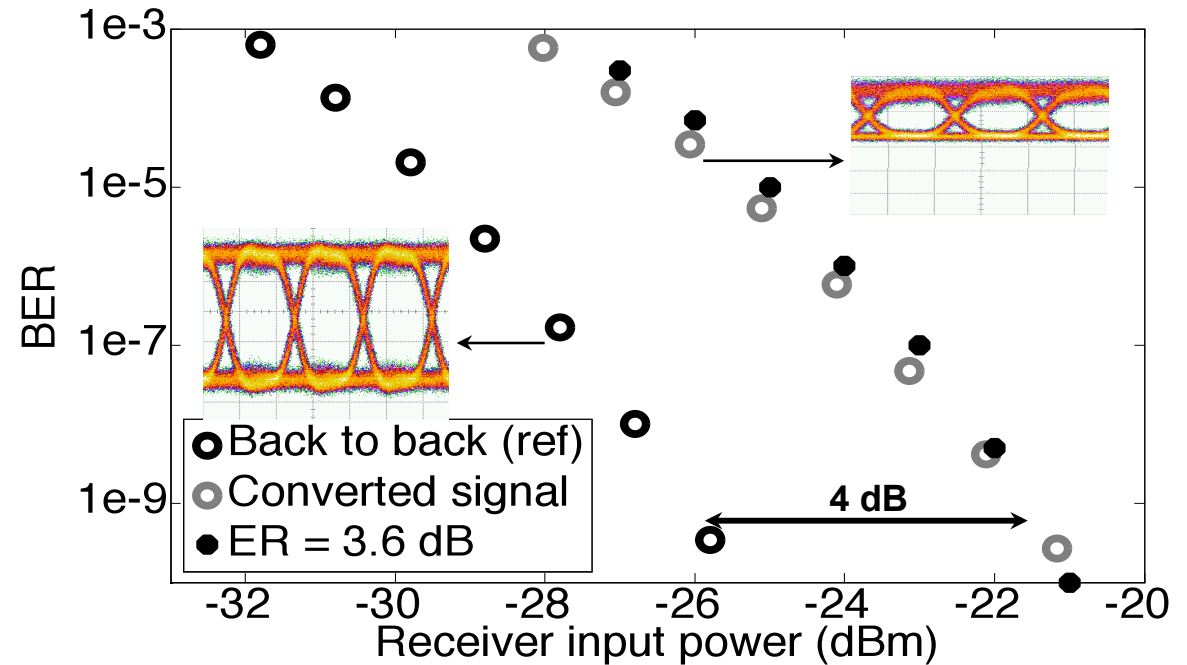
→ Switching energy of 40fJ!

# 10Gbits/s Wavelength conversion

Measured @  by K. Lengle, M. Gay, L. Bramerie, T.-N Nguyen



→ 2 colours!



→ 6 mW peak power maximum

→ Error free operation of the converted signal

(4 dB penalties coming from low extinction ratio of the converted signal)

First time ever PhC based all-optical switching @ high bit rate!



# NONLINEAR PHOTONIC CRYSTALS

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## 1- Ultracompact wavelength converter

## 2- All-optical ultrafast switching

## 3- Solitons propagation

→ Motivations

→ Slow light in PhC waveguides

→ Solitons propagation

# Motivations

---

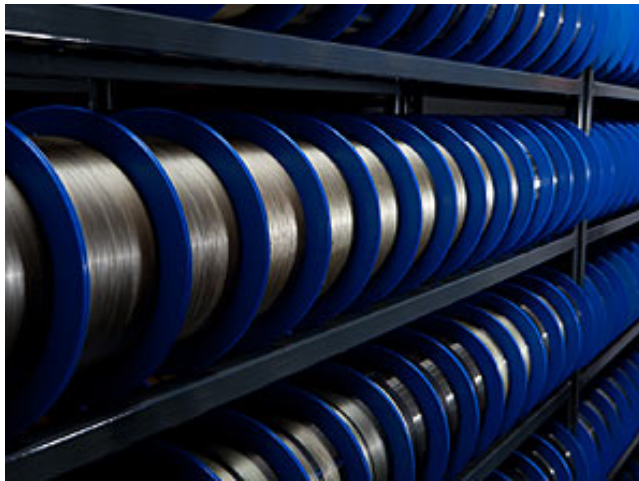
- ◆ Integrated optical circuit will play a crucial role in the next generations of processors:
  - interconnections between cores
  - enhanced bandwidth
  - low power consumption



Among all the functionalities necessary, buffering and storing are of primary importance to allow network management and control latency

# So why slow light?

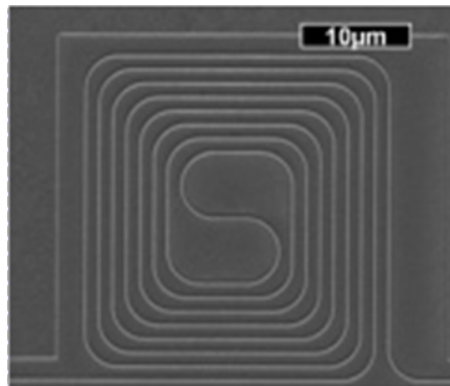
## Optical fiber



Losses  $\approx 0.1\text{dB/km}$

→  $50\mu\text{s}$  for 10km and 1dB of losses

## SOI wire waveguides

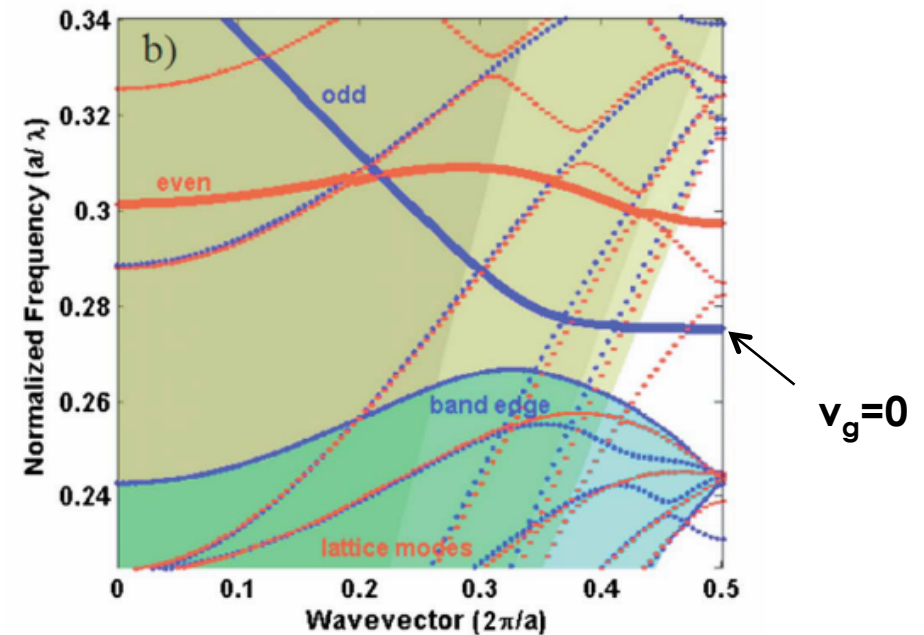
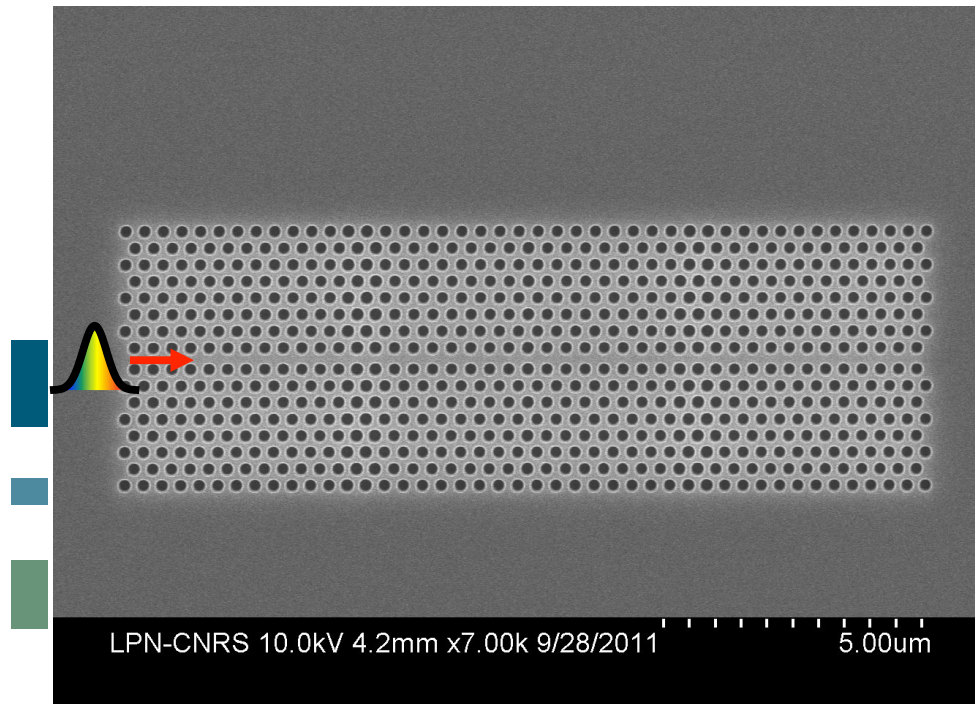


Losses  $\approx 1\text{dB/cm}$

→ 100ps for 1cm and 1dB of losses

→ slow light is necessary for compact delay lines

# Slow light in PhC waveguides



Analog to coupled resonators

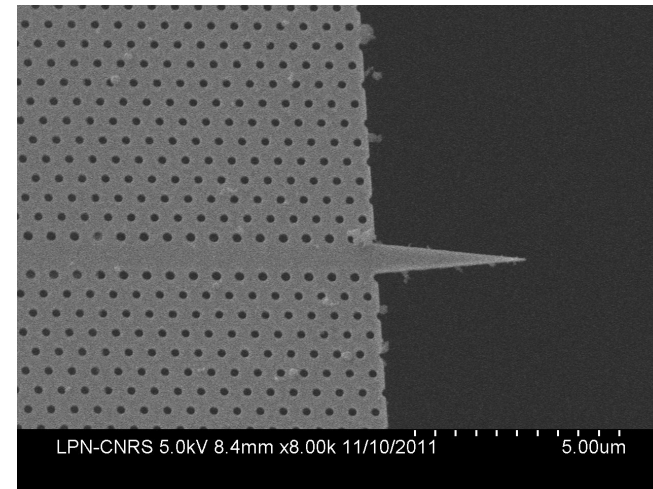
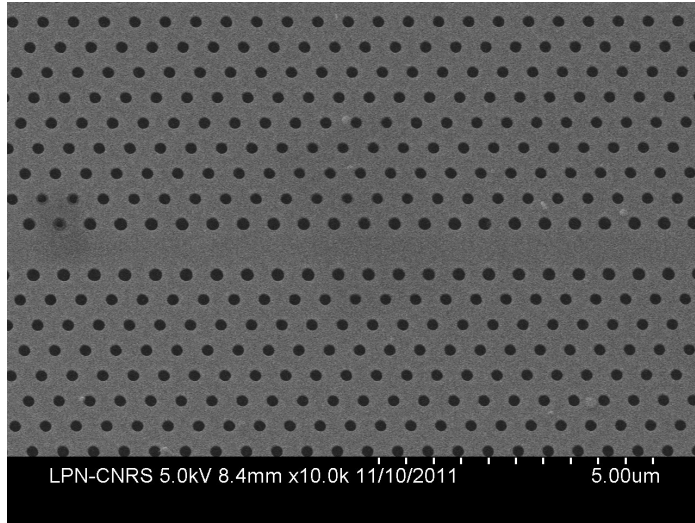
M. Notomi et al, PRL 87, 253902, (2001).

H. Gersen, et al. PRL 94, 073903 (2005)

L. O'Faolain, et al. OE 15, 13129 (2007)

# Studied sample

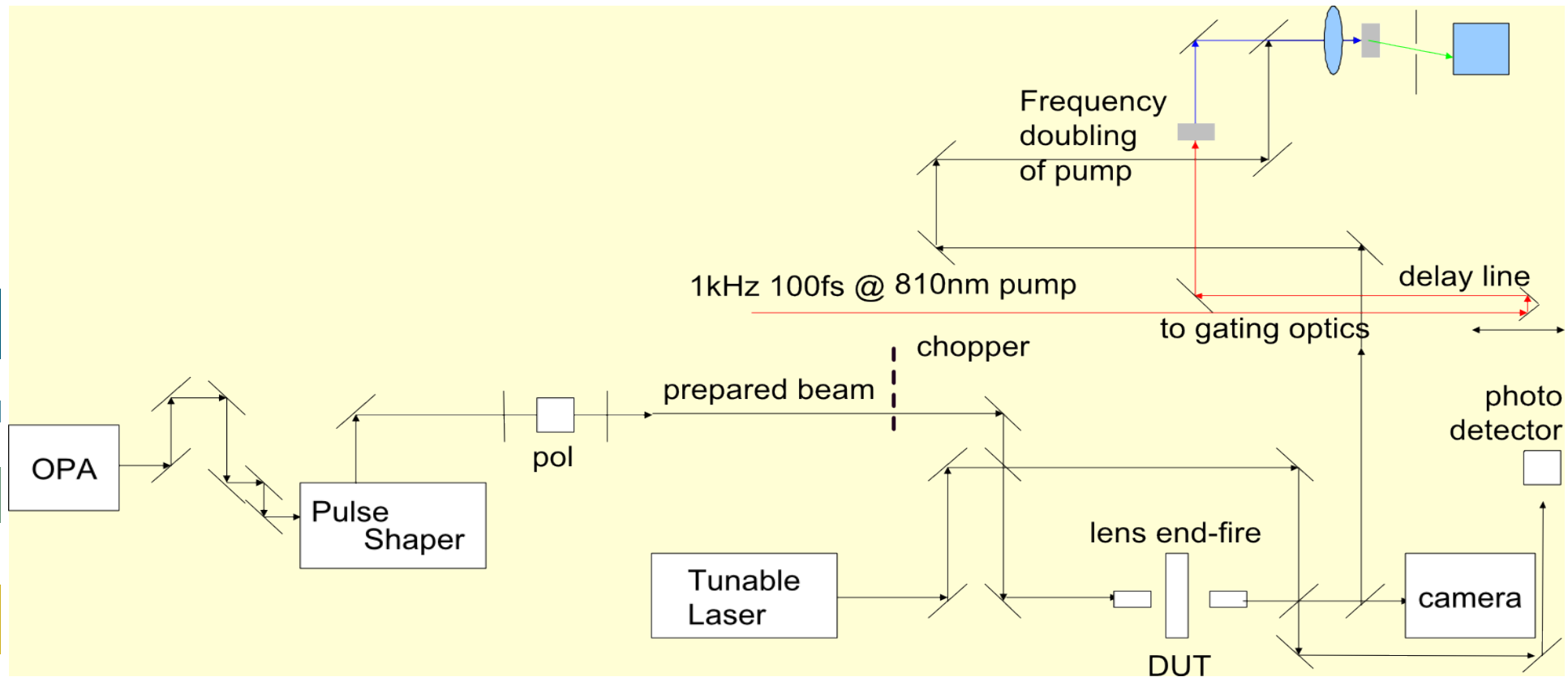
## *InGaP W1 waveguide*



- 2 photons absorption @1.55 $\mu\text{m}$  avoided (InGaP bandgap @1.9eV)
- $a=465\text{nm}$  –  $r/a=0.19$
- dispersion adjusted with modified holes at the edge of the W1 ( $r/a=0.22$ )
- Tapered tip to increase coupling (N.-V.-Q. Tran et al, Appl. Phys. Lett. 95, 061105 (2009))

# Time domain measurements

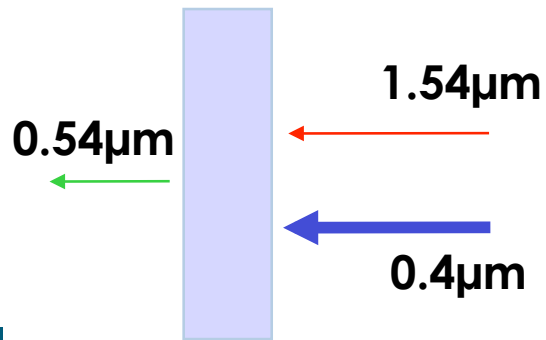
Parametric amplification accurate mapping of the temporal response of PhC devices



(F. Raineri et al, Opt. Express 17, 3165)

# Time domain measurements

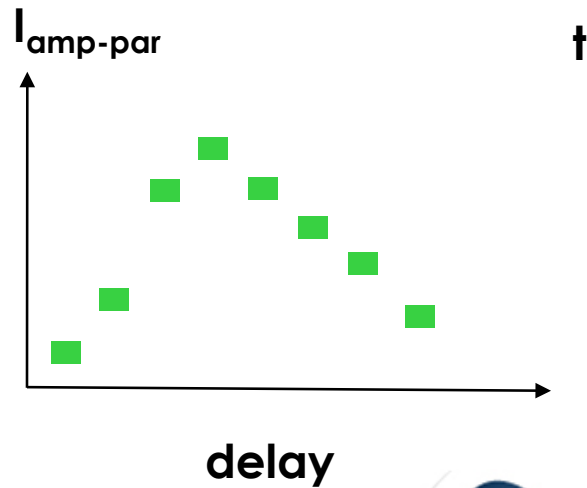
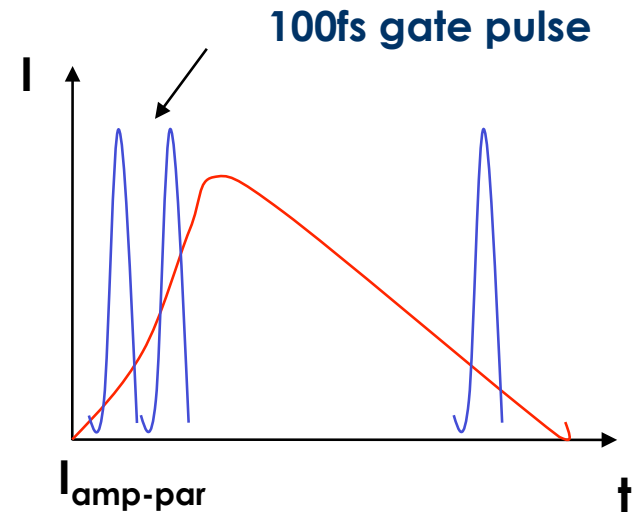
Parametric amplification = optical gating



**Parametric amplification in BBO**

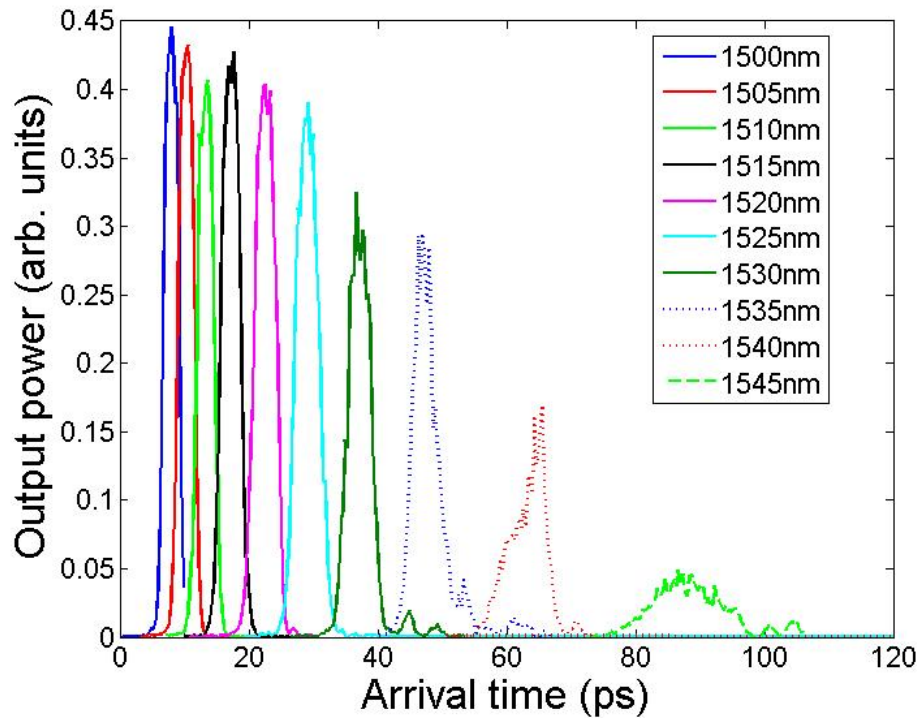
→ Instantaneous

→ sensitivity < 0.1 fJ



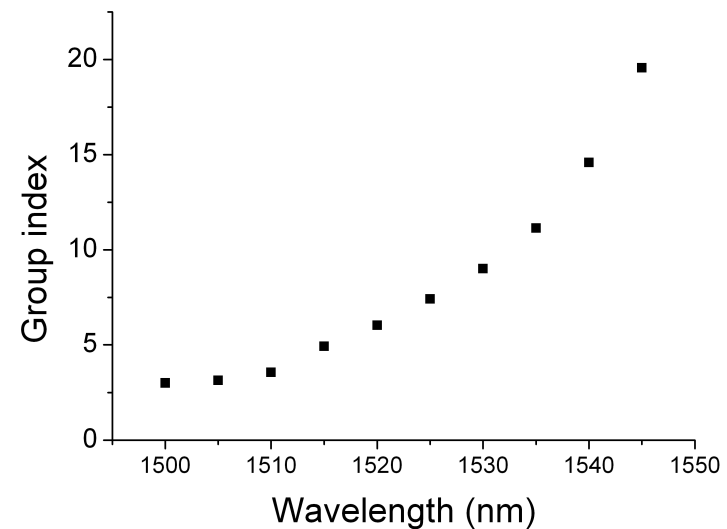
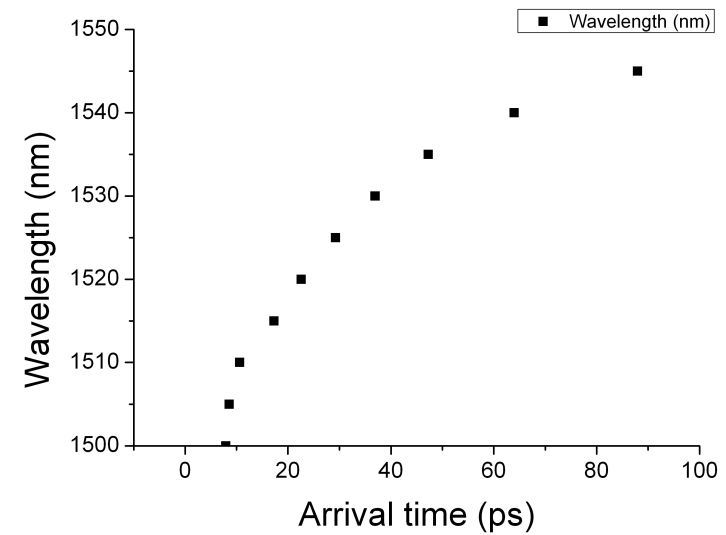
delay

# Time domain measurements



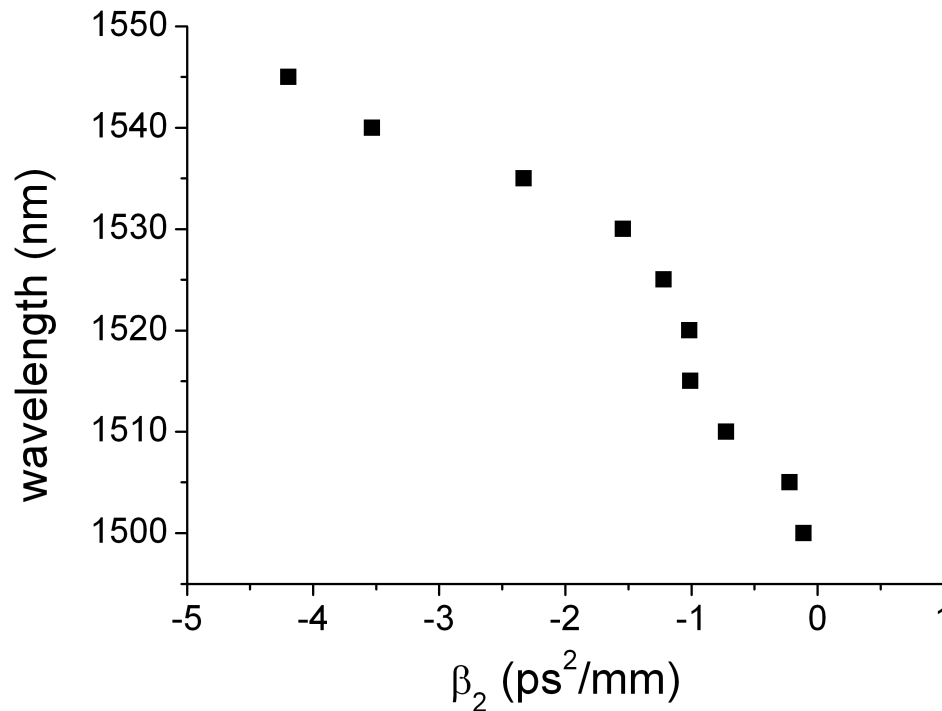
→ delay up to 100ps in 1.5mm

→  $v_g = c/20$  demonstrated





# Problem of GVD



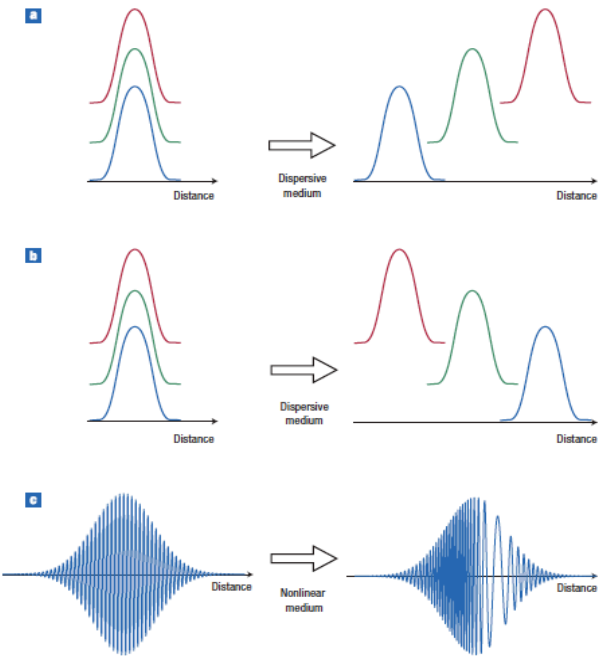
$$\beta_2 = \frac{-\lambda^2}{2\pi c} \frac{d\left(\frac{1}{v_g}\right)}{d\lambda}$$

→  $5 \cdot 10^3$  greater than in optical fibers!

→ 1ps pulse stretches up to 4ps in 1.5mm for  $\beta_2 = -1 \text{ ps}^2/\text{mm}$ !

Kerr nonlinearity to compensate GVD → SOLITONS

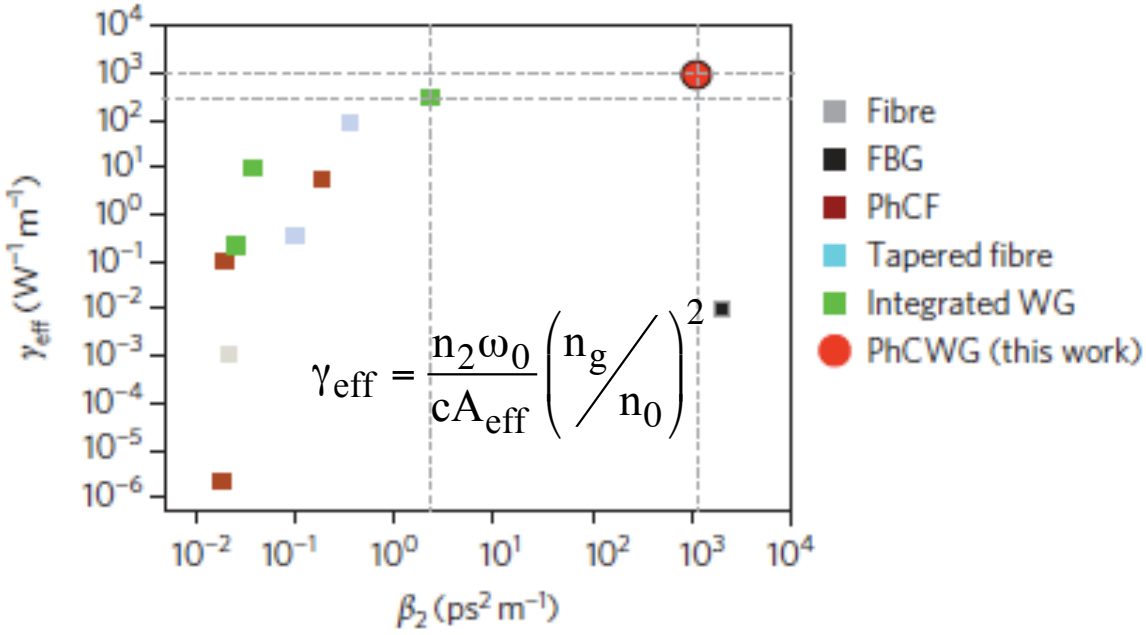
# Formation of a soliton



→ efficient nonlinearity with low power in InGaP PhC waveguide

Observed recently in 2DPhC waveguide using autocorrelation  
*P. Colman et al, Nat. Photon 4, 862 (2010)*

A soliton is a pulse whose temporal broadening due to dispersion is compensated by SPM due to the nonlinearity of the medium

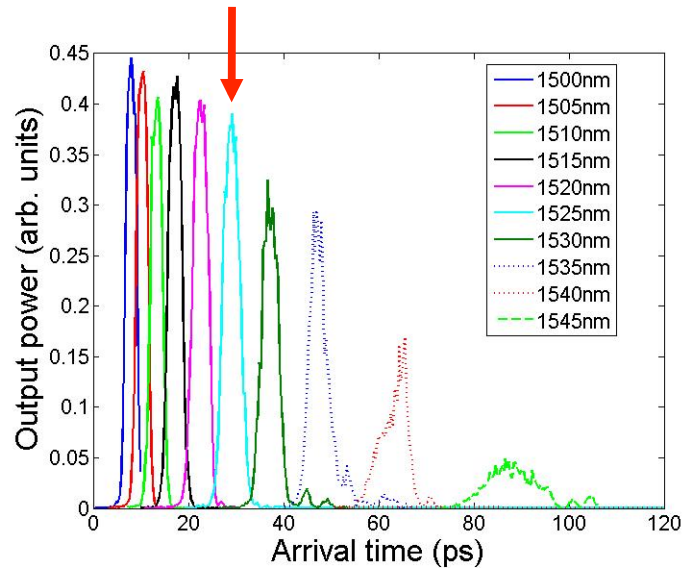


dépasser les frontières



LABORATOIRE DE PHOTONIQUE ET DE NANOSTRUCTURES

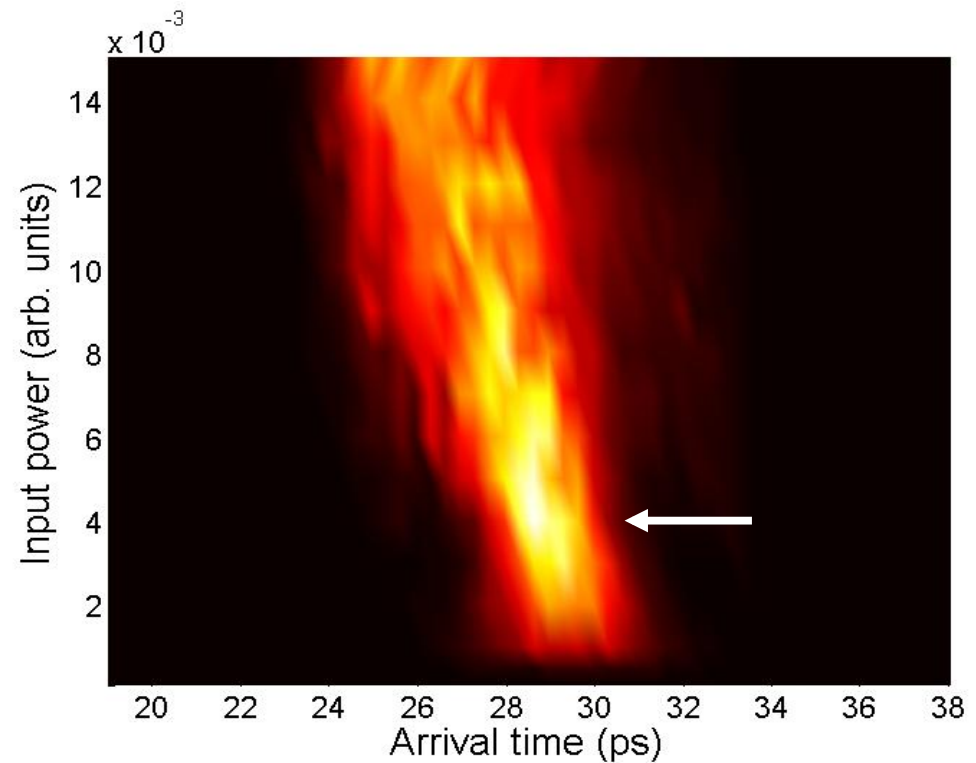
# Time domain measurements



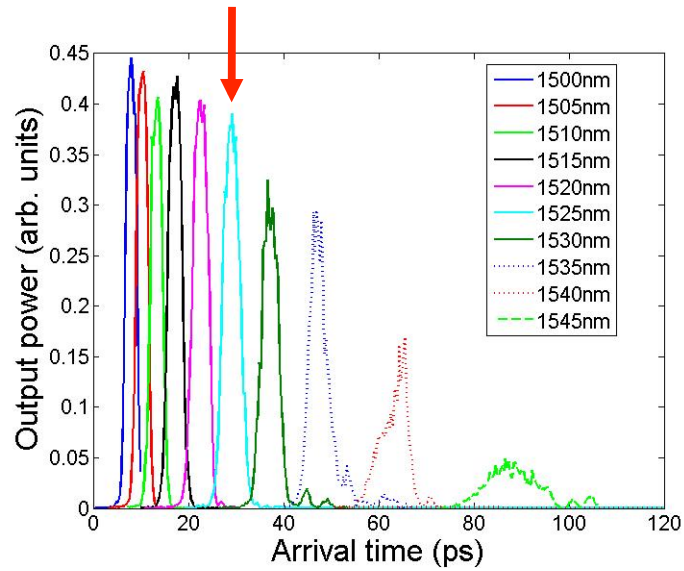
→ Pulse compression and soliton formation for  $E_{in} = 40\text{pJ}$

2ps Gaussian pulse@1525nm  
 $v_g = c/9$

Time domain measurements vs Power



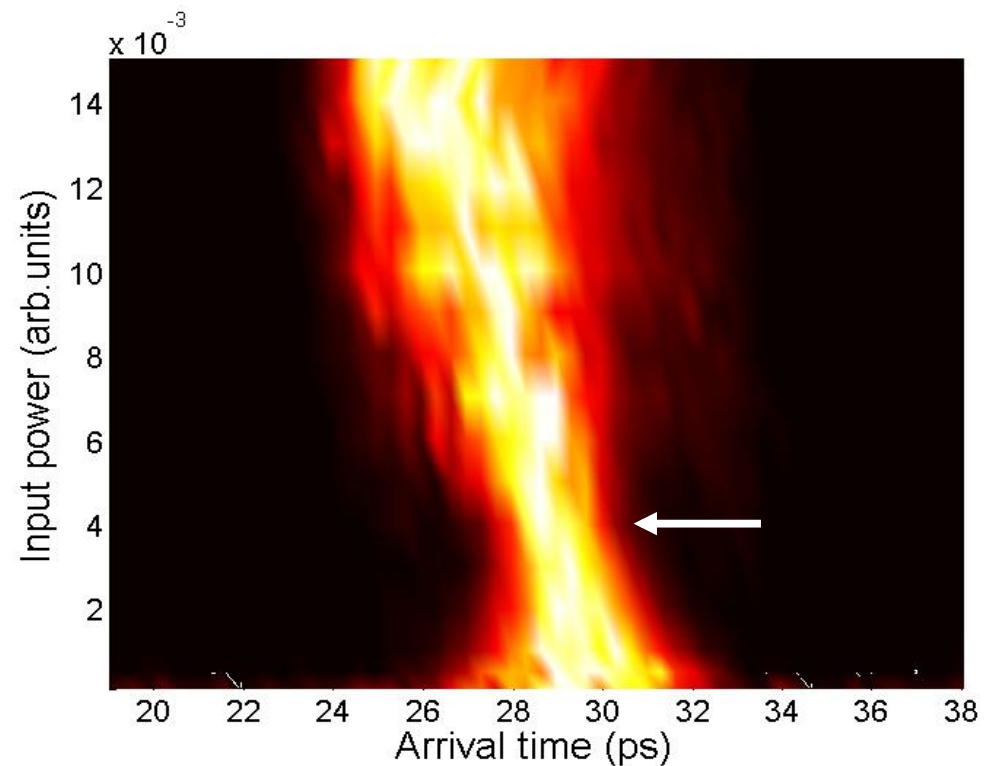
# Time domain measurements



→ Pulse compression and soliton formation for  $E_{in} = 40\text{pJ}$

2ps Gaussian pulse@1525nm  
 $v_g = c/9$

Time domain measurements vs Power



Normalised to max power

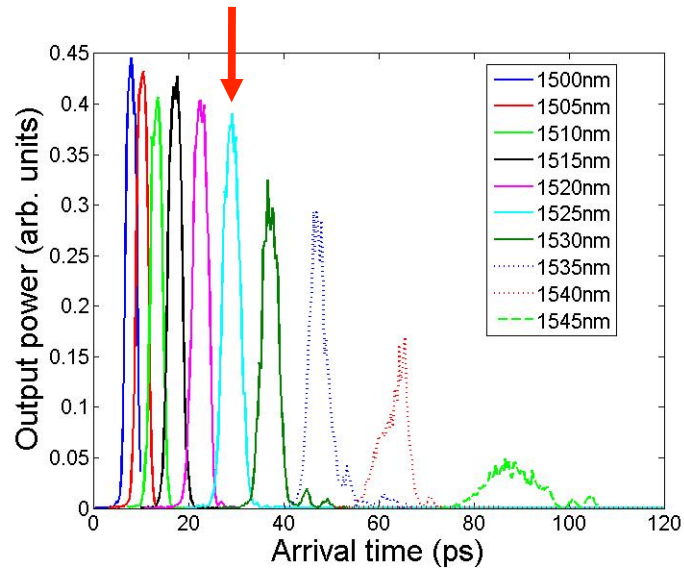


dépasser les frontières



LABORATOIRE  
DE PHOTONIQUE  
ET DE NANOSTRUCTURES

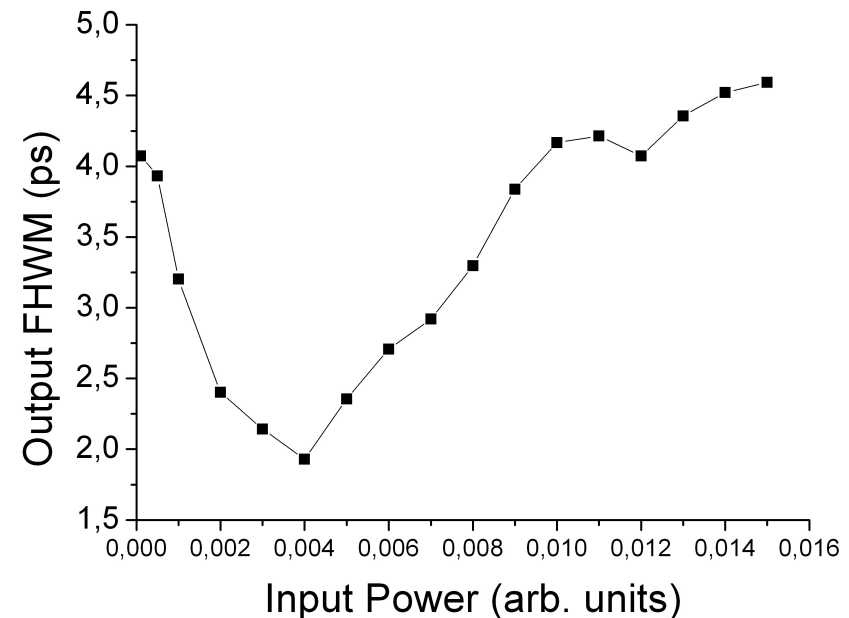
# Time domain measurements



→ Pulse compression and soliton formation for  $E_{in} = 40\text{pJ}$

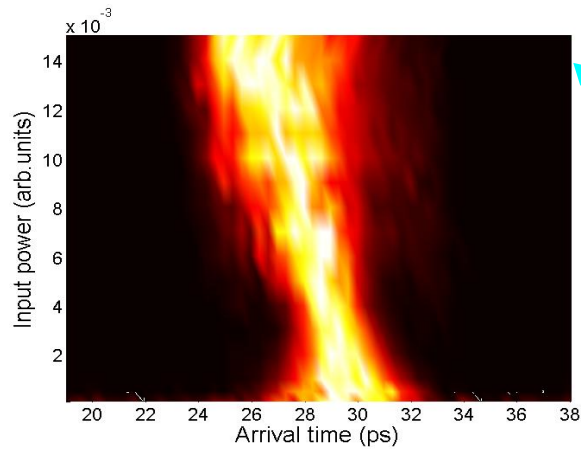
2ps Gaussian pulse@1525nm  
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Time domain measurements vs Power

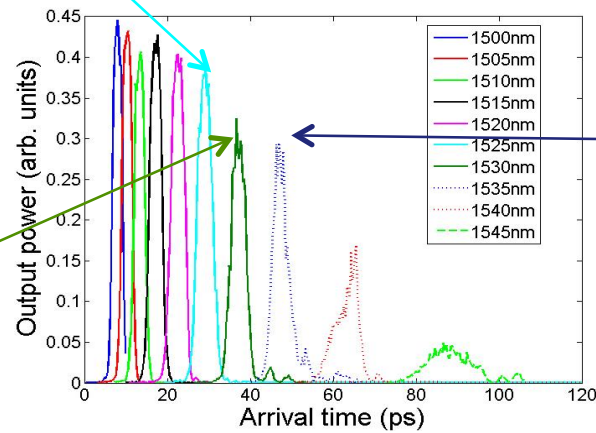


# Time domain measurements

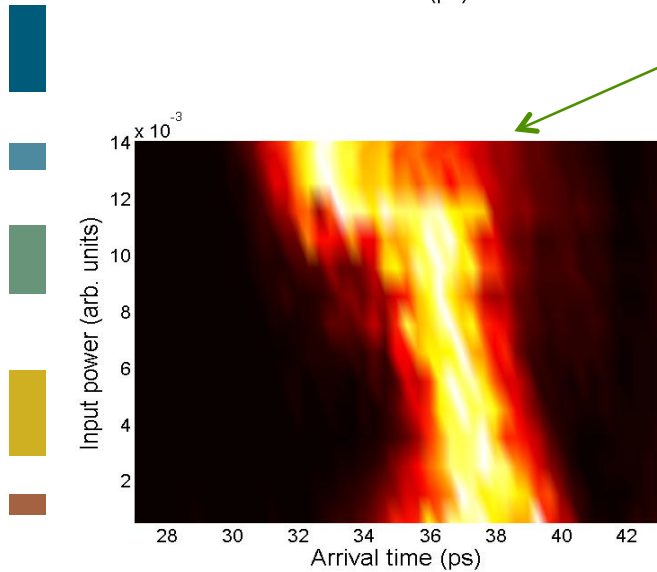
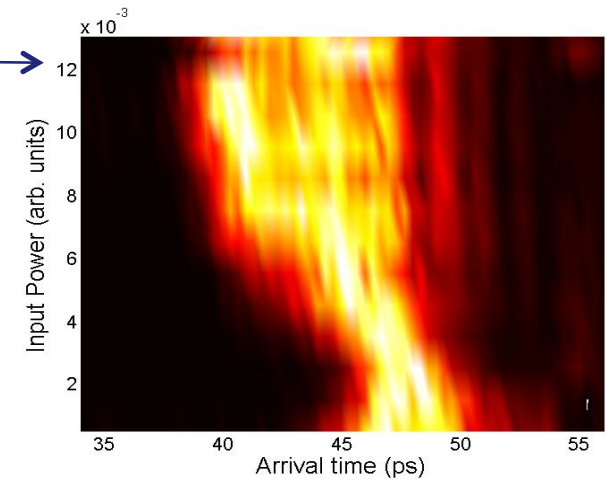
1525nm



wavelength dependence



1535nm



1530nm

1540nm

# Pulse acceleration

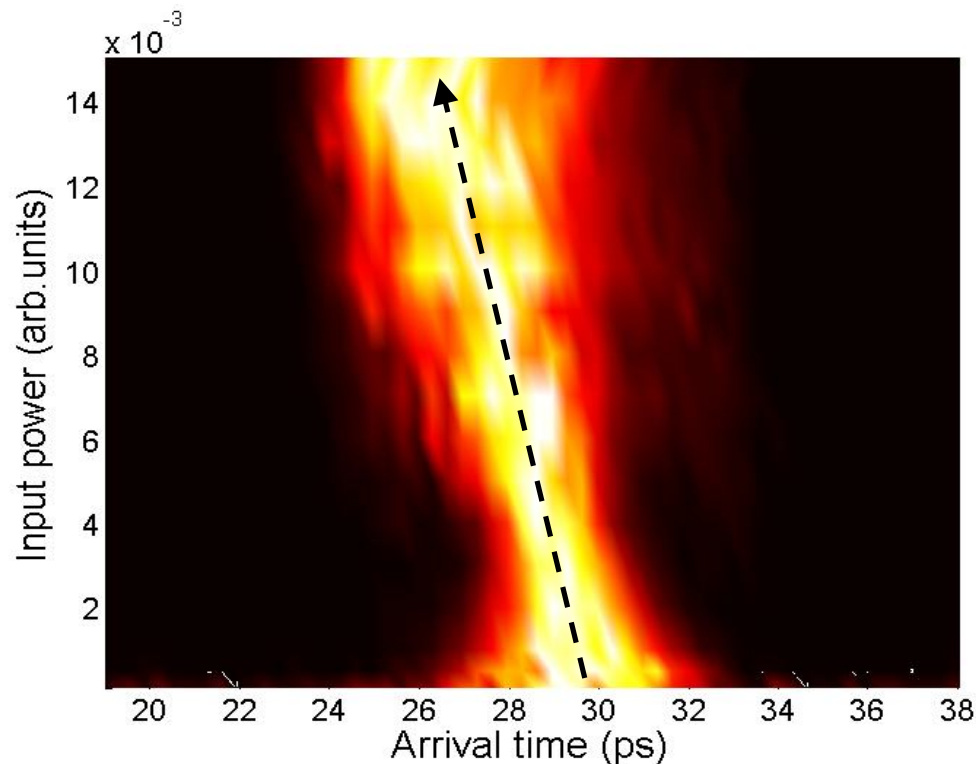
linear dependence of delay with input power

$$\rightarrow \Delta t / \Delta E = -20 \text{ fs/pJ}$$

$$\text{for } E_{\text{in}} = 100 \text{ pJ}$$

$$\Delta v_g / v_g = 7\%$$

$$\gamma_{\text{eff}} = \frac{n_2 \omega_0}{c A_{\text{eff}}} \left( \frac{n_g}{n_0} \right)^2$$



This is attributed to:

- dependence of the effective nonlinearity with  $v_g$  – not negligible in PhC case
- slow mode redshifts for increasing refractive index (Kerr Effect)

## 1- Photonic crystal lasers: ultimate lasers?

→ How do you go about it?

→ Unique properties: static and dynamic properties

## 2- Ready for application? Some issues

→ Interfacing

→ Electrical injection



## 1- Photonic crystal lasers: ultimate lasers?

→ How do you go about it?

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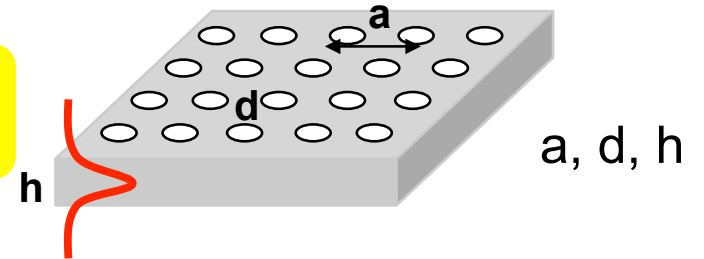
## 2- Ready for application? Some issues

→ Interfacing

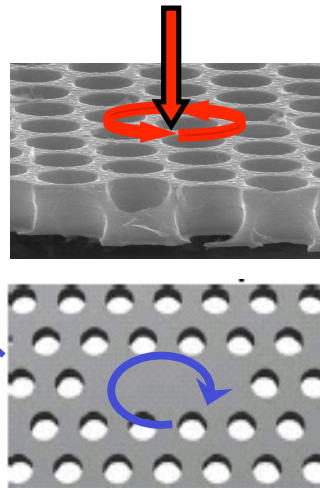
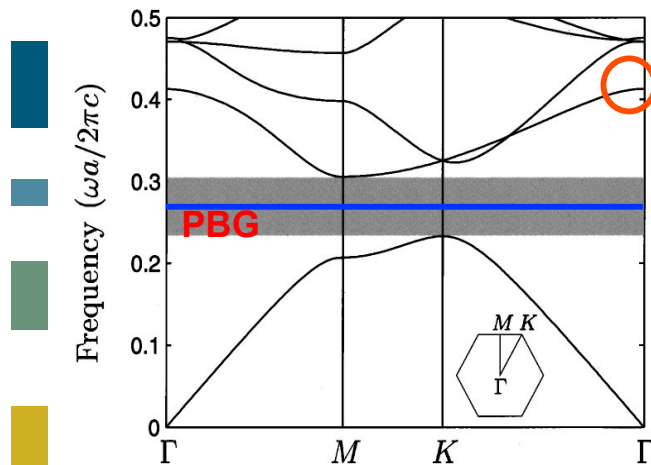
→ Electrical injection

# PhC laser: How do you go about it?

- 2D PhCs offers an extensive control on light propagation  
→ excellent resonators



triangular 2D PhC for TE-like modes



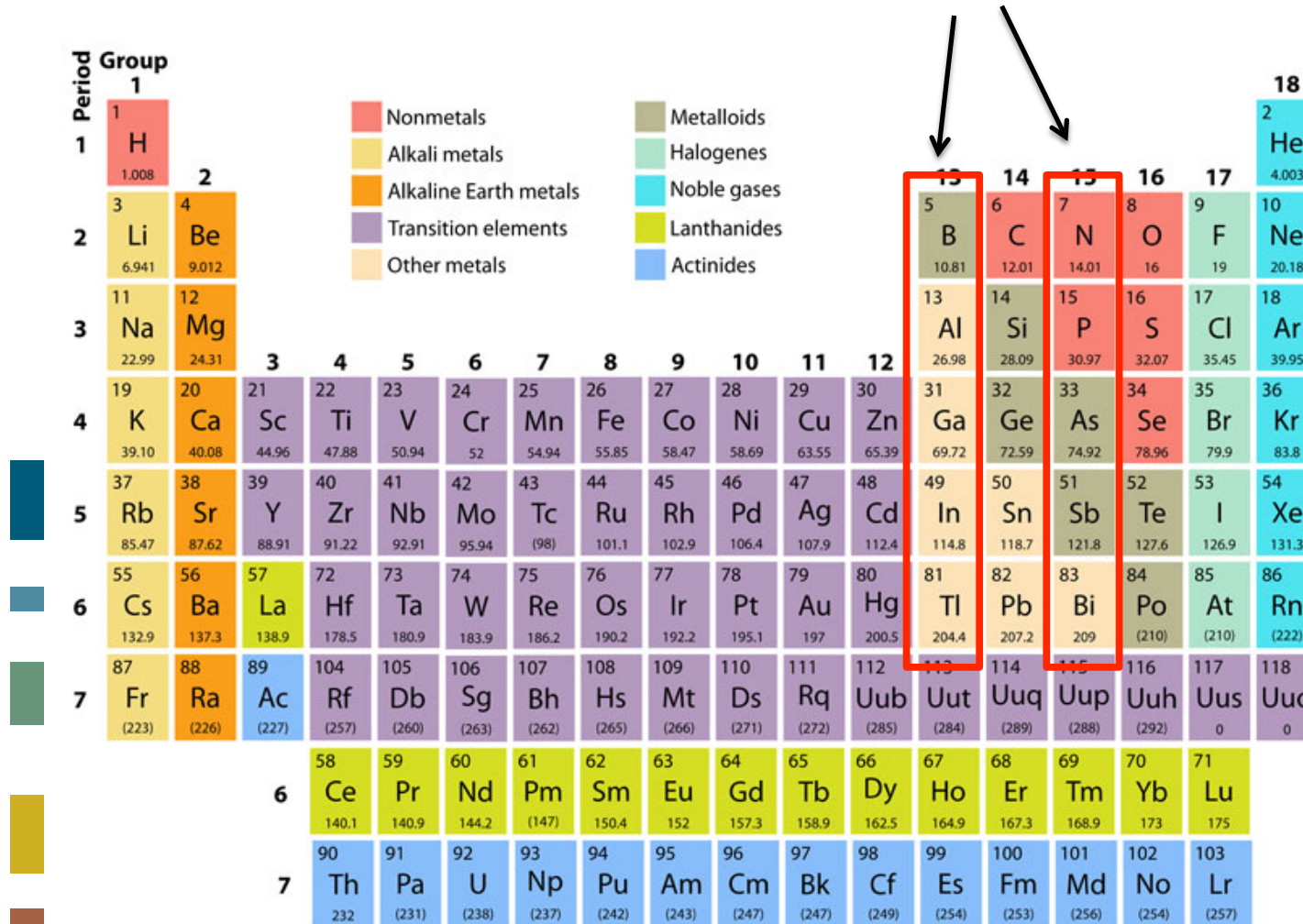
band edge resonator  
*lateral feedback with low group velocity at flat band edge*

**defect-cavity resonator**  
*band gap confinement*

- when incorporate active materials (QDs or QWs)  
→ low threshold and high speed lasers

# PhC laser: How do you go about it?

## Active materials: III-V semiconductors



GaN: visible

GaAs: below  $1\mu\text{m}$

InP: telecom

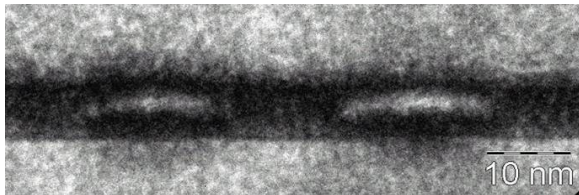
**DIRECT BANDGAP → radiative recombination**



# PhC laser: How do you go about it?

Active materials: III-V semiconductors

## Quantum Dots

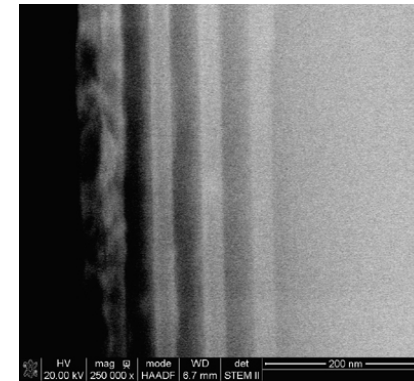


Artificial atoms – 3D confinement

- 2 levels system
- gain bandwidth given by inhomogeneous broadening
- High gain but low density

useful for QED

## Quantum Wells



1D confinement

- gain bandwidth given by temperature
- Higher gain due to better overlap with optical mode

useful for device



# PhC laser: How do you go about it?

## Rate equations model

Photon density in the lasing mode

$$\frac{dS}{dt} = \frac{\Gamma\beta}{\tau_{\text{rad}}} N - \frac{S}{\tau_p} + \Gamma v_g \sigma (N - N_{\text{tr}}) S$$

Carrier density

$$\frac{dN}{dt} = R - \frac{N}{\tau_{\text{rad}}} - \frac{N}{\tau_{\text{Nrad}}} - v_g \sigma (N - N_{\text{tr}}) S$$

$\tau_{\text{rad}}$  ,  $\tau_{\text{Nrad}}$  carrier lifetimes associated with radiative and non radiative recombinations

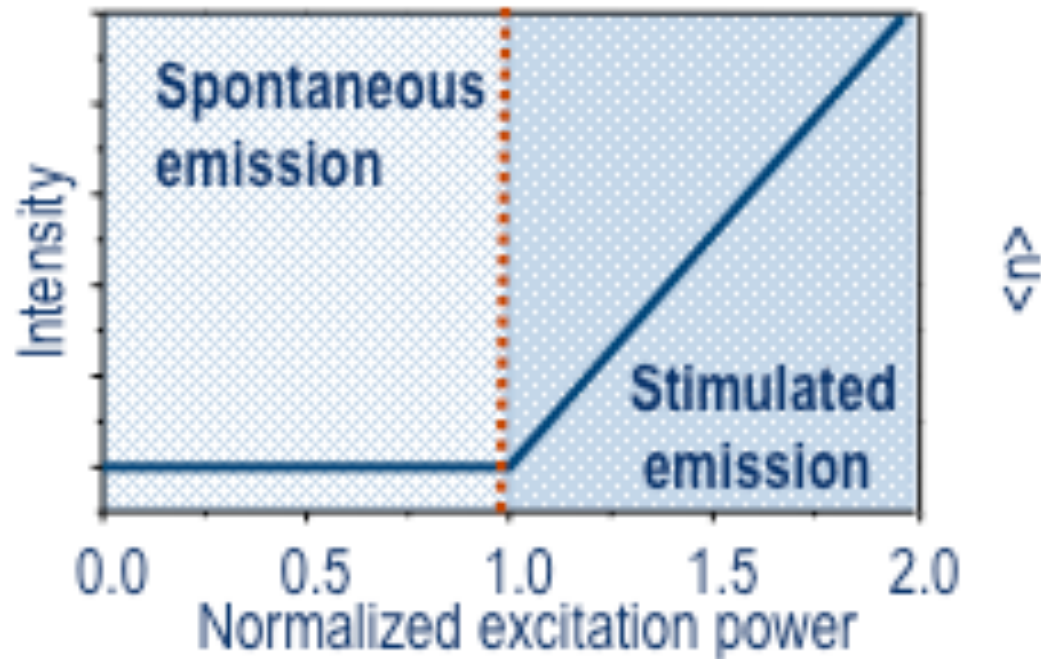
$\Gamma$  confinement factor       $\beta$  coupling of spontaneous emission into the lasing mode

$\tau_p$  photon lifetime       $v_g$  group velocity

$\sigma$  differential gain       $N_{\text{tr}}$  carrier density @ transparency

# PhC laser: How do you go about it?

In the stationary regime → Laser characteristics curve

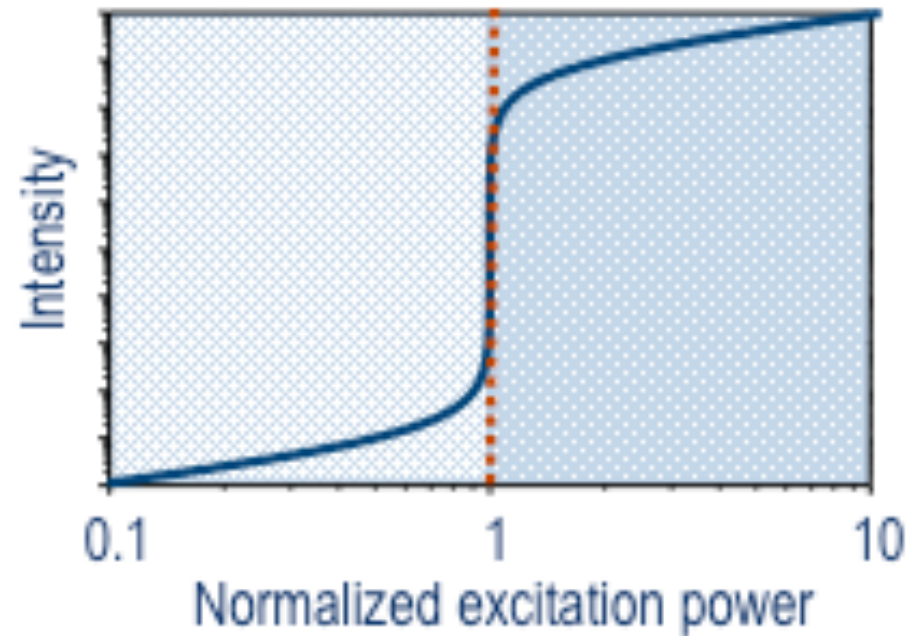


Laser threshold given by gain=losses (classical definition)

# PhC laser: How do you go about it?

In the stationary regime → Laser characteristics curve

*Log-Log Scale*



Laser threshold given by gain=losses (classical definition)

## What is special with PhC nanolasers?

- High Q and small modal volumes → threshold lowering (fJ!)

$$I_{\text{th}} = \frac{q}{\beta\tau_p} \left( 1 + \frac{N_{\text{tr}}\beta V\tau_p}{\tau_{\text{rad}}} \right) \left( 1 + \frac{\tau_{\text{rad}}}{\tau_{\text{Nrad}}} \right)$$

- $\beta$  coupling of spontaneous emission is close to 1!

→ Spatial redistribution of spontaneous emission into the useful mode due to suppression of other modes (band gap), and Purcell effect



# PhC laser: Static properties

## What is special with PhC nanolasers?

- $\beta$  coupling of spontaneous emission is close to 1!

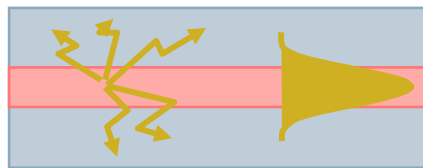
→ Spatial redistribution of spontaneous emission into the useful mode due to suppression of other modes (band gap), and Purcell effect

### Light-matter interaction in semiconductor materials

acceleration of spontaneous emission given by

$$F_p = \frac{\Gamma_{\text{cav}}}{\Gamma_{\text{all}}} = \frac{3}{4\pi^2} \frac{Q}{V/\lambda^3}$$

All modes ( $\Gamma_0$ )



cavity mode  
( $\Gamma_{\text{cav}}$ )

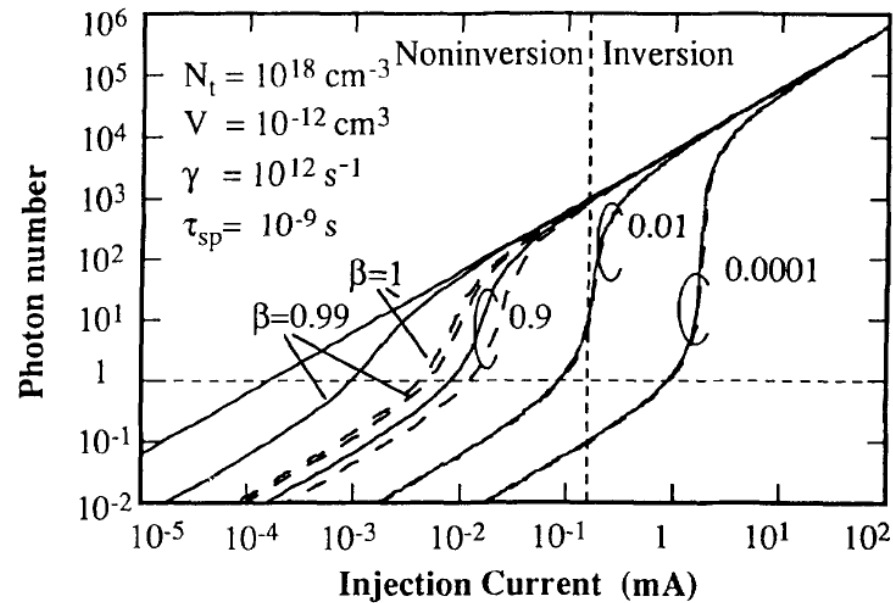
$$Q = \text{Max}(Q_{\text{cav}}, Q_{\text{emitter}})$$

$$\beta = \frac{F_p}{\gamma + F_p}$$

## What is special with PhC nanolasers?

- $\beta$  coupling of spontaneous emission is close to 1!

→ Threshold-less lasers?



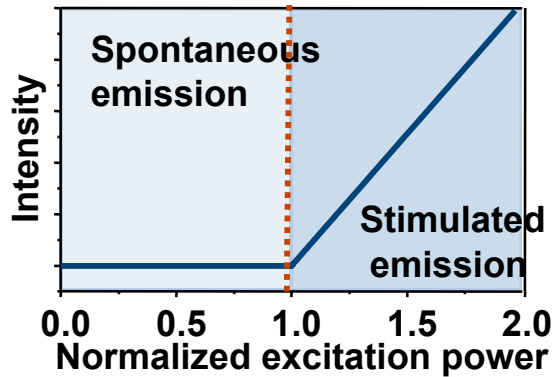
From G. Bjork et al, *Phys. Rev. A*, 50 1675-80 (1994)

**No! New definitions of threshold!**

# Identifying the laser threshold

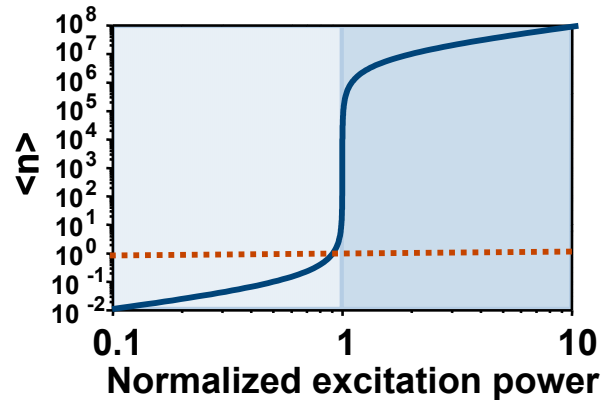
## Classical definition

Gain = losses



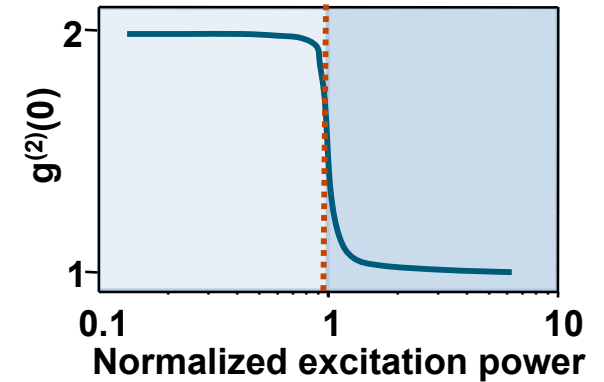
## Quantum definition

Photon number in the useful mode  $\langle n \rangle = 1$



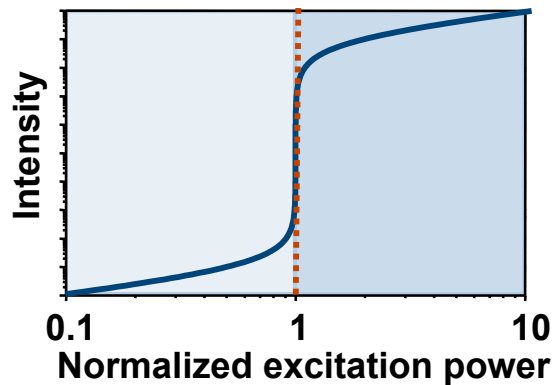
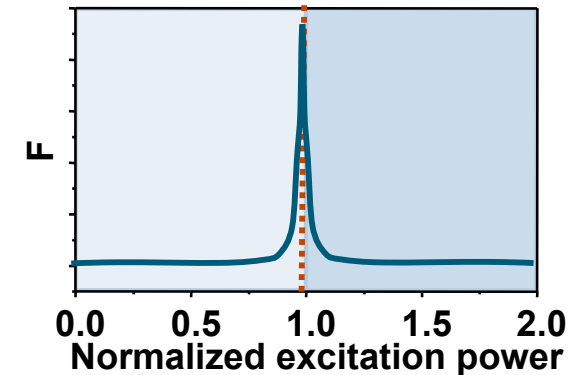
## Statistical definition

Second-order coherence  $g^{(2)}(0)$



Fano factor

$$F = \langle n \rangle (g^{(2)}(0) - 1) + 1$$



For some high- $\beta$  lasers,  
these two definitions  
do not coincide.

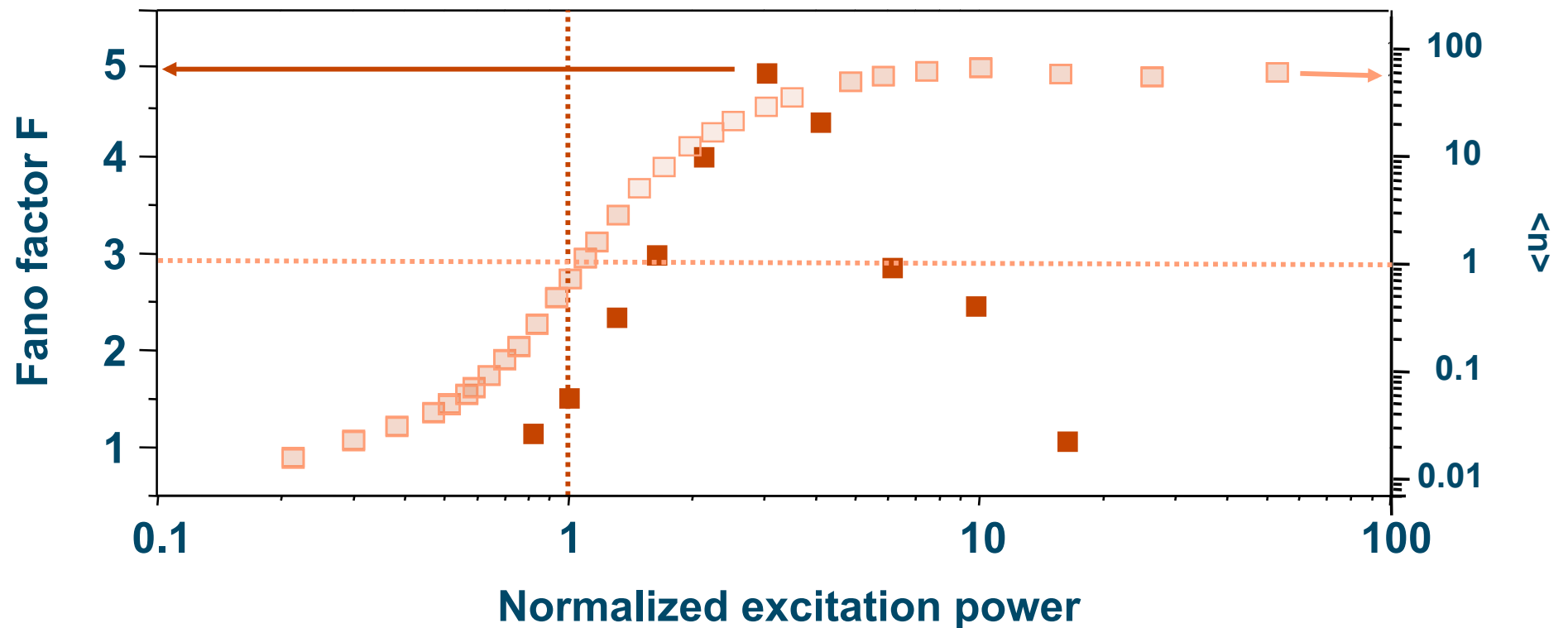
N.J. Van Druten *et al*,  
Phys. Rev. A 62, 05308 (2000)

# Experimental observation in 2D PhC cavity + QDs

## ■ Measurements@l<sub>pn</sub>

■ Fano factor as a function of excitation power

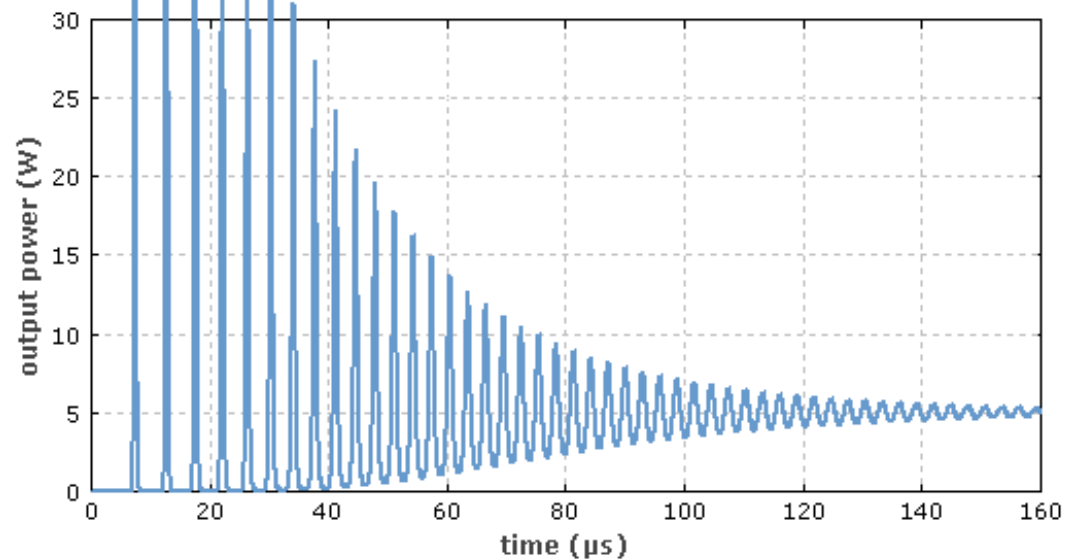
$$F = \langle n \rangle (g^{(2)}(0) - 1) + 1$$



# PhC laser: Dynamics

Semiconductor lasers are class B lasers! (carrier lifetime  $>$  photon lifetime)

→ abrupt change in pump gives relaxation oscillations



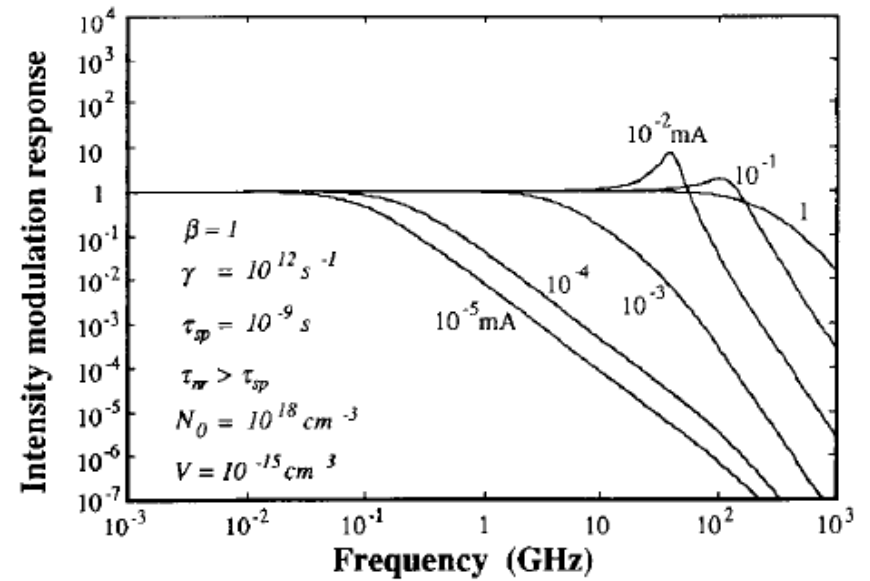
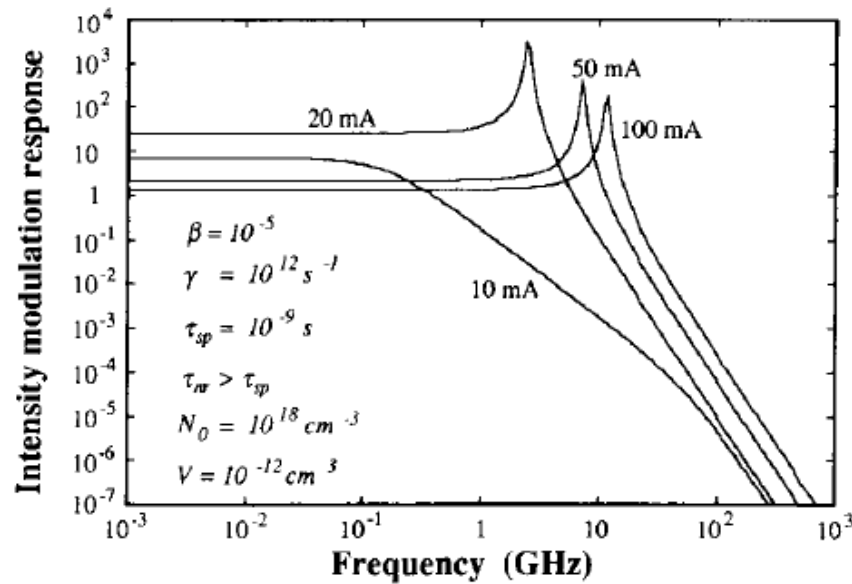
Frequency and damping time depend strongly on  $\beta$

→ response to a short pulse pump depends on photon lifetime, carrier lifetime and on  $\beta$

## What is special with PhC nanolasers?

- $\beta$  coupling of spontaneous emission is close to 1!

→ Very fast dynamics!

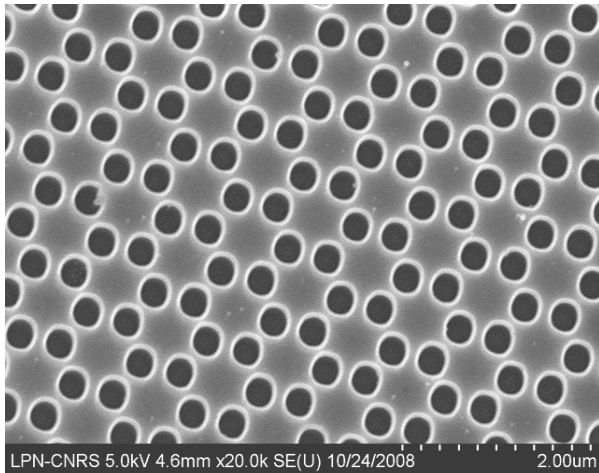


from G. Bjork et al, JQE 27, 2386-96 (1991)

→ 100GHz modulation possible!

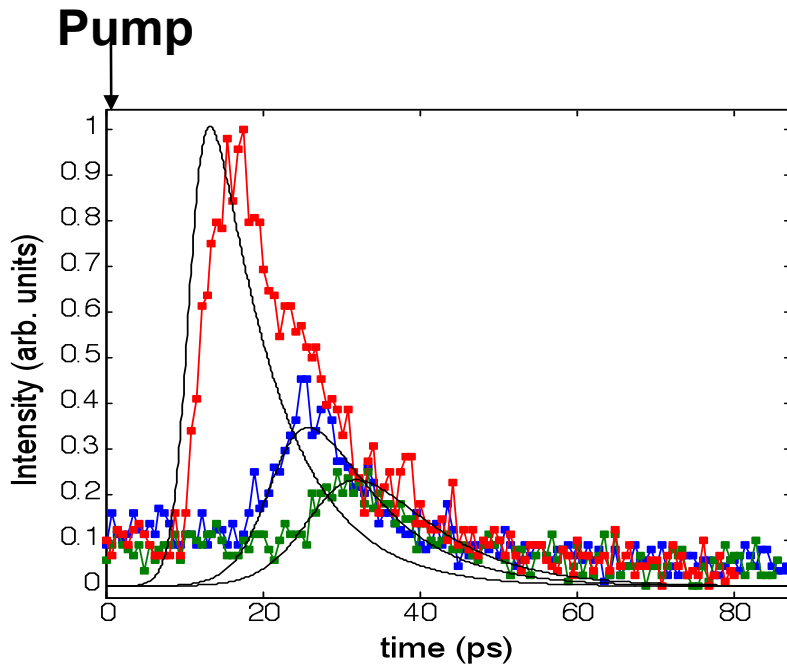
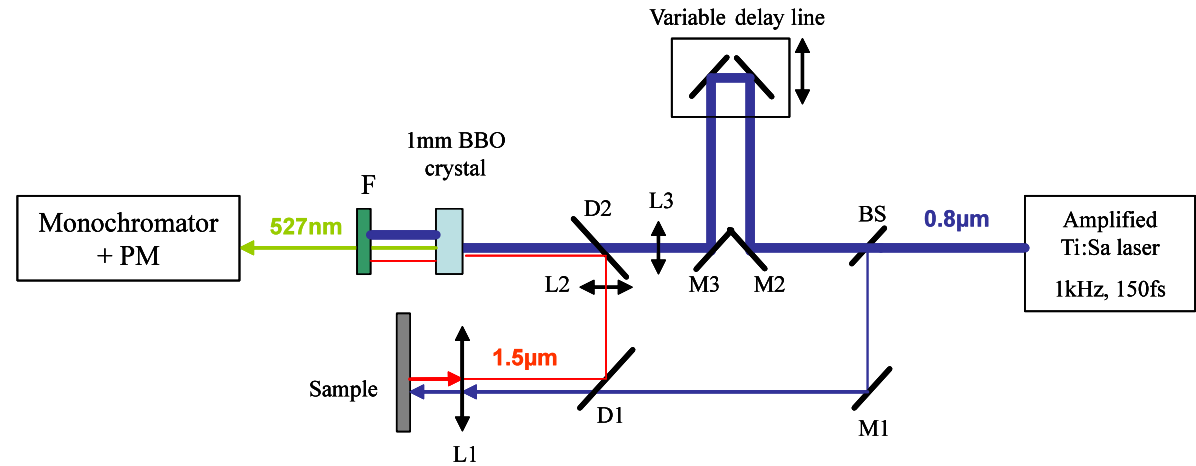
# PhC laser: Dynamics

## Band edge laser @1.55μm



## Some experiments

### Up-conversion gating technique

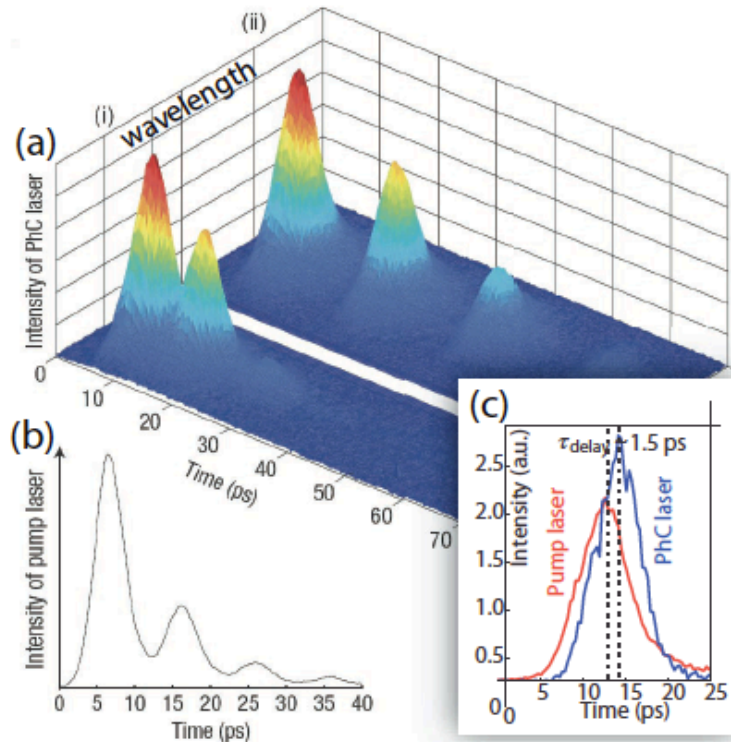


F. Raineri et al, Opt. Express 17, 3165-72 (2009)

# PhC laser: Dynamics

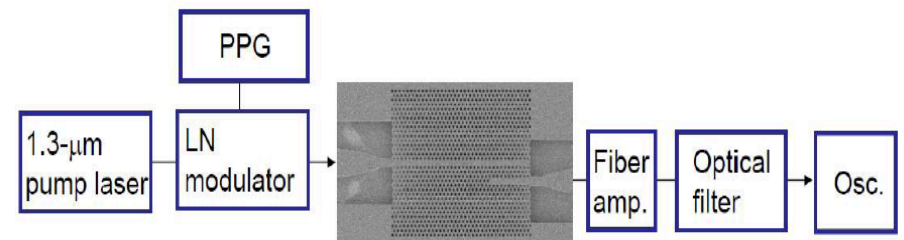
## Some experiments on nanocavities

H. Altug, Nat. Phys. 2, 484-88 (2006)  
**950nm Nanocavity laser**

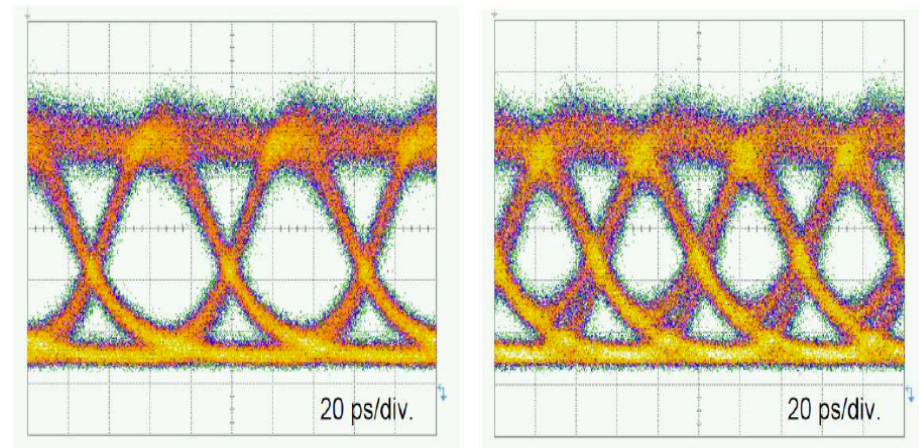


**Figure 8** (online color at [www.lpr-journal.org](http://www.lpr-journal.org)) Large-signal lasing response in QW-driven PC laser. (a) Response to excitation pulses at (i)  $9 \pm 0.5$  and (ii) 15 ps. (b) Excitation pulse train created by etalon setup. Imperfect mirror arrangement causes an exponential decrease in pulse power and only the first three pulses exceed the photonic crystal lasing threshold. (c) Lasing response delay.

S. Matsuo et al, Opt. Express 19, 2242-2250 (2011)  
**1550nm Nanocavity laser**



(a)



(b)

(c)

Fig. 6. (a) Experimental setup for direct modulation. Eye diagrams for (b) 15 Gbit/s and (c) 20 Gbit/s NRZ signals.



## 1- Photonic crystal lasers: ultimate lasers?

→ How do you go about it?

→ Unique properties: static and dynamic properties

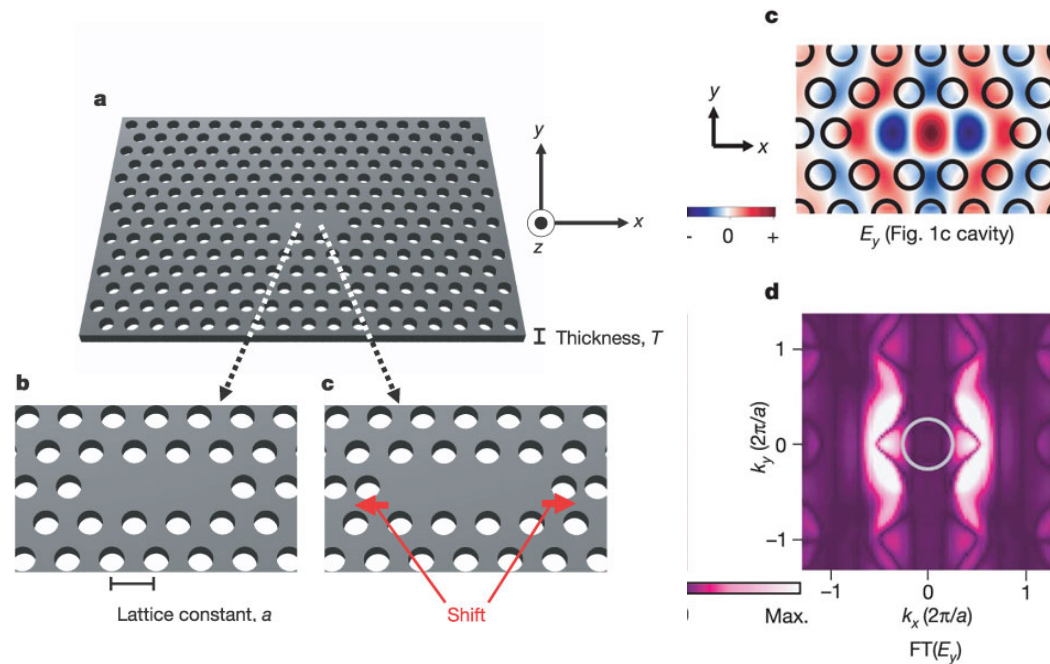
## 2- Ready for application? Some issues

→ Interfacing

→ Electrical injection

# Interfacing PhC lasers with the external world

- 2DPhC lasers are very difficult to communicate with because of the strong confinement of light within cavity



- problem of integration of passive material with active material

**What are the solutions?**

## 1- Photonic crystal lasers: ultimate lasers?

→ How do you go about it?

→ Unique properties: static and dynamic properties

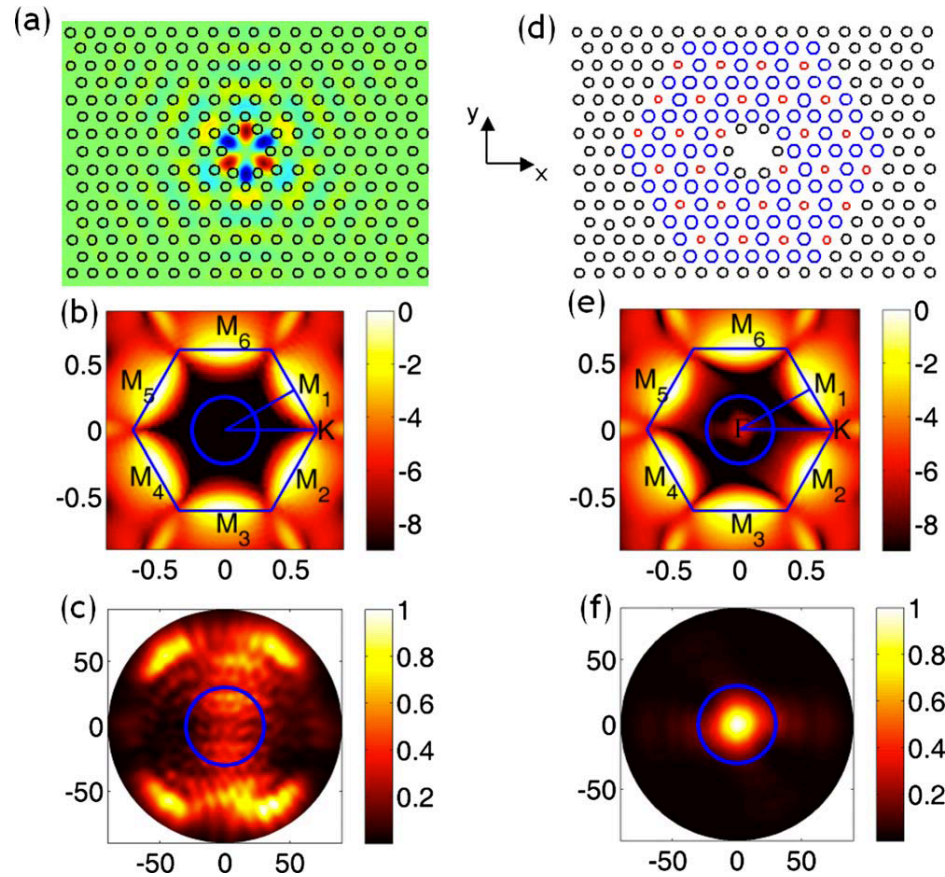
## 2- Ready for application? Some issues

→ Interfacing

→ Electrical injection

# Interfacing PhC lasers with the external world

Engineering of the spatial distribution of the losses: surface emission



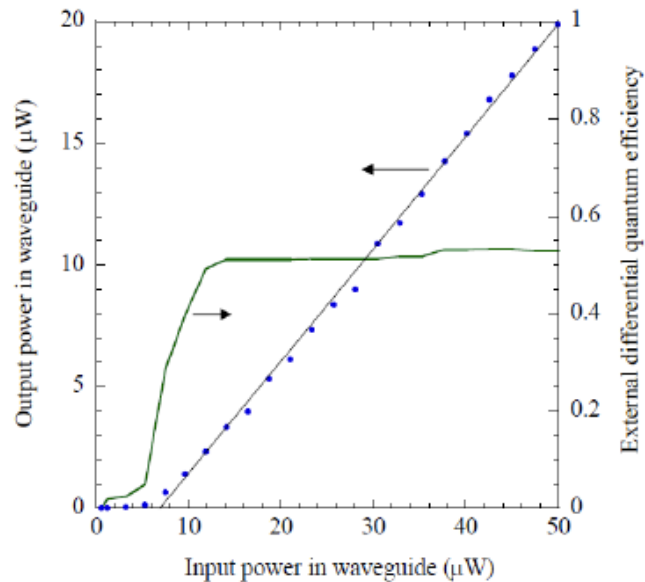
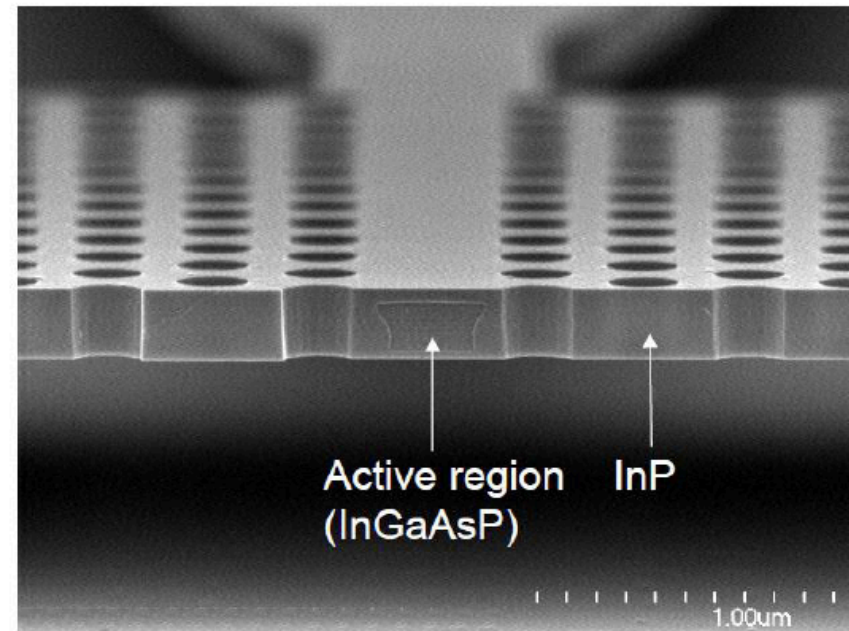
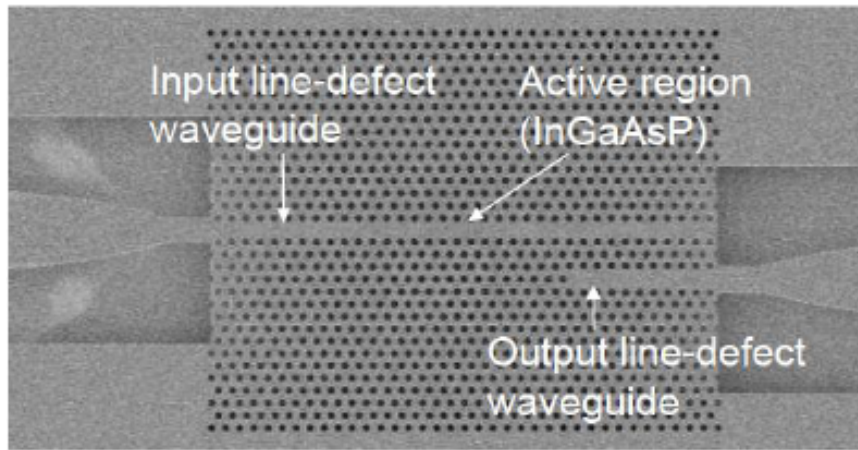
superimposition of a grating

→ Single device! Is this better than VCSELs?

Q.V. Tran et al, Phys. Rev. B 82, 075120 (2010)

# Interfacing PhC lasers with the external world

Butt coupling with selective area growth active material (Telecom approach)

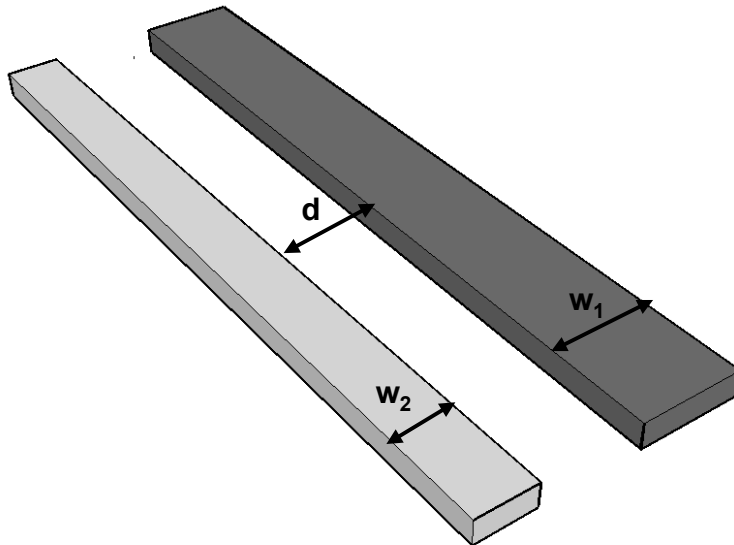


S. Matsuo et al, Opt. Express 19, 2242-50 (2011)

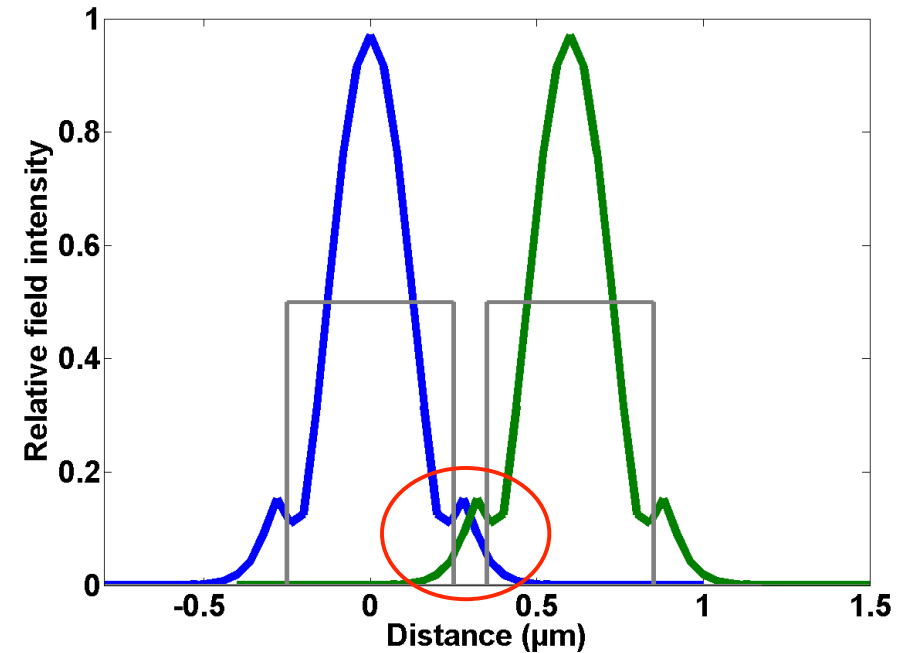
# Interfacing PhC lasers with the external world

## Evanescent wave coupling

### Parallel waveguides:



### $E_y$ field amplitude of independent (2D) waveguides ( $n=3$ , $w=0.5 \mu\text{m}$ )



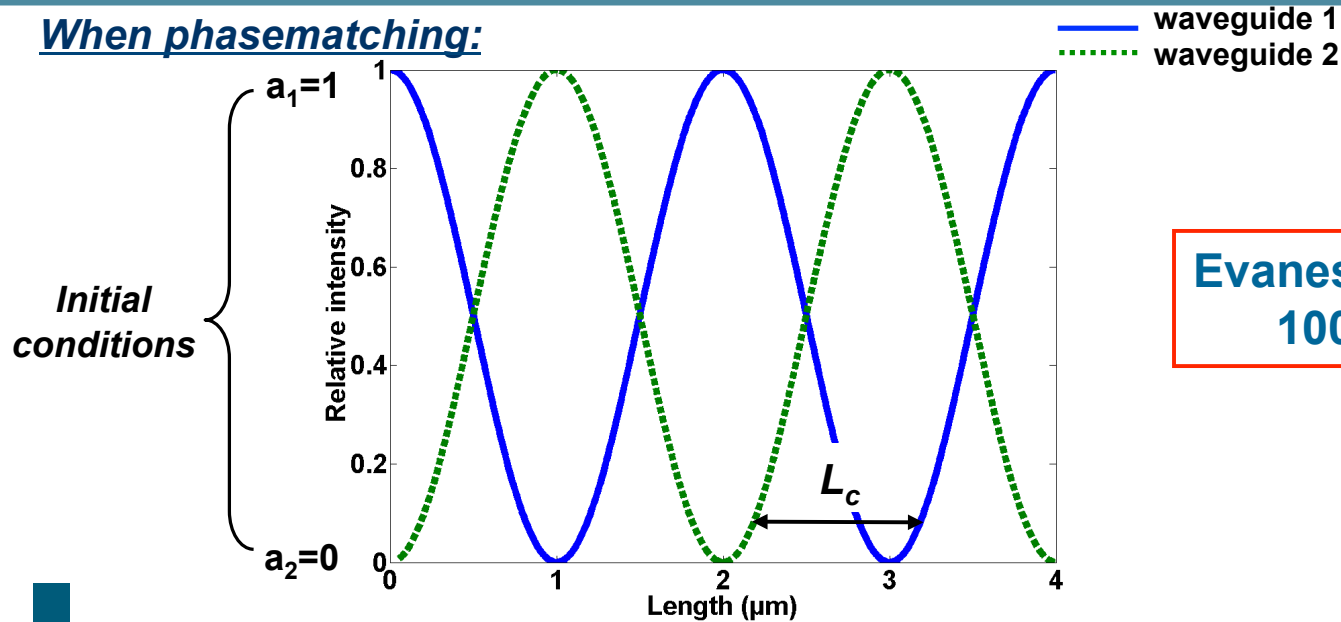
### Coupling efficiency determined by:

1. **Phase matching** between the original modes
2. **Field overlap** between the original modes

Huang, *J. Opt. Soc. Am. A*, Vol. 11, No. 3 (1994)

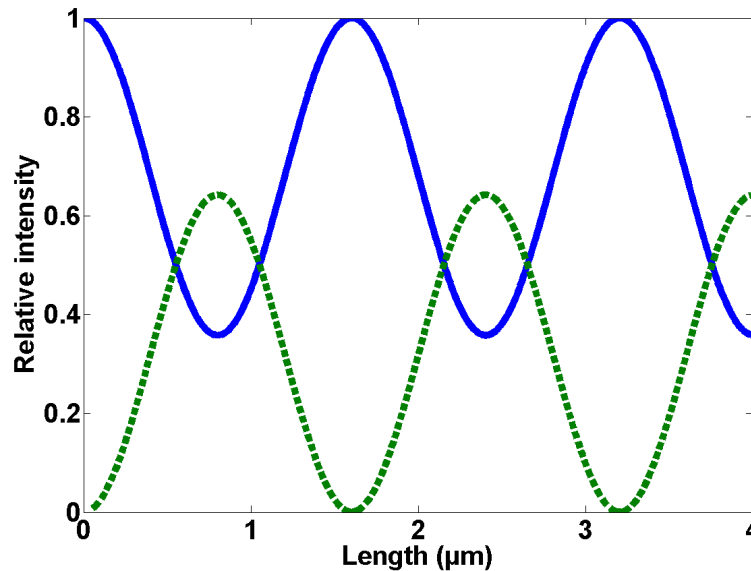
# Evanescent coupling: phase matching

## When phasematching:



Evanescent coupling can lead to 100% of energy exchange

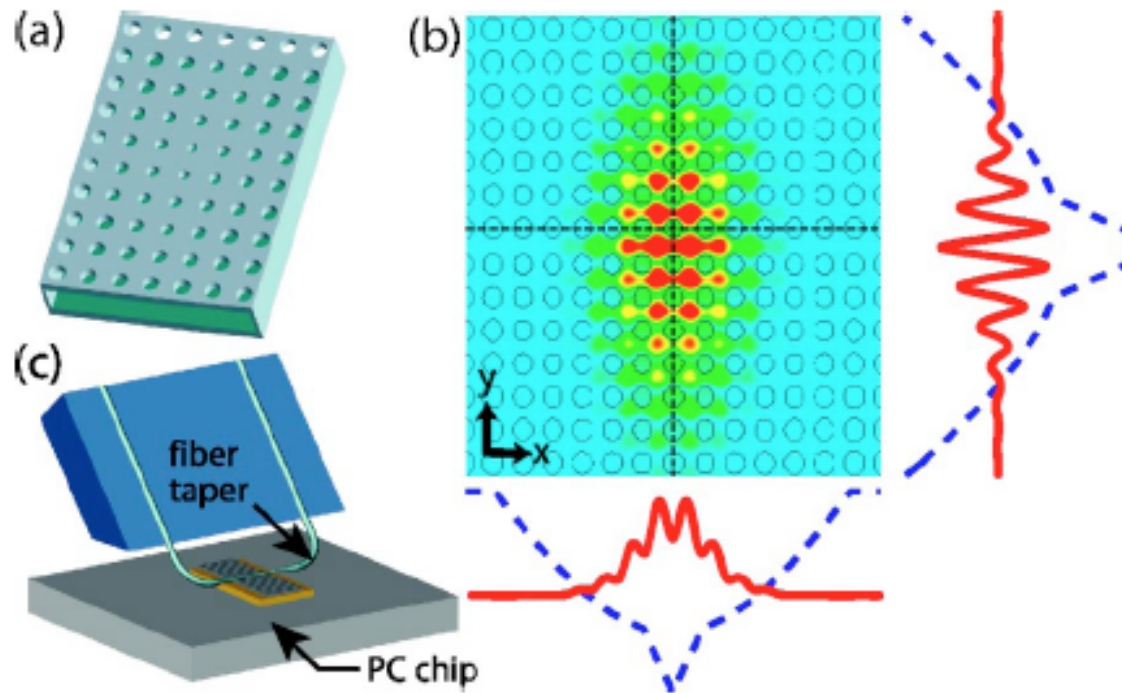
## Maximum energy exchange vs. phase mismatch:



For example :  
 $\Delta n_{\text{eff}} = 10\%$  implies - 65% of energy exchanged

# Interfacing PhC lasers with the external world

Evanescent wave coupling with tapered fibers ( for example K. Srivinasan et al, Phys. Rev. B. 70, 081306 (2004)

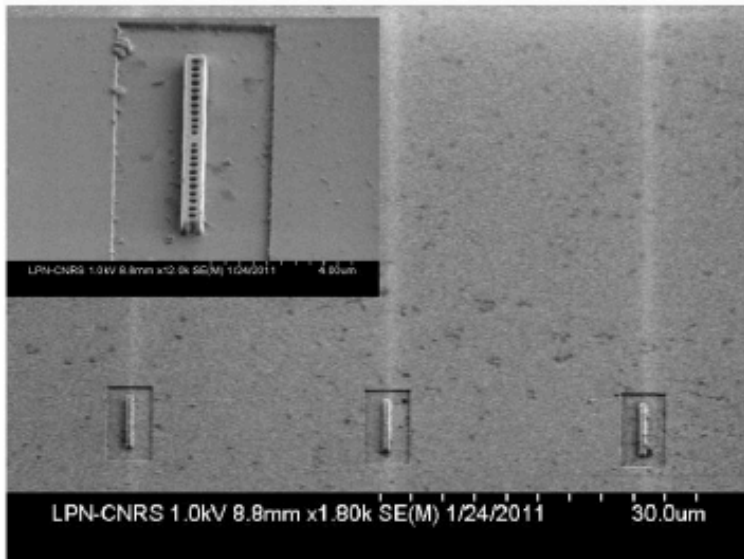
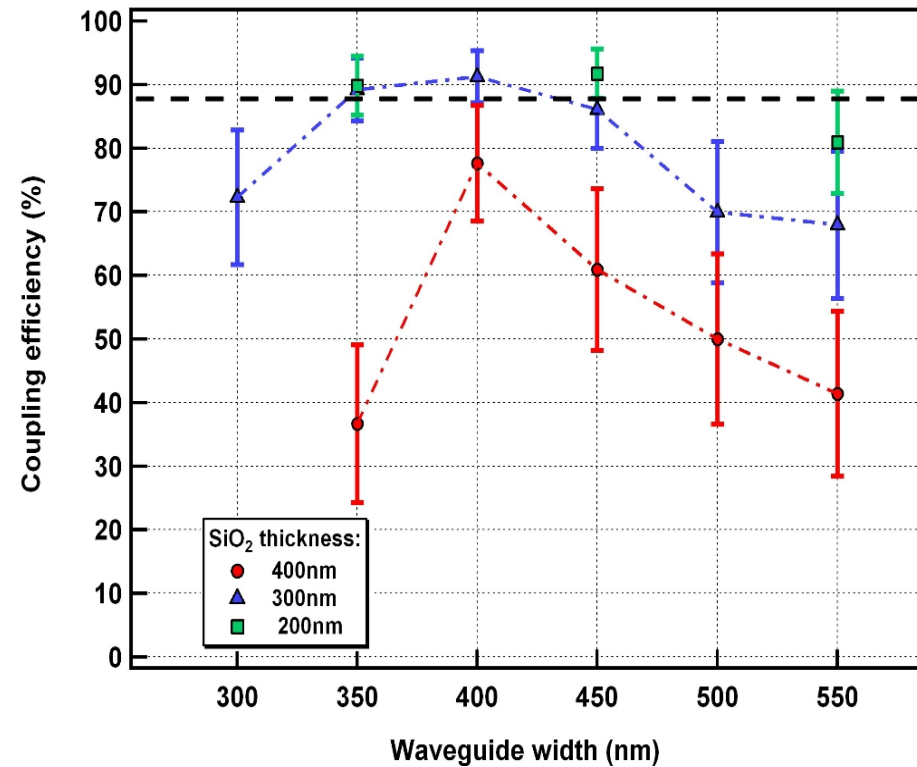
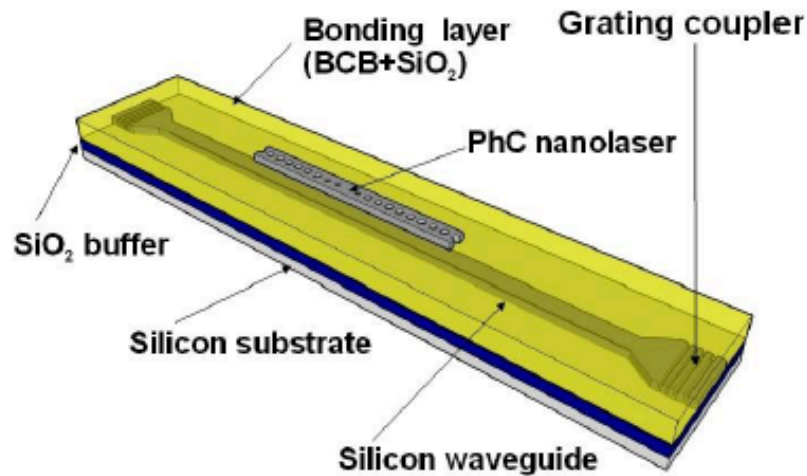


→ Single device! low coupling efficiency due to low effective index of the fiber mode!



# Interfacing PhC lasers with the external world

Evanescent coupling with SOI waveguides circuitry Y. Halioua et al, Opt. Express 19, 9221-31 (2011)



# Electrical injection of PhC lasers

- Electrical injection is a major issue. The goal is to inject carriers and make them recombine within the cavity. The difficulties are:

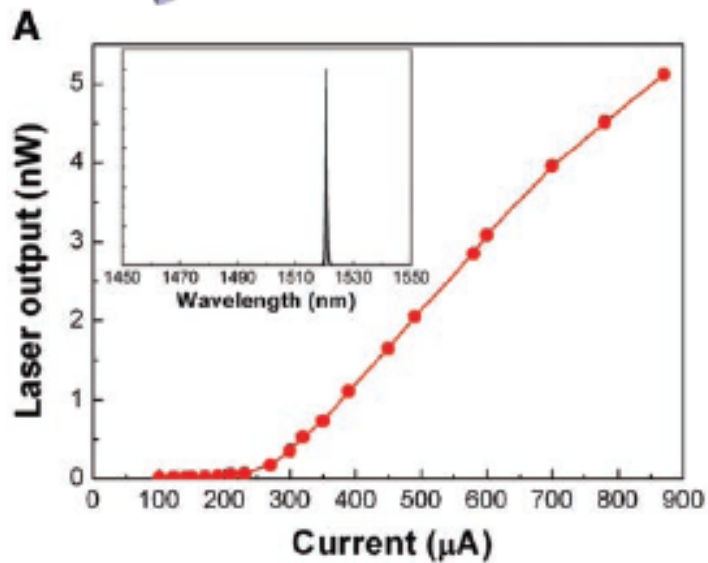
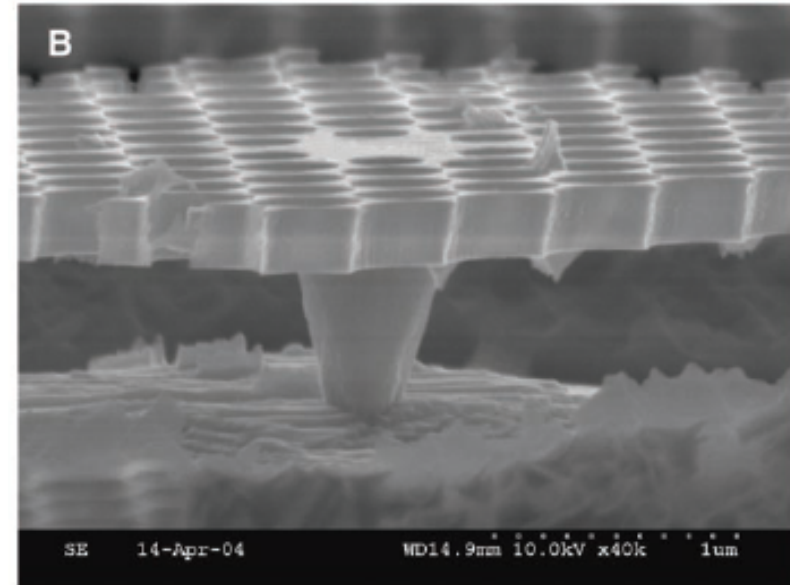
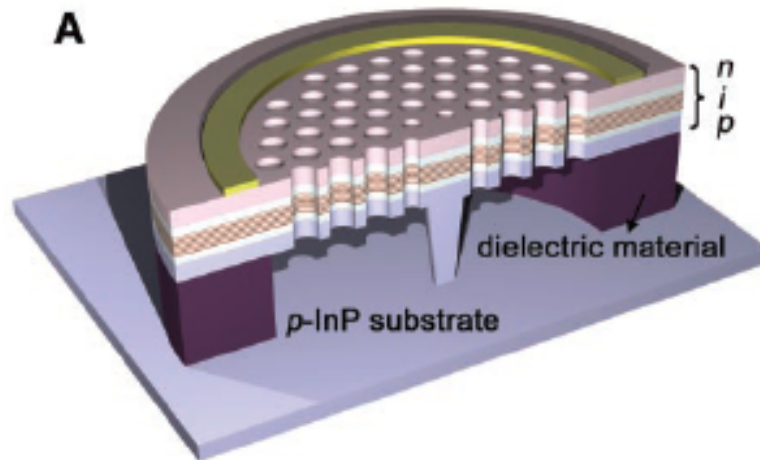
→ PhCs are very sensitive to their environment. Contact on top of the cavity is difficult without destroying the cavity properties

→ the presence of the holes result in an increase electrical resistance (see Anand lecture)

*Only 3 groups demonstrated electrical injection of PhC lasers...*

# Electrical injection of PhC lasers

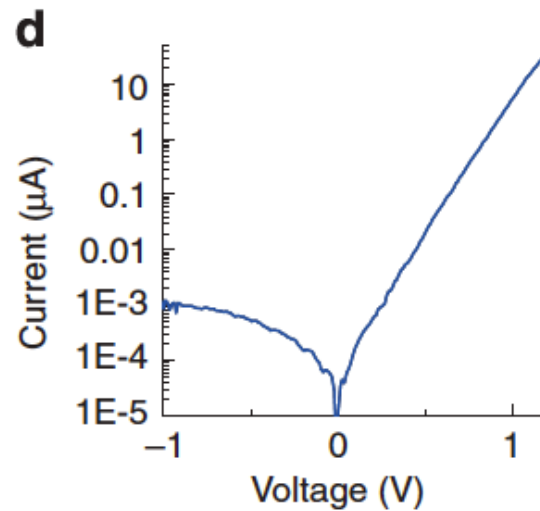
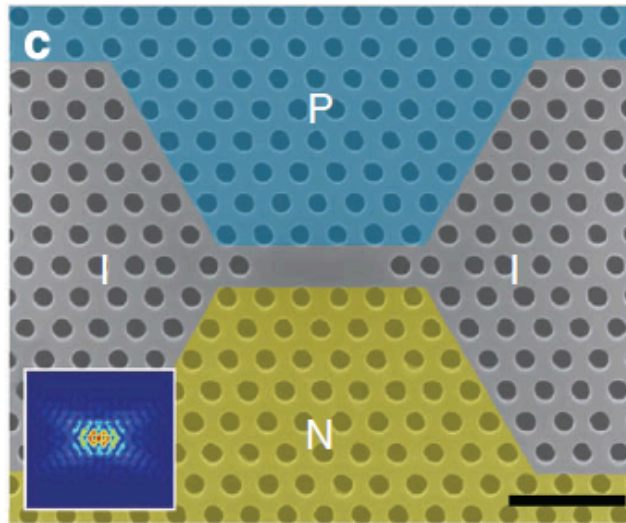
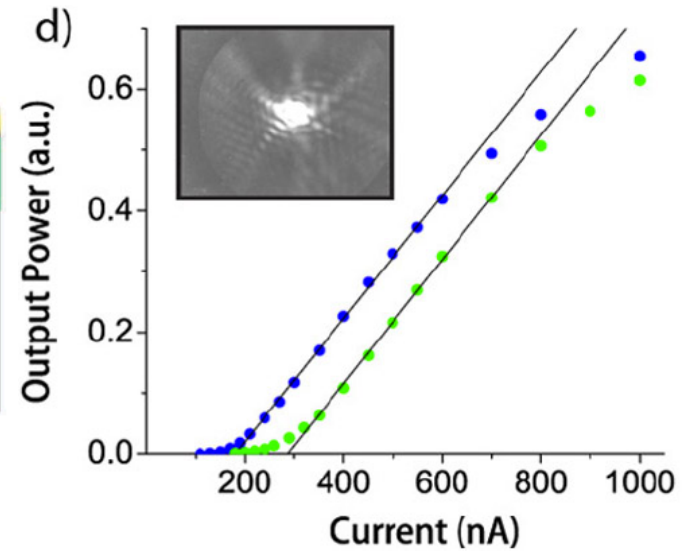
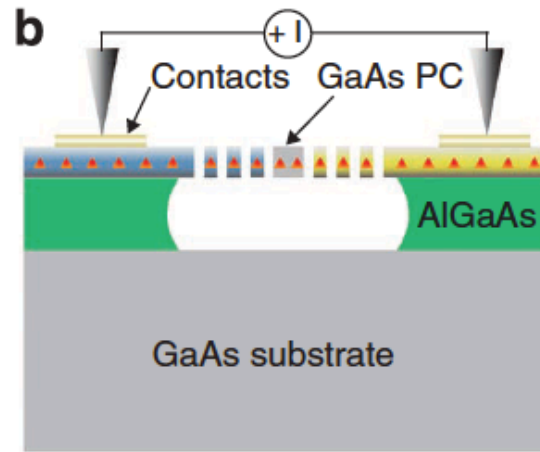
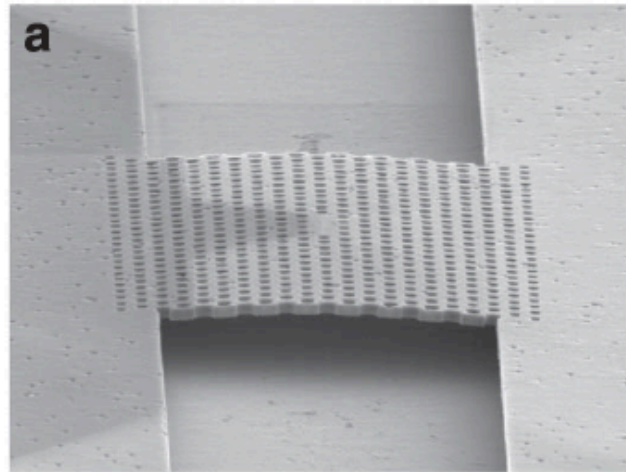
Smart design of the cavity and acrobatic fabrication...



Park et al, Science 305, 1444-47 (2004)

# Electrical injection of PhC lasers

Lateral PIN junction in GaAs based system B. Ellis et al, Nat. Photon. 5 , 297-300(2011)

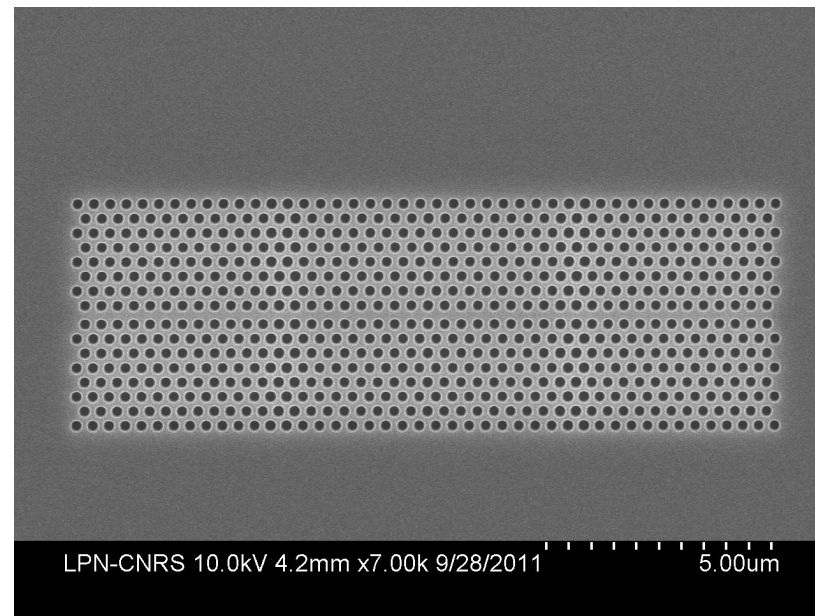


same type of study by NTT on InP (2012)

# Conclusion

## PHOTONIC CRYSTAL PROPERTIES

- By controlling their opto-geometrical features, it is possible to engineer their response
  - slow light waveguides
  - ultimate nanocavity: highest Q/V demonstrated ( $Q=10^9$  within  $V=(\lambda/n)^3$ )
- Ultimate devices in terms of performance such as footprint, activation energy and speed



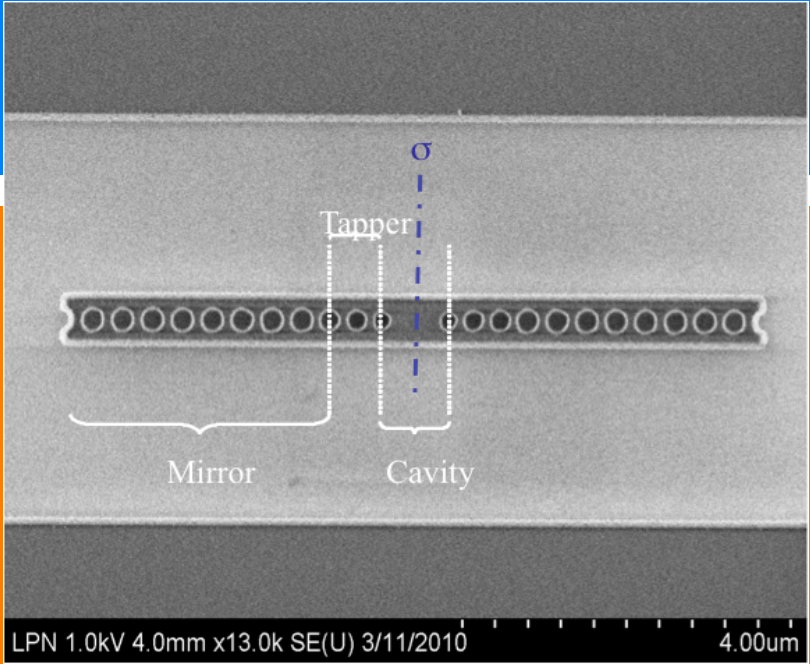
# Conclusion

## PHOTONIC CRYSTAL NANOLASERS

- Ultrasmall footprint – smaller than  $5\mu\text{m}^2$ !!
- Threshold of the order of fJ!
- High speed modulation – 100GHz!

## SOME ISSUES

- Interfacing
- Electrical pumping
- Heating! (membrane...)
- Weak output power (from nw to  $100\mu\text{W}$ )
- Nano-sensitive → reproducibility of fabrication?
- Sensitive to environment....



→ Still a lot of work to do...